

Advanced DSP Control of Induction Motors using Kalman Filter

by

Shiping Zhu

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Abstract

This research paper presents a novel method for the speed control of induction motors without using a speed sensor. The rotor speed can be accurately computed using an optimal control observer named the Kalman filter designed in this research paper. This replaces a speed sensor and eliminates the difficulty of the sensor installation in many applications. This research paper presents an advanced field oriented control of induction motors, based on a specific d-q coordinate model with the d-coordinate chosen to be in line with the rotor flux and the q-coordinate chosen to be 90° lagging. The position of the rotor flux can be accurately computed using the Kalman filter. This eliminates the position sensors required to monitor the flux. This research paper shows that as a result of this specific d-q transformation, the motor torque is proportional to the product of the rotor flux and the q-coordinate stator current. This significantly simplifies the induction motor control, such that the rotor flux is simply controlled by regulating the flux-related d-coordinate stator current and the motor torque is controlled just by regulating the q-coordinate stator current. This research paper presents a computational efficient recursive algorithm for Kalman filter which is specifically designed for the induction motor control. The Kalman filter provides the minimum variance state estimation and tolerates induction motor modeling and measurement errors. The Kalman filter can process all available measurements regardless of their precision (only two input current measurements required for the motor control), and provides a quick and optimal estimate of the variables of interest (the rotor speed and flux selected as outputs), as well as achieves a fast convergence. This research paper presents the digital signal processor (DSP) implementation of the field oriented control of induction motors using Kalman filter. The hardware requirements and all software modules are detailed. The experimental verification of the control method designed in this research paper is provided. Typical measurements are given to demonstrate the efficiency of the novel control presented in this research paper.

Key words: field oriented control, Kalman filter, DSP control, PID regulator

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Chapter 1

Introduction

Induction motors are popular in the industry because they are reliable, rugged, low cost, and virtually maintenance free. Market analysis shows that most of industrial motor applications use induction motors. However, the use of induction motors may have several difficulties, which include control disadvantages due to complex motor model and nonlinear motor parameters caused by saturation and variations with temperature. In order to overcome these difficulties, many methods have been proposed for the control of induction motors [1-5]. The field-oriented control (FOC) is the most popular one. This control requires the instantaneous measurements of the motor speed, voltages and currents. The speed of the motor is usually measured using a speed/position sensor. The installation of the sensor not only increases the motor drive cost and the sensor maintenance cost, but also the installation could be very difficult or impractical for some applications such as the pumps used in oilrigs.

This research paper presents a novel method for controlling the speed of induction motors without the need of a speed or position sensor. The information of the motor speed is obtained by processing the stator voltages and currents which are simply measured at the motor terminals or at the supply terminals. Induction motor drives without speed or position sensors will increase the drives reliability and reduce their costs. This research paper has developed an efficient control for induction motors using a closed-loop optimal control observer named the Kalman filter to compute the motor speed and position, as well as using an adaptive feedback regulator to provide a reliable and accurate speed control.

The following lists the key work carried out in this research paper.

- a. *Full investigation of Kalman filter for the control of induction motors.*

This research paper provides a full investigation of the practical application of Kalman filter for the control of induction motors. There has been very limited information about the use of Kalman filter for induction motor drives, possibly because of the difficulty of understanding the theory of the Kalman filter. This research paper research provides a detailed study of the control theory of the Kalman filter and its suitability for the control of induction motors. This research provides a concrete finding that Kalman filter is well suitable for induction motor control.

- b. *Detailed formulations of the specific field oriented control with Kalman filter for real-time control of induction motors.*

This research paper develops all formulations required for the specific field oriented control of induction motors using Kalman filter. In particular, a recursive algorithm of the Kalman filter is given in the research paper. The algorithm and its corresponding formulations has provided an accurate computation of the rotor speed, the flux linkage, and the flux angle which are the essential components for the specific field oriented control of induction motors.

c. *DSP implementation of the specific field oriented induction motor control.*

This research paper develops the software required for the implementation of the specific field oriented motor control in DSP TMS320LF2407. The software is developed in modules which can be easily modified for different induction motor drive applications.

d. *Real-time verification of the specific field oriented control using Kalman field.*

A prototype of the induction motor drive is built to verify the specific field oriented control using Kalman filter. Typical measurements are given to demonstrate the efficiency of the novel control designed in this research paper.

This chapter provides an introduction of the control method developed in this research paper. The following outlines the sections in this chapter.

Section 1.1 discusses the digital signal processor (DSP) control of induction motors.

Section 1.2 assesses the research in speed sensorless control of induction motors.

Section 1.3 introduces the novel control method designed in this research paper. This control combines the field oriented control and the Kalman filter.

Section 1.4 shows the structure of this research paper.

1.1 DSP Control of Induction Motors

Induction motor controls were traditionally designed and implemented with analog components. There are several drawbacks with analog controllers including component aging and drifts. Analog controllers are usually hard-wired circuits that make modifications or upgrades fairly difficult. Also the implementation of advanced control algorithms using analog circuits requires an excessive number of components. On the other hand, digital control offers improvements over the analog control. The effect on the control due to analog component characteristic variations can be eliminated in the digital control. Upgrades in the digital control can fairly easily conducted in software, and the number of control circuit components required is significantly reduced since the digital controller can handle many control functions in a single chip.

Digital signal processor (DSP) can provide high speed and high accuracy control signals. Fixed-point DSPs are preferable in the cost-effective induction motor control, because

fixed-point DSPs cost much less than the floating-point ones and for most applications, the dynamic range of 16 bits is sufficient. If needed for certain small portions in the control computation, the dynamic range can be increased in the fixed-point processor by carrying out floating-point calculations.

The performance of an induction motor strongly depends on the characteristics of its control. DSPs can be used to enhance the real-time control of induction motors without the use of any electromechanical speed sensors. The DSP controller can reduce the number of control circuit components and can optimize the drive performance. The DSP for motor drive applications can perform the following.

- 1) Handle complex control schemes such as implementation of sensorless motor control algorithms to eliminate the need of a speed or position sensor.
- 2) Implement communication functions for fault and status information.
- 3) Re-program control schemes for different applications.
- 4) Generate high-resolution PWM signals for efficient control of the power electronic inverter and reduction of harmonics.
- 5) Provide a single chip drive control system and reduce the drive system cost.

1.2 Speed Sensorless Control of Induction Motors

The world market of induction motor drives is over ten thousand million US dollars annually with a rapid growth. Current researches on motor drives have focused on the elimination of the speed sensor at the motor shaft without deteriorating the dynamic performance of the drives [6, 7]. The speed estimation is of particular interest with the induction motor drives where the mechanical speed of the rotor is generally different from the speed of the revolving magnetic field. The advantages of speed-sensorless induction motor drives include reduction of hardware complexity and cost, increase of control-circuit noise immunity and drive reliability, and reduction of maintenance requirements. Operations in the hostile environments mostly require motor drives without speed/position sensors.

Figure 1 shows the block diagram of the speed-sensorless induction motor control. Basically there are two commonly-used control methods: the voltage-to-frequency (V/f) control and the field oriented control (FOC). Both methods for the speed sensorless control require a speed estimation algorithm. In the V/f control, the ratio of the stator voltage to stator frequency is kept constant using a feed forward control to maintain the magnetic flux in the motor at a desired level. This control is simple but it only can satisfy moderate motor dynamic requirements. On the other hand, high motor dynamic performance can be achieved using the FOC control which is also called the vector control. The stator currents are injected at a well-defined phase angle with respect to the spatial orientation of the rotating magnetic field, thus overcoming the complex dynamic properties of the induction motor. The spatial location of the magnetic field, that is the field angle, is difficult to measure.

There are several models and algorithms that can be used for the estimation of the field angle, for example the open-loop estimator such as model reference adaptive system (MRAS), or the close-loop observer such as the Kalman filter. The induction motor control using the field orientation usually refers to the rotor field. This research paper presents a novel rotor field oriented control.

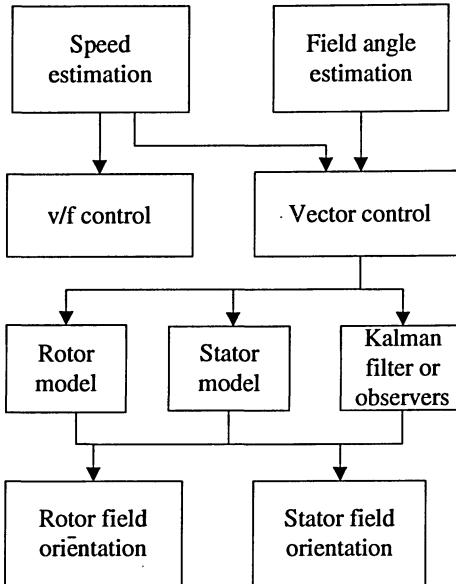


Figure 1: Methods of Sensorless Speed Control

1.3 Novel Control Method for Induction Motors

This research paper investigates the real-time field oriented control (FOC) of induction motors using a Kalman filter and an adaptive feedback controller. This FOC control has been successfully implemented in the Power Electronic Laboratory at Ryerson University. Figure 2 shows the basic control structure. The main contribution of this research paper consists of achieving accurate sensorless control using a Kalman filter implemented in a DSP processor.

1.3.1 Field Oriented Control

An efficient vector control scheme for induction motors has been implemented in this research paper based on the following three major points:

- 1) Transform the motor's three-phase ever-changing rotor-position dependent model of control and computation disadvantages into a two-coordinate motor-speed model for efficient computation and control.
- 2) Formulate the current and voltage space vectors for high performance motor speed and torque control.

- 3) Generate the pulse-width-modulation (PWM) signals to accurately control the power electronic inverter that drives the induction motor.

Separately-excited dc motor drives are simple in control, because they independently control of the motor's flux and torque through two separate controls of the field current and the armature current. The vector control would like to make the induction motor drive similar to the dc motor drive with two separate controls of the motor flux and the torque. Furthermore, the vector control method can achieve an accurate steady state and transient control that leads to high dynamic performance of the induction motor in a fast response to the changes of its load.

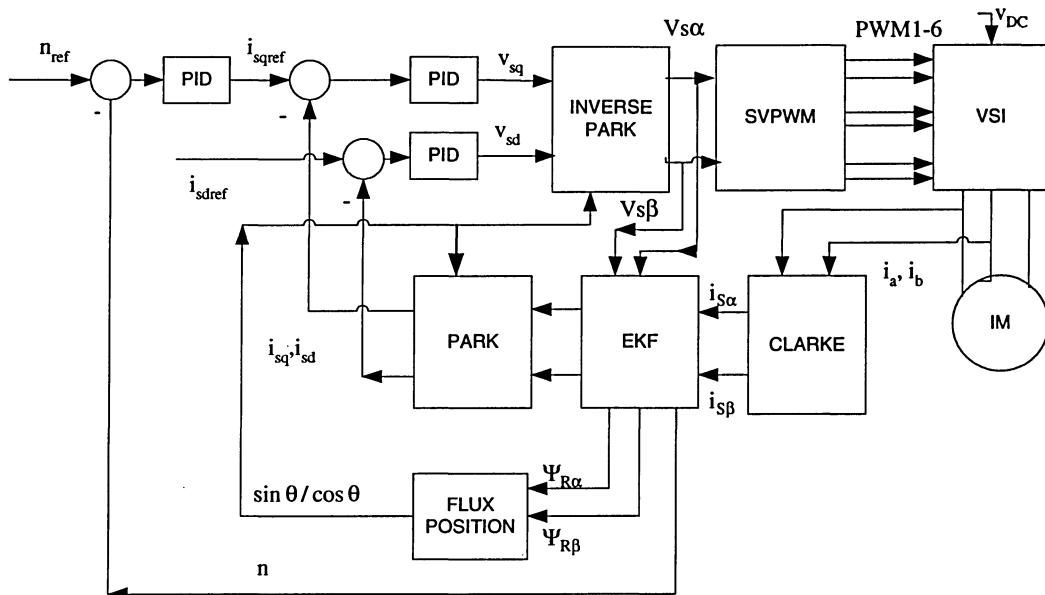


Figure 2: The Control Structure of FOC with Kalman Filter

1.3.2 Kalman Filter

The conventional induction motor drive uses electromechanical sensors to measure the position and speed of the rotor. However in many applications such as the pumps used in oil rigs working under the sea, it would not practical to use sensors for the speed or position measurement as it is either technically impossible or extremely expensive. Recently, there have been several proposals addressing this problem and showing that the motor speed can be calculated from the current and voltage inputs to the motor. For a better motor performance, this research paper has designed an observer named the Kalman filter for an efficient control of induction motors. This filter is a statistically optimal observer, which has a good dynamic performance, disturbance rejection, and capability of working in a standstill position.

In general, the implementation of a Kalman filter in the motor control is fairly involved,

because it requires an accurate model of the induction motor to be calculated in real time. The filter equation to be evaluated involves matrix computations. Digital signal processor (DSP) is especially suitable for this kind of numerical computations. An economical fixed-point DSP TMS320LF2407 from the Texas Instrument is selected for the implementation in this research paper. The design of the Kalman filter of induction motor control is detailed in Chapter3.

1.3.3 Adaptive PID Controller

An adaptive controller can accommodate unpredictable changes, whether these changes arise within the system or external to it, such as design and measurement errors or uncertainties. This research paper has designed an adaptive proportional-integral-derivative (PID) control to overcome the control uncertainties and to enhance the quality of the induction motor control. The design of adaptive PID controllers for the induction motor speed and torque control is detailed in Chapter 2.

1.3.4 Modular Software for Induction Motor Controls

The benefits of structured modulator software are well known especially for large control systems with many sub-blocks. In examination of various motor control systems, it becomes clear that a large degree of commonality exists between the control software modules. Therefore, if each module is implemented according to well-defined guidelines, then compatibility can be assured across all modules. Since the modularity approach allows efficient software re-uses, efforts have been put on expanding the module library base for greater functionality and features in this research paper. As a form of modularity strategy, the Kalman filter module designed in this research paper can be easily transferred to different induction motor control applications.

1.4 Outline of the Research paper

The outline of the following chapters is given below.

Chapter 2 presents an advanced field-oriented control for induction motors. This chapter examines the key components of the field oriented control including the 3-phase to 2-phase transformation, the space vector PWM technique, and the separate induction motor flux and torque control.

Chapter 3 develops the Kalman filter for induction motor control. This chapter details all the formulations required to accurately compute the flux angle for the speed sensorless control of an induction motor.

Chapter 4 discusses the hardware and software implementation of the novel control scheme designed in this research paper using the DSP TMS320LF2407. This chapter details all key hardware components / circuits and software modules.

Chapter 5 presents the experimental results to demonstrate the accuracy and efficiency of the FOC control designed in this research paper.

Chapter 6 provides a conclusion of this research paper research and recommendations for future work.

Appendix A summarizes the notations used in this research paper.

Appendix B provides the parameter values of the induction motor used in the experiment.

Appendix C shows the characteristics of the PID controllers.

Appendix D gives all software modules for speed sensorless control of the induction motor.

Chapter 2

Advanced Field Oriented Control of Induction Motors

This chapter presents an advanced field-oriented control (FOC) of induction motors, based on mathematical transformations of the standard three-phase motor model into a specific two-phase d-q coordinate model. The three-phase induction motor model is a complex matrix equation with sinusoidal functions of the rotor angle. This model has inherent control and computation disadvantages due to the ever-changing rotor angle. This can be greatly improved with a simple transformation of the three-phase model into a d-q model with the two coordinates rotate with respect to the rotor flux at the synchronous speed. This chapter shows the transformation which, as an extension of the well-known Park's Transformation, provides the induction motor control and computation efficiency.

The three-phase instantaneous stator currents of the induction motor may be modeled as a complex space vector which can be transformed into two currents: the stator d-coordinate current and the stator q-coordinate current, with the d-coordinate chosen to be in line with the rotor flux and the q-coordinate chosen to be 90° lagging. This chapter shows that as a result of the specific d-q transformation, the motor torque is proportional to the product of the rotor flux and the q-coordinate stator current. The rotor flux of the induction motor can be controlled through the regulation of the flux-related d-coordinate stator current. By maintaining the rotor flux to a desired value, there exists a linear relationship between the motor torque and the q-coordinate stator current. The motor torque can be controlled by regulating the q-coordinate stator current. Therefore, this transformation leads to a simple control structure similar to that of a separately-excited dc motor drive where the flux and the torque of the dc motor can be controlled separately. This transformation also provides significant computational advantage in the field-oriented control of induction motors.

The following outlines the sections in this chapter.

Section 2.1 presents the three-phase to two-phase transformation. This transformation is implemented in two steps. First, transform the three-phase system into the two orthogonal coordinate system. This transformation is known as $\alpha\beta$ transformation or Clarke's transformation. Second, transform the $\alpha\beta$ coordinates into the d-q coordinates, with the d-coordinate chosen to be in line with the rotor flux and the q-coordinate chosen to be 90° lagging. This transformation can be regarded as an extension of the Park's transformation.

Section 2.2 presents a space-vector pulse-width-modulation (PWM) technique for the control of a three-phase voltage-source inverter (VSI) that drives the induction

motor. The space-vector PWM technique is used to generate the desired instantaneous reference voltages for the VSI from the corresponding basic space vectors according to the switching states.

Section 2.3 presents the field oriented control which provides an efficient real-time control of the torque of the induction motor which in terms controls the motor mechanical speed.

Section 2.4 presents the design of PID regulator used to regulate the motor torque and flux to the desired values.

2.1 3-phase to 2-phase Transformation

The three-phase voltages, currents and fluxes of an induction motor can be modeled in terms of complex space vectors. The space vector for the stator currents of the motor is defined as follows.

Assuming that i_a , i_b , i_c are the three instantaneous currents in the stator, the complex stator current vector \bar{i}_s is defined by:

$$\bar{i}_s = i_a + e^{j\frac{2\pi}{3}} i_b + e^{j\frac{4\pi}{3}} i_c \quad (1)$$

This current space vector can be transformed into two currents: the d-coordinate current and the q-coordinate current by the following two steps:

Step 1: Transform the three-phase system into two orthogonal coordinate system. This transformation is known as α - β transformation or Clarke's transformation.

Step 2: Transform the α - β coordinates into the d-q coordinates, with the d-coordinate chosen to be in line with the rotor flux and q-coordinates chosen to be 90° lagging. This transformation can be regarded as an extension of the Park's transformation.

2.1.1 α - β Transformation (Clarke's Transformation)

The current space vector can be transformed into two orthogonal axes named α and β . The α -coordinate is chosen in line with the phase "a", and the β -coordinate is 90° lagging. Then the α - β coordinate currents and the three phase instantaneous currents are related as follows:

$$\begin{aligned} i_{s\alpha} &= i_a \\ i_{s\beta} &= \frac{1}{\sqrt{3}} i_a + \frac{2}{\sqrt{3}} i_b \end{aligned} \quad (2)$$

where $i_a + i_b + i_c = 0$ is assumed. To further illustrate the above relationship, assume the three phase currents are balanced as given below:

$$\begin{aligned} i_a &= I \sin(\omega t) \\ i_b &= I \sin(\omega t + 2\pi/3) \\ i_c &= I \sin(\omega t - 2\pi/3) \end{aligned} \quad (3)$$

Then the α - β coordinate current becomes:

$$\begin{aligned} i_{S\alpha} &= I \sin(\omega t) \\ i_{S\beta} &= I \sin(\omega t + \pi/2) \end{aligned} \quad (4)$$

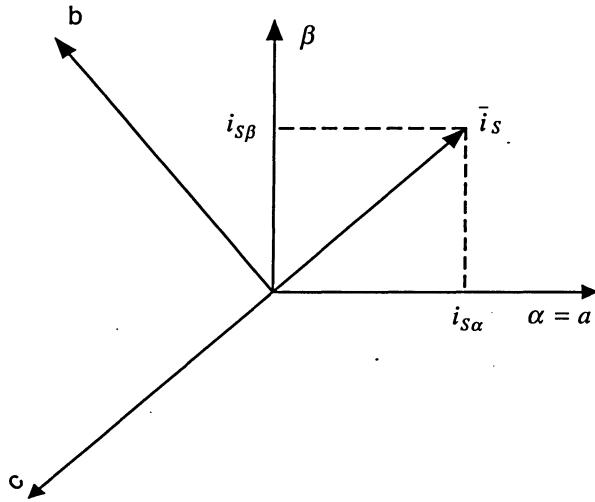


Figure 3: α - β Transformation

2.1.2 d-q Transformation (Park's Transformation)

The core transformation in the field oriented control (FOC) is the d-q transformation, which can be regarded as an extension of the Park's transformation. The α - β coordinates are transformed into the d-q coordinates, with the d-coordinate chosen to be in line with the rotor flux Ψ_R and the q-coordinate chosen to be 90° lagging. Figure 4 shows the relationship between the current vectors in the two reference frames.

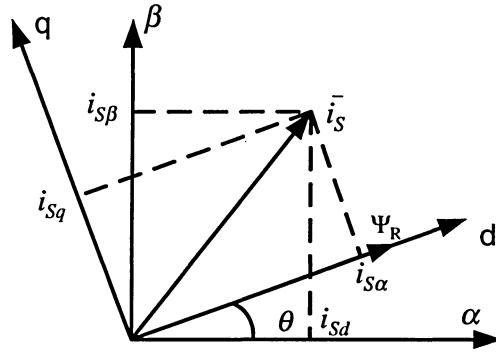


Figure 4: Park Transformation

In Figure 4, θ is the rotor flux angle. The d and q current components are determined by the following equations:

$$\begin{aligned} i_{sd} &= i_{s\alpha} \cos \theta + i_{s\beta} \sin \theta \\ i_{sq} &= -i_{s\alpha} \sin \theta + i_{s\beta} \cos \theta \end{aligned} \quad (5)$$

The d-q coordinate system has the following characteristics:

- It is a two-coordinate time-invariant system; both i_{sd} and i_{sq} are dc quantities.
- The current i_{sd} is a flux related component and the current i_{sq} is a torque related component.
- The torque of the motor can be easily controlled using these dc current data.

2.2 Space Vector PWM Control of Motor Drive Inverter

Space-vector pulse-width-modulation (PWM) technique has become a popular PWM technique for the control of three-phase voltage-source inverters (VSI) for applications such as induction motor drives. In comparison to the direct sinusoidal PWM technique, the space-vector PWM technique generates less harmonic distortion in the output voltages and currents and provides more efficient use of the dc supply voltage to the inverter [3].

Figure 5 shows a basic three-phase power inverter circuit, where V_a , V_b , V_c are the voltages applied to the induction motor, and where V_{dc} is the inverter dc input voltage.

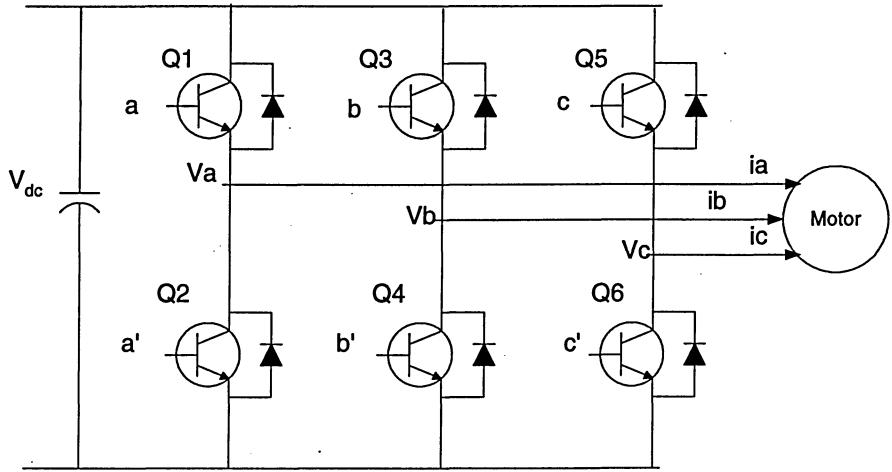


Figure 5: Three-phase Voltage Source Inverter

The six switches $Q1$ to $Q6$ are insulated-gate-bipolar-transistors (IGBT). The ON-OFF sequence of these switches follows the conditions below:

- Three of the switches must be always ON and three are always OFF.
- The upper and the lower switches of the same leg are driven with two complementary pulsed signals with dead band between the two signals to avoid short-circuit.

The induction motor is supplied with the required three phase voltages for the designed operating conditions using the PWM technique. In this research paper, the space-vector PWM method is used to generate the gating signals for the switches in the VSI inverter that drives the induction motor with high performance in terms of fast response to changes of loads and speed commands.

The relationship between the switching variable vector $[a \ b \ c]^T$ and the line-to-line output voltage vector $[V_{ab} \ V_{bc} \ V_{ca}]^T$ and the phase voltage vector $[V_a \ V_b \ V_c]^T$ is given by the following equations.

$$\begin{bmatrix} V_{ab} \\ V_{bc} \\ V_{ca} \end{bmatrix} = V_{dc} \begin{bmatrix} 1 & -1 & 0 \\ 0 & 1 & -1 \\ -1 & 0 & 1 \end{bmatrix} \begin{bmatrix} a \\ b \\ c \end{bmatrix} \quad (6)$$

$$\begin{bmatrix} V_a \\ V_b \\ V_c \end{bmatrix} = \frac{1}{3} V_{dc} \begin{bmatrix} 2 & -1 & 1 \\ -1 & 2 & -1 \\ -1 & -1 & 2 \end{bmatrix} \begin{bmatrix} a \\ b \\ c \end{bmatrix} \quad (7)$$

where $V_{ab}=V_a-V_b$, $V_{bc}=V_b-V_c$, $V_{ca}=V_c-V_a$. The stator $\alpha\beta$ voltages corresponding to the three-phase voltages are:

$$\begin{aligned} V_{s\alpha} &= V_a \\ V_{s\beta} &= \frac{1}{\sqrt{3}}V_a + \frac{2}{\sqrt{3}}V_b \end{aligned} \quad (8)$$

The above equation can also be expressed in matrix form by using the equation $V_a+V_b+V_c=0$.

$$\begin{bmatrix} V_{s\alpha} \\ V_{s\beta} \end{bmatrix} = \frac{2}{3} \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ 0 & \frac{1}{2} & \frac{1}{2} \end{bmatrix} \begin{bmatrix} V_a \\ V_b \\ V_c \end{bmatrix} \quad (9)$$

There are eight (2^3) possible combinations for the switch commands. These eight switch combinations determine the eight phase voltage vectors, of which the results are six non-zero vectors (V_1-V_6) and two zero vectors (V_0, V_7) as shown in Figure 6.

The objective of space vector PWM technique is to generate the desired instantaneous reference voltages from the corresponding basic space vectors based on the switching states. Figure 6 shows that the basic space vectors divide the plane into six sectors. Depending on the sector that the reference voltage is in, two adjacent basic vectors are chosen. The two vectors are time weighted in a sample period T (PWM period) to produce the desired output voltage.

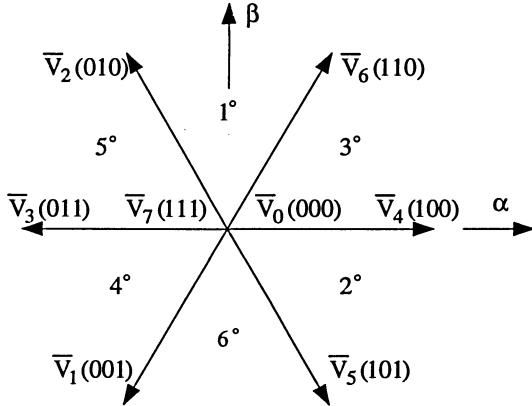


Figure 6: Configuration of Space Vector PWM

Assuming that the reference vector V_{out} is in the sector 3 as shown in Figure 7a, the application time of two adjacent vectors is given by:

$$\begin{aligned} T &= T_4 + T_6 + T_0 \\ \bar{V}_{out} &= \frac{T_4}{T} \bar{V}_4 + \frac{T_6}{T} \bar{V}_6 \end{aligned} \quad (10)$$

where T_4 and T_6 are the durations of the basic vectors V_4 and V_6 to be applied respectively. T_0 is the duration for the zero vectors (V_0 or V_7). Once the reference voltage V_{out} and the PWM period T are known, T_4 , T_6 and T_0 can be determined according to the above equation [3].

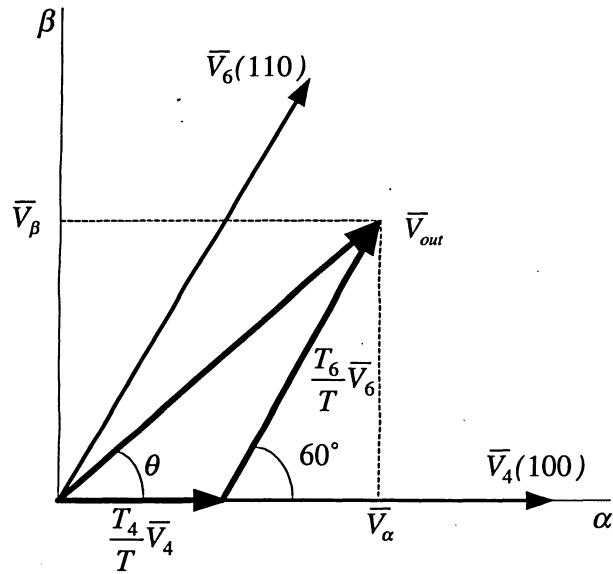
$$T_4 = \frac{T}{2V_{dc}}(3V_{s\alpha} - \sqrt{3}V_{s\beta}) \quad (11)$$

$$T_6 = \sqrt{3} \frac{T}{V_{dc}} V_{s\beta} \quad (12)$$

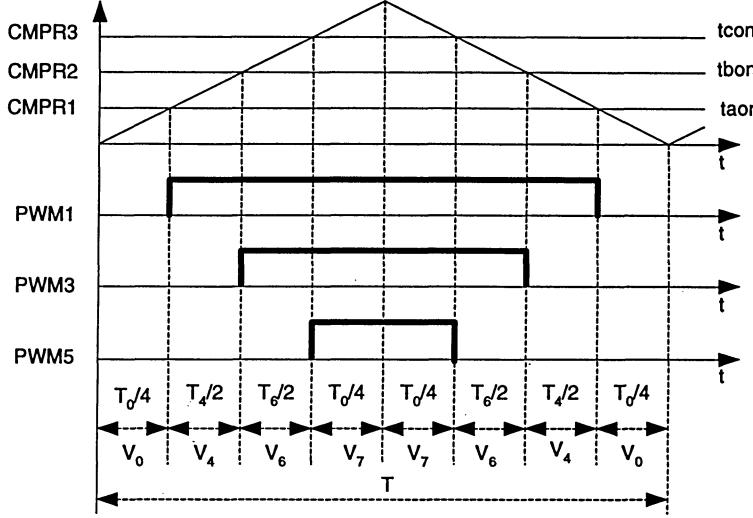
$$T_0 = T - (T_4 + T_6) \quad (13)$$

Where $V_{s\alpha}$, $V_{s\beta}$ are α - β components of V_{out} . The voltage V_{out} is an approximation of the desired output voltage based on the assumption that the change of output voltage is negligible within a PWM period T . Therefore it is critical that the PWM period is small with respect to the change of V_{out} . In practice, the approximation is very good because the calculation is performed in every PWM period (200μs).

Figure 7b shows the pattern of space vector PWM in Sector 3. The space vector PWM is implemented in the DSP TMS320LF2407 in Ryerson Power Electronic Laboratory, where t_{aon} , t_{bon} and t_{con} are the ON durations of switches $Q1$, $Q3$ and $Q5$ respectively. CMPR1, CMPR2 and CMPR3 are internal compare registers of DSP used to implement symmetrical PWM waveforms. Similarly, the patterns of the space vector PWM in other sectors can be formulated.



(a) Reference Voltage and Its Projections



(b) PWM Pattern in Sector 3

Figure 7: Example of Space Vector PWM Pattern

2.3 Field Oriented Control

The field oriented control (FOC) designed in this research paper provides an efficient real-time control of the torque of the induction motor, which in terms controls the motor mechanical speed. The FOC also regulates the phase currents to avoid any current surges during the motor transient operation. The following describes the FOC method.

2.3.1 The Basic FOC Scheme

Figure 8 shows the basic scheme for induction motors using the FOC method. In this control scheme, two motor input currents i_a , i_b are measured. These measurements are fed into the $\alpha\beta$ transformation module. The outputs of this module are the two $\alpha\beta$ currents: i_{sa} and i_{sb} . They are inputs to the d-q transformation module. This module computes the two currents i_{sd} and i_{sq} in the d-q rotating reference frame. Then i_{sd} and i_{sq} (they are virtually dc quantities) are compared to the flux reference i_{sdref} and the torque reference i_{sqref} . The torque reference is the output of the speed regulator in the speed feedback control module. The outputs of the two PID regulators are V_{sd} and V_{sq} . They become the inputs to the inverse d-q transformation module. The outputs of this module are $V_{s\alpha}$ and $V_{s\beta}$, which are the stator vector voltages in the $\alpha\beta$ orthogonal reference frame. They are the inputs to the space vector PWM control module. The outputs of this module are the switching signals that operate the voltage source inverter (VSI) for driving the induction motor. Note that both d-q transformation and its inverse transformation require the value of the rotor flux

position for their computation. Therefore the rotor flux position needs to be determined prior to the transformation calculations.

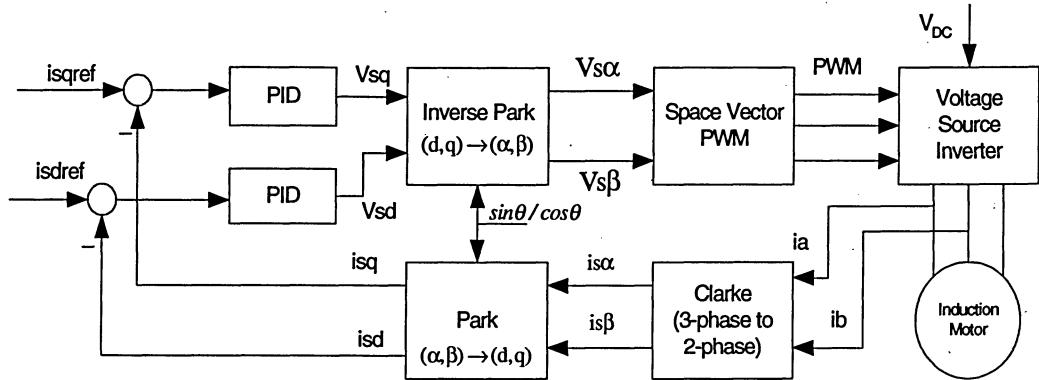


Figure 8: Field Oriented Control of Induction Motors

2.3.2 Rotor Flux Position

The information of the rotor flux position is crucial to the FOC control. Figure 9 shows the three reference frames, and the rotor flux position, the stator current space vector and the voltage space vector which rotate with respect to the d-q reference at the synchronous speed.

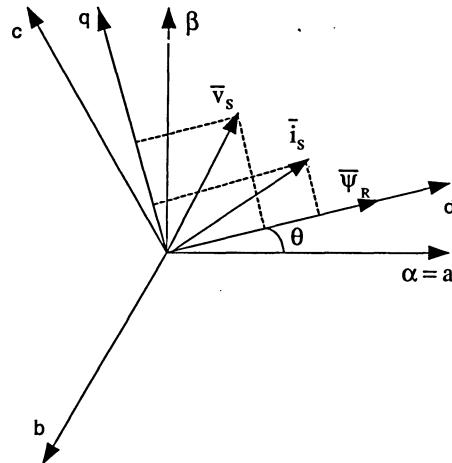


Figure 9: Relationship between Current, Voltage and Rotor Flux

In the induction motor, the speed of rotor is less than the speed of the rotor flux because of the slip due to friction and the mechanical load. For the FOC control, a specific method is needed to calculate θ . The basic method is the use of the current model that needs two equations of the motor model in d-q reference frame and a speed sensor [1]. Another method is to use a statistically optimal observer named the Kalman filter, to estimate the speed for achieving a sensorless control of induction motors. The details of this method is

presented in Chapter 3. Figure 10 shows the block diagram of the sensorless control. This research paper is focused on the development of this control method.

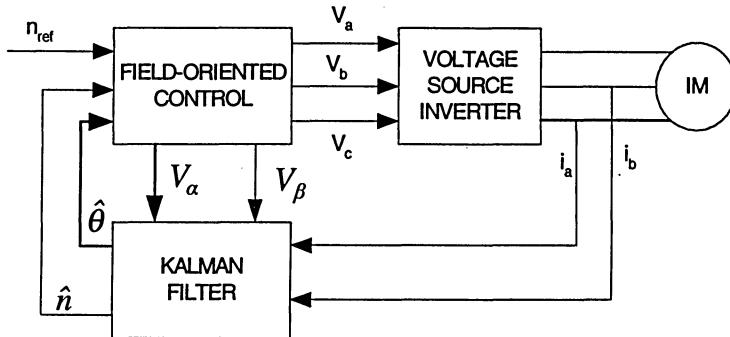


Figure 10: Sensorless Controller for Induction Motors

2.4 Adaptive PID Regulator

A motor drive based on the field-oriented control needs two inputs: the torque component reference i_{sqref} and the flux component reference i_{sdref} . The classical proportional and integral (PI) regulator is often used to regulate the motor torque and flux to the desired values. This regulator which is implemented in this research paper, is capable of reaching constant references by correctly setting both the P term (K_P) and the I term (K_I). The P term and I term respectively regulate the error sensibility and the steady state error. The regulation can be improved with the adaptive proportional-integral-derivative (PID) regulator [14].

To design a digital PID controller for the motor control, it may first consider the transfer function of an analog PID regulator:

$$D(s) = K_P + K_I \frac{1}{s} + K_D s \quad (14)$$

where K_P is the proportional gain, K_I is the integral gain, and K_D is the derivative gain. Similar to the *Laplace Transform* in continuous time domain, the integrator and differentiator can be represented by pulse transfer function in discrete domain.

$$\text{Integrator} = \frac{T(z+1)}{2(z-1)} \quad (15)$$

$$\text{Differentiator} = \frac{z-1}{Tz} \quad (16)$$

where T is the sampling period. Thus the transfer function of a digital non-adaptive PID controller is

$$\begin{aligned}
 D(z) &= K_P + K_I \frac{T(z+1)}{2(z-1)} + K_D \frac{z-1}{Tz} \\
 &= \frac{a_0 + a_1 z^{-1} + a_2 z^{-2}}{1 - z^{-1}}
 \end{aligned} \quad (17)$$

where

$$\begin{aligned}
 a_0 &= K_p + \frac{K_I T}{2} + \frac{K_D}{T} \\
 a_1 &= -K_p + \frac{K_I T}{2} - \frac{2K_D}{T} \\
 a_2 &= \frac{K_D}{T}
 \end{aligned} \tag{18}$$

Figure 11 shows the block diagram of an adaptive control system. In this figure, r is the input or set point, c is the output feedback, y is the output and $D(z)$ is the adaptive PID controller. The adaptive control scheme consists of two parts. First, the regulator uses initial (or updated) PID parameters and feedback input samples to determine the regulation. Second, the regulator updates the PID parameters until the error signal e_2 is approaching zero.

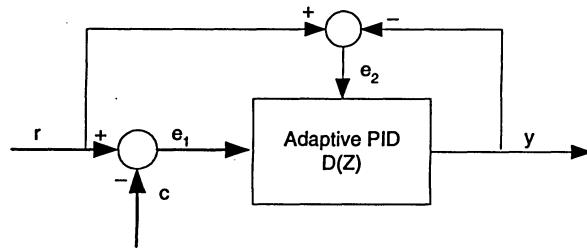


Figure 11: Adaptive PID Control

A quadratic objective function is used to minimize e_2 with respect to the regulator parameters.

$$\begin{aligned}
 f(a_0, a_1, a_2) &= \frac{1}{2}(e_2)^2 \\
 &= \frac{1}{2}[r(z) - y(z)]^2 \\
 &= \frac{1}{2} \left[r(z) - \left(\frac{a_0 + a_1 z^{-1} + a_2 z^{-2}}{1 - z^{-1}} \right) e_1 \right]^2
 \end{aligned} \tag{19}$$

The first order partial derivatives with respect to the regulator parameter a_0, a_1, a_2 are given below:

$$\frac{\partial f}{\partial a_0} = -r \left(\frac{1}{1 - z^{-1}} \right) e_1 + \left(\frac{a_0 + a_1 z^{-1} + a_2 z^{-2}}{1 - z^{-1}} \right) \left(\frac{1}{1 - z^{-1}} \right) e_1^2$$

$$\begin{aligned}\frac{\partial f}{\partial a_1} &= -r \left(\frac{z^{-1}}{1-z^{-1}} \right) e_1 + \left(\frac{a_0 + a_1 z^{-1} + a_2 z^{-2}}{1-z^{-1}} \right) \left(\frac{z^{-1}}{1-z^{-1}} \right) e_1^2 \\ \frac{\partial f}{\partial a_2} &= -r \left(\frac{z^{-2}}{1-z^{-1}} \right) e_1 + \left(\frac{a_0 + a_1 z^{-1} + a_2 z^{-2}}{1-z^{-1}} \right) \left(\frac{z^{-2}}{1-z^{-1}} \right) e_1^2\end{aligned}\quad (20)$$

where a_0 , a_1 and a_2 can be solved according to the *steepest decent method* of the gradient techniques, so that the following equations can be obtained.

$$a_n(k+1) = a_n(k) + \beta \frac{\partial f}{\partial a_n} \quad n=0,1,2; \quad k=0,1,2 \dots \quad (21)$$

where β is the parameter along the search direction. When combining equations (20) and (21) and $r=e_2+y=e_2+D(z)e_1$, the following equations can be obtained.

$$\begin{aligned}\frac{\partial f}{\partial a_0} &\approx -e_2 \left(\frac{1}{1-z^{-1}} \right) e_1 \\ \frac{\partial f}{\partial a_1} &\approx -e_2 \left(\frac{z^{-1}}{1-z^{-1}} \right) e_1 \\ \frac{\partial f}{\partial a_2} &\approx -e_2 \left(\frac{z^{-2}}{1-z^{-1}} \right) e_1\end{aligned}\quad (22)$$

If ignoring the second order parts in $\partial f / \partial a_n$, the negative gradient is basically the product of error signal e_2 and error signal e_1 when using the first order approximation. Therefore, a modified gradient method is used as the search direction in updating the PID parameters. This also agrees with the general adaptive mechanism mentioned in [15]:

new parameter = old parameter +
(bounded step size) \times (function of input) \times (function of error).

More specifically equation (21) can be written into:

$$a_n(k+1) = a_n + \beta e_2(k) e_1(k-n) \quad n=0,1,2; \quad k=0,1,2 \dots \quad (23)$$

Chapter 3

Kalman Filter

for Speed Sensorless Control of Induction Motors

This chapter presents the design of a control observer named the Kalman filter for efficient induction motor control which does not require any speed / position sensors. The Kalman filter is an optimal recursive algorithm, which provides the minimum variance state estimation for a time-varying linear system. It can tolerate system modeling and measurement errors, which are considered as noise processes in the state estimation. The Kalman filter processes all available measurements regardless of their precision, and provides a quick and optimal estimate of the variables of interest, as well as achieves a fast convergence. Its extension to applications for non-linear systems is called the Extended Kalman Filter (EKF). This chapter describes the Kalman filter and its application to induction motor drives.

Section 3.1 presents the basics for Kalman filter. First, the basic formulation of the Kalman filter control for the linear systems is provided. Second, the Kalman filter is extended for the nonlinear systems, in particular for the induction motor control systems. Third, an efficient recursive algorithm for the DSP implementation of the Kalman filter is provided.

Section 3.2 presents the specific formulation of induction motors for the implementation of Kalman filter in the speed sensorless field-oriented control. First, the d-q model of the induction motor is re-formulated such that the rotor flux linkage and speed can be computed efficiently. Second, the per unit formulation is provided for the implementation in the fixed-point DSPs.

3.1 Basics of Kalman Filter

Assume a linear system with the following equations.

$$\text{State Equation: } \dot{x} = Ax + Bu + w \quad (24)$$

$$\text{Output Equation: } y = Cx + v \quad (25)$$

where x is the state variable vector, y is the output vector, u is the input vector, and A, B, C are the system matrices. w and v are the system and the measurement noises respectively.

Assuming that w and v are stationary, white, uncorrelated and *Gauss* noises, their

expectations are zero, their covariance matrices are Q and R respectively.

$$\begin{aligned}\text{cov}(w) &= E\{ww^T\} = Q \\ \text{cov}(v) &= E\{vv^T\} = R\end{aligned}\quad (26)$$

where $E\{\cdot\}$ denotes the expected value, that is:

$$E(w) = \int_{-\infty}^{\infty} wf(w)dw \quad (27)$$

where $f(w)$ is the probability of w .

Briefly speaking, Kalman filter has the same structure as an observer shown in Figure 12. The system equation of the Kalman filter is as follows.

$$\dot{\hat{x}} = A\hat{x} + Bu + K(y - C\hat{x}) = (A - KC)\hat{x} + Bu + Ky \quad (28)$$

where \hat{x} is the estimate of state x . Kalman gain matrix K is a solution based on the well-known *Riccati equation*, which is developed to minimize the following quadratic objective function [6].

$$\text{Minimize: } J = \sum_{i=1}^n E\{e_i^2\}, \quad e = x - \hat{x} \quad (29)$$

$$\text{Kalman gain: } K = PC^T R^{-1} \quad (30)$$

$$\text{Riccati equation: } AP + PA^T - PC^T R^{-1} CP + Q = 0 \quad (31)$$

The error covariance matrix P is the solution of *Riccati equation*, which is used to determine the feedback matrix K of the Kalman filter. The matrix K , which is called Kalman gain, determines how the estimate of the state vector \hat{x} is modified after the output of Kalman filter is compared with the real output of the system.

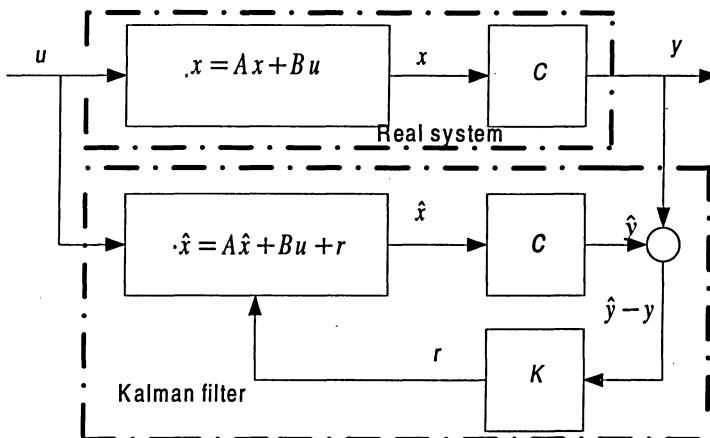


Figure 12: Principle of Kalman Filter

The extended Kalman filter (EKF) is developed to deal with the non-linearity of the induction motor. Assume g and h are the functions of the state equation and the output equation for a nonlinear system.

$$\begin{aligned}\dot{x} &= g(x, u, t) \\ y &= h(x)\end{aligned}\quad (32)$$

The discrete time model of the nonlinear system can be represented in the following equations.

$$\begin{aligned}x(k+1) &= x(k) + Tg(x(k), u(k), k) = \Phi(x(k), u(k), k) \\ y(k) &= h(x(k))\end{aligned}\quad (33)$$

Where T is the sample period. The linearizing model of equation (33) is as follows.

$$x(k+1) = A(k)x(k) + B(k)U(k) + w(k) \quad (34)$$

$$y(k) = C(k)x(k) + v(k) \quad (35)$$

where $A(k) = \frac{\partial \Phi}{\partial x} \Big|_{x=x_k}$, $B(k) = \frac{\partial \Phi}{\partial u} \Big|_{u=u_k}$, $C(k) = \frac{\partial h}{\partial x} \Big|_{x=x_k}$

The $v(k)$ and $w(k)$ are considered as noises, with their covariance matrices R and Q . If the input U_k is perfectly known, then the prediction of state x_k is as follows:

$$\hat{x}(k+1) = A(k)\hat{x}(k) + B(k)U(k) \quad (36)$$

The state prediction error is found by subtracting equations (36) from equation (34) as given below.

$$\hat{x}(k+1) - x(k+1) = A(k)[\hat{x}(k) - x(k)] - w(k) \quad (37)$$

For simplicity, equation (37) can be written as:

$$\begin{aligned}\hat{x}_{k+1} - x_{k+1} &= A_k(\hat{x}_k - x_k) - w_k \\ e_{k+1} &= A_k e_k - w_k \\ e_k &= \hat{x}_k - x_k\end{aligned}\quad (38)$$

Hence, the covariance matrix P_k of state prediction error e_k is:

$$P_{k+1} = A_k P_k A_k^T + Q \quad (39)$$

The objective function for estimating x_{k+1} is set as follows.

$$\hat{x}_{k+1} = \arg \min_x [(\hat{x}_k - x)^T P_k^{-1} (\hat{x}_k - x) + (y_k - C_k x)^T R^{-1} (y_k - C_k x)] \quad (40)$$

The minimum is found by putting the partial derivative with respect to x equal to zero. This yield:

$$\hat{x}_{k+1} = \hat{x}_k + K_k (y_k - C_k \hat{x}_k) \quad (41)$$

$$P_{k+1} = P_k - K_k C_k P_k \quad (42)$$

$$K_k = P_k C_k^T (R + C_k P_k C_k^T)^{-1} \quad (43)$$

The extended Kalman filter (EKF) can be implemented in a DSP using a recursive algorithm given below. The implementation requires the following five steps:

1) State vector prediction at instant $k+1$.

$$x_{k+1/k} = \Phi(x_{k/k}, u_k, k) \quad (44)$$

2) Prediction error covariance matrix computation.

$$P_{k+1/k} = A_k P_{k/k} A_k^T + Q \quad (45)$$

3) Kalman gain computation at instant $k+1$.

$$K_{k+1} = P_{k+1/k} C_k^T (C_k P_{k+1/k} C_k^T + R)^{-1} \quad (46)$$

4) State vector estimation at instant $k+1$.

$$x_{k+1/k+1} = x_{k+1/k} + K_{k+1} (y_{k+1} - h(x_{k+1/k})) \quad (47)$$

5) Filter error covariance matrix computation at instant $k+1$.

$$P_{k+1/k+1} = P_{k+1/k} - K_{k+1} C_k P_{k+1/k} \quad (48)$$

Equation (47) is crucial to the EKF algorithm, because it provides the state estimation. Figure 13 shows the EKF algorithm used in induction motor control.

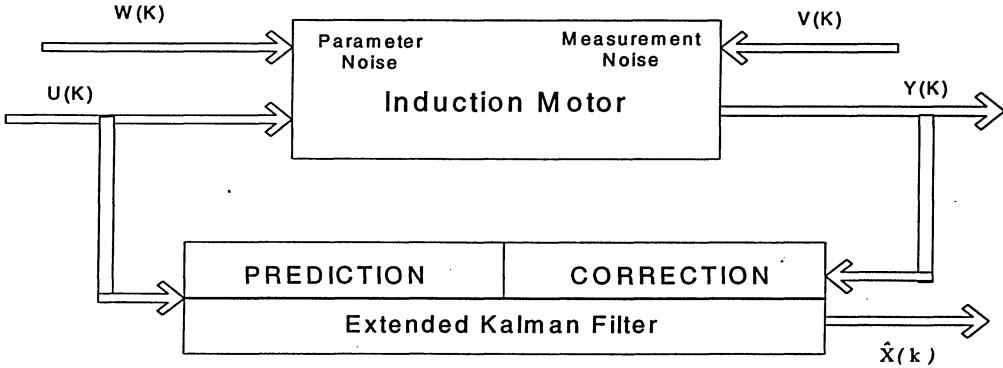


Figure 13: Extended Kalman Filter Algorithm

3.2 Induction Motor Model for Implementation of Kalman Filter

As shown in previous section, an appropriate model of induction motor is required to

implement the Kalman filter [16]. The following presents the formulation of induction motors for the implementation of the Kalman filter.

The stator and rotor flux in the stator reference frame are defined as

$$\begin{aligned}\Psi_{S\alpha} &= L_S i_{S\alpha} + L_H i_{R\alpha} \\ \Psi_{S\beta} &= L_S i_{S\beta} + L_H i_{R\beta} \\ \Psi_{R\alpha} &= L_R i_{R\alpha} + L_H i_{S\alpha} \\ \Psi_{R\beta} &= L_R i_{R\beta} + L_H i_{S\beta}\end{aligned}\tag{49}$$

The α - β stator voltages in the stator reference frame are:

$$\begin{aligned}V_{S\alpha} &= R_S i_{S\alpha} + \frac{d}{dt} \Psi_{S\alpha} \\ V_{S\beta} &= R_S i_{S\beta} + \frac{d}{dt} \Psi_{S\beta}\end{aligned}\tag{50}$$

The α - β rotor voltages in the stator reference frame are:

$$\begin{aligned}V_{R\alpha} &= R_R i_{R\alpha} + \omega \Psi_{R\beta} + \frac{d}{dt} \Psi_{R\alpha} \\ V_{R\beta} &= R_R i_{R\beta} - \omega \Psi_{R\alpha} + \frac{d}{dt} \Psi_{R\beta}\end{aligned}\tag{51}$$

For squirrel-cage induction motor, the rotor voltages are zero that is $V_{R\alpha}=0$, $V_{R\beta}=0$. Since the digital computation period for the speed control loop is very short as compared to the induction motor speed, the speed can be considered constant to have no change during one sampling period, that is $d\omega/dt=0$. If the required rotor flux $\Psi_{R\alpha}$, $\Psi_{R\beta}$, stator current i_{sa} , i_{sb} and speed ω are selected as state variables, the state equation and output equation of the induction motor can be written as:

1) State equation is

$$\frac{d}{dt} \begin{bmatrix} i_{S\alpha} \\ i_{S\beta} \\ \Psi_{R\alpha} \\ \Psi_{R\beta} \\ \omega \end{bmatrix} = \begin{bmatrix} -\frac{K_R}{K_L} & 0 & \frac{L_H R_R}{L_R^2 K_L} & \frac{L_H \omega}{L_R K_L} & 0 \\ 0 & -\frac{K_R}{K_L} & -\frac{L_H \omega}{L_R K_L} & \frac{L_H R_R}{L_R^2 K_L} & 0 \\ \frac{L_H}{T_R} & 0 & -\frac{1}{T_R} & -\omega & 0 \\ 0 & \frac{L_H}{T_R} & \omega & -\frac{1}{T_R} & 0 \\ 0 & 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_{S\alpha} \\ i_{S\beta} \\ \Psi_{R\alpha} \\ \Psi_{R\beta} \\ \omega \end{bmatrix} + \frac{1}{K_L} \begin{bmatrix} 1 & 0 \\ 0 & 1 \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \end{bmatrix} \begin{bmatrix} u_{S\alpha} \\ u_{S\beta} \end{bmatrix}\tag{52}$$

2) Output equation is

$$\begin{bmatrix} i_{S\alpha} \\ i_{S\beta} \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_{S\alpha} \\ i_{S\beta} \\ \Psi_{R\alpha} \\ \Psi_{R\beta} \\ \omega \end{bmatrix} \quad (53)$$

where $K_R = R_S + (L_H/L_R)^2 R_R$, $K_L = \sigma L_S$. The *per unit model* is useful for the digital implementation as it converts various quantity ranges into one single range. This allows to choose one accurate numerical representation for the complete system. With the implementation in the fixed-point DSP TMS320LF2407, the *Q15* format is used in this research paper for its greatest precision. In per unit model, all quantities are scaled with respect to their base values.

$$\begin{aligned} i_{S\alpha} &= i_{S\alpha}^n I_b, & \Psi_{R\alpha} &= \Psi_{R\alpha}^n \Psi_b, & u_{S\alpha} &= u_{S\alpha}^n U_b, & \omega &= \omega^n \omega_b \\ i_{S\beta} &= i_{S\beta}^n I_b, & \Psi_{R\beta} &= \Psi_{R\beta}^n \Psi_b, & u_{S\beta} &= u_{S\beta}^n U_b, & & \end{aligned} \quad (54)$$

$$\begin{aligned} V_b &= I_b Z_b \\ \Psi_b &= V_b / \omega_b \end{aligned} \quad (55)$$

where I_b , V_b are the base values of the phase current and voltage. ω_b is the nominal speed, Ψ_b is the base flux, Z_b is the base impedance. $i_{S\alpha}^n$, $i_{S\beta}^n$, $\Psi_{R\alpha}^n$, $\Psi_{R\beta}^n$, $u_{S\alpha}^n$, $u_{S\beta}^n$, ω^n are normalized currents, fluxes, voltages and speed respectively.

By using normalized values of state variables, equations (52) and (53) can be written as the *Per Unit Model of Induction Motors* below.

1) State equation is

$$\frac{d}{dt} \begin{bmatrix} i_{S\alpha}^n \\ i_{S\beta}^n \\ \Psi_{R\alpha}^n \\ \Psi_{R\beta}^n \\ \omega^n \end{bmatrix} = \begin{bmatrix} -\frac{K_R}{K_L} & 0 & \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} & \frac{L_H Z_b \omega^n}{L_R K_L} & 0 \\ 0 & -\frac{K_R}{K_L} & -\frac{L_H Z_b \omega^n}{L_R K_L} & \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} & 0 \\ \frac{L_H}{T_R} \frac{\omega_b}{Z_b} & 0 & -\frac{1}{T_R} & -\omega_b \omega^n & 0 \\ 0 & \frac{L_H}{T_R} \frac{\omega_b}{Z_b} & \omega_b \omega^n & -\frac{1}{T_R} & 0 \\ 0 & 0 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_{S\alpha}^n \\ i_{S\beta}^n \\ \Psi_{R\alpha}^n \\ \Psi_{R\beta}^n \\ \omega^n \end{bmatrix} + \frac{Z_b}{K_L} \begin{bmatrix} 1 & 0 \\ 0 & 1 \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \end{bmatrix} \begin{bmatrix} u_{S\alpha}^n \\ u_{S\beta}^n \end{bmatrix} \quad (56)$$

2) Output equation is

$$\begin{bmatrix} i_{S\alpha}^n \\ i_{S\beta}^n \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} i_{S\alpha}^n \\ i_{S\beta}^n \\ \Psi_{R\alpha}^n \\ \Psi_{R\beta}^n \\ \omega^n \end{bmatrix} \quad (57)$$

Using the linearizing form of the induction motor model, the matrices and vectors that are needed for the EKF recursive algorithm [equations (44)-(48)] can be calculated.

$$\Phi = \begin{bmatrix} (1-T \frac{K_R}{K_L})i_{S\alpha}^n + T \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} \Psi_{R\alpha}^n + T \frac{L_H Z_b}{L_R K_L} \omega^n \Psi_{R\beta}^n + T \frac{Z_b}{K_L} u_{S\alpha}^n \\ (1-T \frac{K_R}{K_L})i_{S\beta}^n - T \frac{L_H Z_b}{L_R K_L} \omega^n \Psi_{R\alpha}^n + T \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} \Psi_{R\beta}^n + T \frac{Z_b}{K_L} u_{S\beta}^n \\ T \frac{L_H}{T_R} \frac{\omega_b}{Z_b} i_{S\alpha}^n + (1-\frac{T}{T_R}) \Psi_{R\alpha}^n - T \omega_b \omega^n \Psi_{R\beta}^n \\ T \frac{L_H}{T_R} \frac{\omega_b}{Z_b} i_{S\beta}^n + T \omega_b \omega^n \Psi_{R\alpha}^n + (1-\frac{T}{T_R}) \Psi_{R\beta}^n \\ \omega^n \end{bmatrix} \quad (58)$$

$$h = Cx = \begin{bmatrix} i_{S\alpha}^n \\ i_{S\beta}^n \end{bmatrix} \quad (59)$$

$$A = \frac{\partial \Phi}{\partial x} = \begin{bmatrix} 1-T \frac{K_R}{K_L} & 0 & T \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} & T \frac{L_H Z_b}{L_R K_L} \omega^n & T \frac{L_H Z_b}{L_R K_L} \Psi_{R\beta}^n \\ 0 & 1-T \frac{K_R}{K_L} & -T \frac{L_H Z_b}{L_R K_L} \omega^n & T \frac{L_H R_R}{L_R^2 K_L} \frac{Z_b}{\omega_b} & -T \frac{L_H Z_b}{L_R K_L} \Psi_{R\alpha}^n \\ T \frac{L_H}{T_R} \frac{\omega_b}{Z_b} & 0 & 1-\frac{T}{T_R} & -T \omega_b \omega^n & -T \omega_b \Psi_{R\beta}^n \\ 0 & T \frac{L_H}{T_R} \frac{\omega_b}{Z_b} & T \omega_b \omega^n & 1-\frac{T}{T_R} & T \omega_b \Psi_{R\alpha}^n \\ 0 & 0 & 0 & 0 & 1 \end{bmatrix} \quad (60)$$

$$C = \frac{\partial h}{\partial x} = \begin{bmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \end{bmatrix} \quad (61)$$

First, the matrices and vectors for the induction motor model are calculated. Second, the recursive algorithm for the extended Kalman filter is executed. Third, the rotor flux and the rotor speed are computed.

The recursive Kalman filter algorithm can accurately determine the speed of the induction motor and the rotor flux position or angle. This allows an accurate control of the motor speed without the need of a speed or position sensor. However, the implementation of the Kalman filter is a fairly involved process. The model of the induction motor must be calculated in real time, which involves many matrix multiplications. The DSP with high computation capability is most suitable for this type of control process.

Appendix B lists all the internal parameters of the induction motor used in this research paper, which are needed for the calculations of equations (44) to (48).

Chapter 4

Digital Signal Processor Implementation of Speed Sensorless Field Oriented Control

This chapter presents the digital signal processor (DSP) implementation of the field oriented control (FOC) of induction motors without any speed or position sensors. The hardware and the software implementation of the speed sensorless FOC system is detailed in this chapter. The following outlines the sections in this chapter.

- Section 4.1 presents an overview of the DSP FOC operation. This section describes the key operations which include determination of the rotor speed and flux angle using Kalman filter, d-q transformation with respect to the rotor flux, speed and torque regulation, and generation of PWM control signals.
- Section 4.2 presents the hardware implementation of the FOC system for induction motors. This section describes the power electronic inverter circuit, the DSP control circuit, and their interface used for the implementation.
- Section 4.3 presents the software implementation of the FOC operation. This section describes the software modules used to implement the sensorless speed control of induction motors.
- Section 4.4 presents the debugging of hardware and software. This section describes the six phases used in debugging the FOC software and hardware.

4.1 Overview of DSP FOC Operations

The fixed-point DSP TMS320LF2407 is the core of the control system designed in this research paper. The following provides an overview of the DSP FOC operations.

- 1) The DSP operates its analog-to-digital converter (ADC) to collect the instantaneous induction motor input currents measured by a current transducer at the motor terminal.
- 2) The DSP executes the recursive algorithm of the extended Kalman filter, using the measured motor currents, to compute the α and β currents, the rotor speed and flux angle.

- 3) The DSP carries out a specific d-q transformation with the d-coordinate chosen to be in line with the rotor flux, using the α - β currents and the flux angle, to compute the d-coordinate and q-coordinate currents.
- 4) The DSP executes three feedback regulators for the motor speed, the rotor torque, and the rotor flux, to determine the d-coordinate and the q-coordinate stator reference voltages.
- 5) The DSP carries out an inverse d-q transformation, using the d-q reference voltages, to compute the stator α and β reference voltages.
- 6) The DSP executes the space vector pulse-width-modulation (PWM) module, using the α - β reference voltages, to compute the PWM control signals.
- 7) The DSP finally outputs the PWM control signals to the gating circuits of the power electronic inverter that drives the induction motor.

4.2 Hardware Implementation of Field Oriented Control

Figure 14 shows the block diagram of the hardware required to implement a sensorless speed control system for an induction motor. The DSP control system designed in this research paper consists of the following major hardware components:

- 1) DSP controller: Texas Instruments, eZdspTMS320LF2407 development kit.
- 2) Current sensors: Two LEM, 10A current transducers.
- 3) Power inverter: Semikron-SkiiP2, IGBT module.
- 4) Induction motor: Teco-Westinghouse, 3-Phase, 60Hz induction motor.

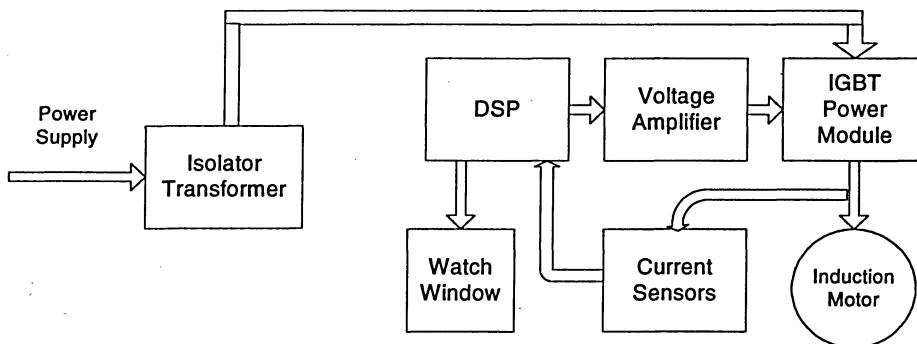


Figure 14. Experiment Setup for Sensorless Control System

The power hardware used to implement and test the control scheme developed in this research paper is based on the six-power IGBT module (SkiiP2 from *SEMIKRON*). This module is controlled by a DSP (TMS320LF2407 from Texas Instruments) via a voltage-level shifter (MC14504). This shifter amplifies the PWM output voltages from 3.3V to 15V for gating the IGBT switches. The current sensing is performed via two current-to-voltage transducers (*LEM* type) supplied with $\pm 12V$. Their maximum input current is $\pm 10A$, which is converted into a 3.3V output voltage to match the requirement of inputs to DSP. The induction motor is a 3-Phase, 60Hz motor (EPACT from *TECO-WESTINGHOUSE*), of which the rated power is 5 horsepower.

DSP is the key control element in this research paper design of the FOC of induction motors. The settings of the DSP TMS320LF2407 are given as follows.

- Development/Emulation: Code Composer 4.1 supports real-time debugging.
- CPU Clock: 30MHz.
- PWM frequency: 5 kHz.
- PWM mode: Symmetrical with dead band $1.8\mu s$.
- Interrupts: 2 (T1 Underflow - System time base).
- System time base/PWM period: $200\mu s$.
- Peripheral Usage: Timer 1, PWM1-6, ADC (2 channels).
- Current loop sampling frequency: 5 kHz.

Two ADC input pins (Pin 4, 6 in port P1) are used to sense the two stator currents i_a , i_b . PWM 1-PWM6 output pins (Pin 9-14 in port P2) are used to drive the IGBT power inverter.

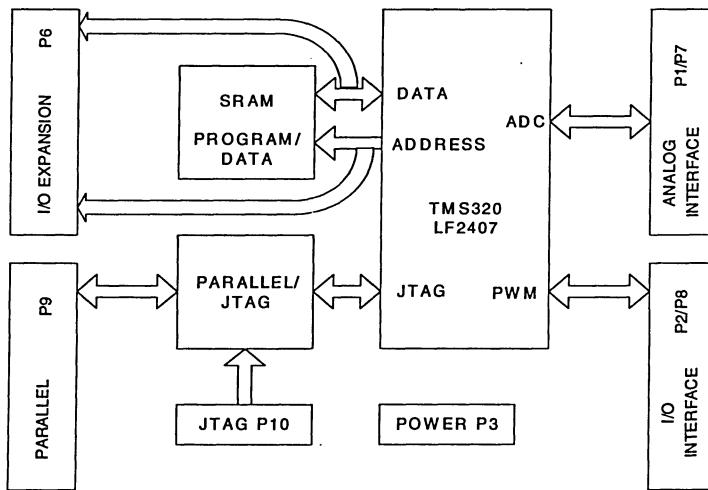


Figure 15: Block Diagram of eZdsp™ LF2407

The eZdsp LF2407 platform is used to develop and run software for the DSP TMS320LF2407. With 64K words of onboard program/data RAM, this platform allows a full speed verification of software code. To simplify code development and shorten

debugging time, a C2000 Tools Code Composer driver is provided, which could run the software in real time. Figure 15 shows the block diagram of this platform.

4.3 DSP Software Implementation of Field Oriented Control

DSP control software developed in this research paper is based on two modules: the initialization and the run module. The initialization module is performed only once at the beginning of the software execution. The run module is based on a user interface loop interrupted by the PWM underflow. When this interrupt flag is set, the corresponding *Interrupt Service Routine* (ISR) is acknowledged and served. The complete extended Kalman filter (EKF) and the FOC algorithms are computed within a PWM interrupt at the same period as the chopping frequency 5 KHz. The overview of the software is given in Figure 16.

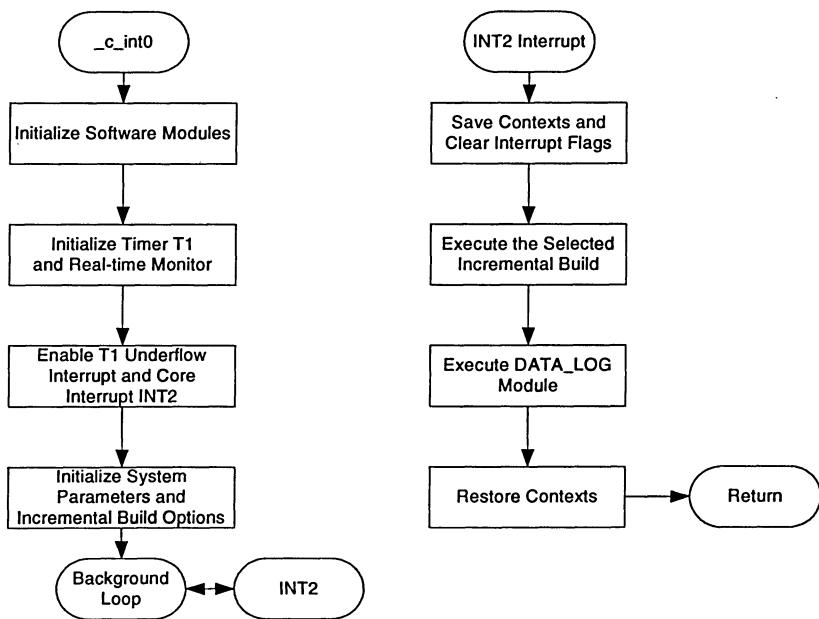


Figure 16: Software Flowchart

The DSP Controller Full Compare Units are designed to generate symmetrical complementary PWM signals to the power inverter at a frequency of 5KHz. TIMER1 is used as the time base with a sampling period $T = 200 \mu s$.

The benefits of structured modulator software are well known. This is especially true for large complex systems, such as the FOC motor control, with many sub-blocks. It reduces the developing time, and could be reused in the future project. Therefore, a typical

incremental build process is used in this research paper.

Phase commissioning options

phase_commissioning1	.set	1	; hardware checkup
phase_commissioning2	.set	0	; open loop start up
phase_commissioning3	.set	0	; current measurement chain checking
phase_commissioning4	.set	0	; current regulation implementation
phase_commissioning5	.set	0	; Kalman filter estimation
phase_commissioning6	.set	0	; closed current and speed loop

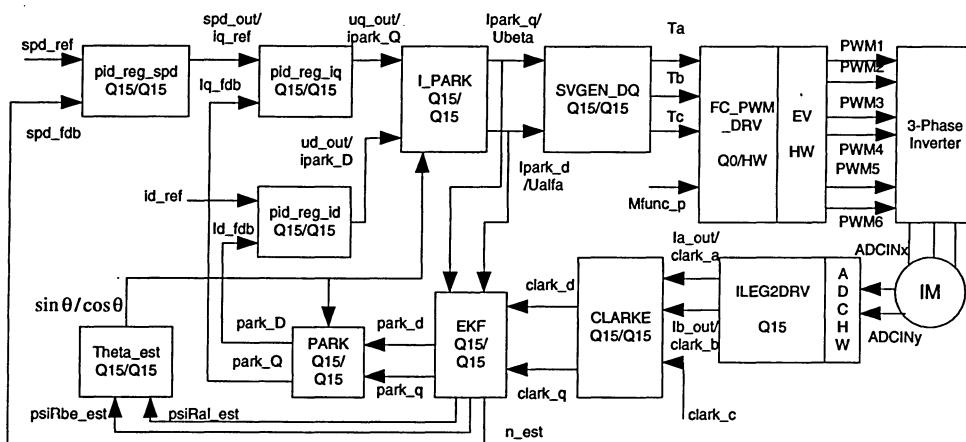


Figure 17: EKF Software Structure for an Induction Motor

The Figure 17 shows the block diagram of the software developed in this research paper. The system implemented here uses the following assembly software modules, which meet the requirements of reusability, compatibility, predictability and expandability. Appendix D gives all of the software modules used in this research paper.

CLARKE: Clarke transformation module converts the three-phase stator currents into two-phase quadrature currents.

EKF: Extended Kalman filter computes the rotor flux and speed.

DATA_LOG: Store the real-time values of two selected variables for graphical display.

I_PARK: Inverse Park transformation converts rotating reference frame into stationary frame.

ILEG2DRV-ADC: Convert two current inputs i_a , i_b into digital representations.

PARK: Park transformation converts two-phase α - β stationary frame into d-q rotating reference frame.

PID_REG_ID/IQ: Control module for regulatinge currents i_d , i_q .

PID_REG_SPD: Control module for speed control loop.

FC_PWM_DRV: Generate PWM outputs.

THETA_EST: Calculate the sine value and cosine value of rotor flux angle ($\sin \theta / \cos \theta$) for Park transformation and inverse Park transformation.

RAMP_GEN: Generate 60 Hz saw-tooth waveform to emulate the rotor flux angle in debugging.

SINTB360: Look-up table for sine value from 0° to 360° .

SQRT_TAB: Square-root table from 0 to 1.22.

SVGEN_DQ: Use space vector PWM technique to calculate duty ratios for PWM1-PWM6.

SYS_INIT: Initialize the software.

4.3 Debugging of Software and Hardware

After the hardware work and software programming have been completed, the software needs to be carefully debugged. The Incremental Build Process plays a key role in debugging, which decomposes the whole control task into several small tasks. There are totally six phases in debugging of the control system:

Phase 1: Confirm operation of hardware connection and the code framework.

Phase 2: Check the forward control path and PWM driver.

Phase 3: Use the 60 Hz open-loop start to check the current sensing and feedback path.

Phase 4: Check the correct operation of the current regulators.

Phase 5: Examine the correct operation of extended Kalman filter estimation and insert it in the control system.

Phase 6: Implement close loop control of current and speed.

For simplicity, Phase 2 is explained as an example. The other phase debugging procedure can be found in the software of main program foc2.asm (Appendix D).

a) Goal of the Phase 2

The objective of this phase is to check the PWM driver and PWM outputs with a simple RC filter. Following this verification, the induction motor will be connected to the power inverter board and started to run smoothly.

b) Building blocks interconnection

Figure 18 shows all software modules to be used in Phase 2. The output of the inverse Park module "I_PARK" is used as the stator voltage reference. The amplitude and phase of this voltage vector are translated into commutation durations by the SVGEN_DQ module, which uses the space vector PWM technique. The FC_PWM_DRV module uses the timing information to generate the PWM outputs to control inverter for driving the induction motor. The DATA_LOG module provides a dual memory buffer to display two graphical waveforms in real time, which could be used to show any interested variable such as T_a , T_b , T_c or PWM outputs. The RAMP_GEN module is used to generate a 60-Hz saw-tooth waveform to emulate the rotor flux angle in debugging.

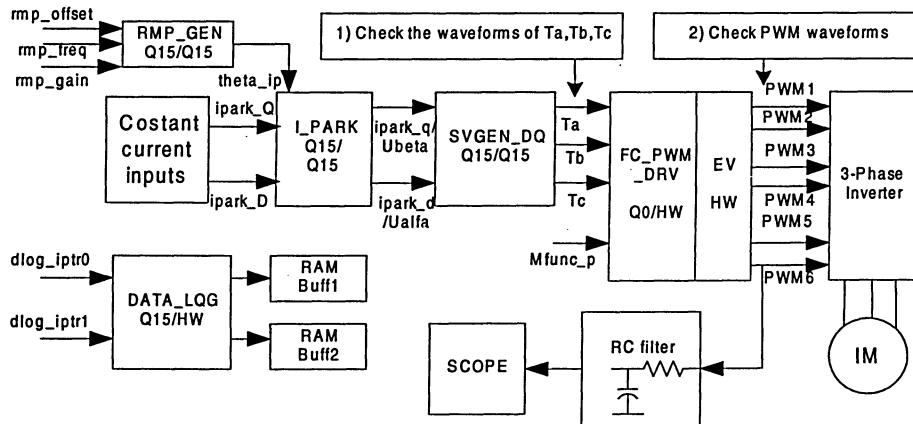


Figure 18: Overview of Phase 2 Software Flow

c) Hardware and software debugging in Phase 2

1. Select the build option *phase_commissioning2.set 1* (the others stay to zero) in the main program *foc2.asm*, then build the project and load the program *foc2.out* and the corresponding workspace (see Figure 19).
2. Connect a RC filter to one PWM output.
3. Verify that the filtered waveform.
4. The values of resistor and capacitor in the RC low-pass filter can be changed to have different cutoff frequencies, which must be well below the PWM carrier frequency.
5. Connect the PWM outputs to the power inverter.
6. Increase the input voltage gradually until the motor starts running.
7. Change the value of *rmp_freq* (one of inputs in RAMP_GEN module) in a real-time watch window to vary the motor speed.

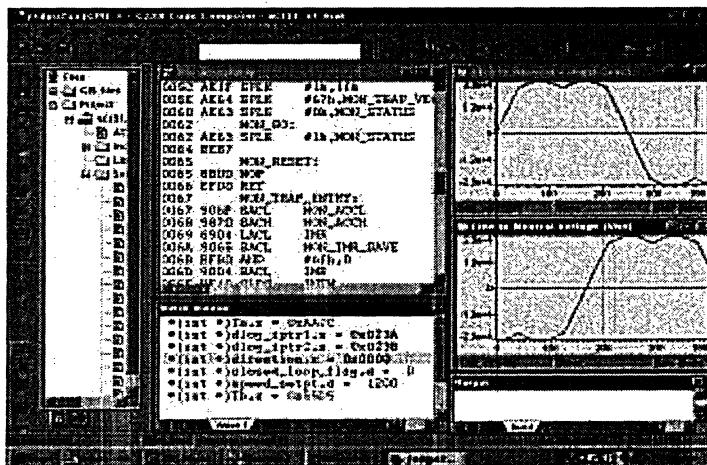


Figure 19: Overview of Phase 2 Workspace

It should be pointed out that the real time watch window is very helpful in the debugging period, since it can be used to watch each internal variable defined in the software and can be updated continuously.

Chapter 5

Experimental Verification of

Field Oriented Motor Control using Kalman Filter

This chapter presents the experimental verification of the field oriented control of induction motor using Kalman filter. Typical measurements are given to demonstrate the efficiency of the novel control designed in this research paper.

The following outlines the sections in this chapter.

Section 5.1 presents all the waveforms of the internal states in the close-loop speed control to demonstrate the efficiency of the control process designed in this research paper.

Section 5.2 demonstrates the dynamic response of the speed sensorless control scheme, and results of the speed-step response are given.

Section 5.3 shows the quality of the speed sensorless control, and results of the relative speed errors are given.

5.1 Internal States of Closed-Loop Control

This section presents all the waveforms of the internal states in the close-loop speed control to demonstrate the efficiency of the control process designed in this research paper. The control scheme was shown in Figure 17 (Chapter 4). In the following demonstration, the reference speed spd_ref was set to 1758 rpm

- 1) Phase currents (i_a , i_b) are measured by current transducers, then the outputs of the transducers are converted into digital signals (Ia_out , Ib_out) by two analog-to-digital (ADC) channels in the DSP analog interface. Figure 20 shows the phase currents.

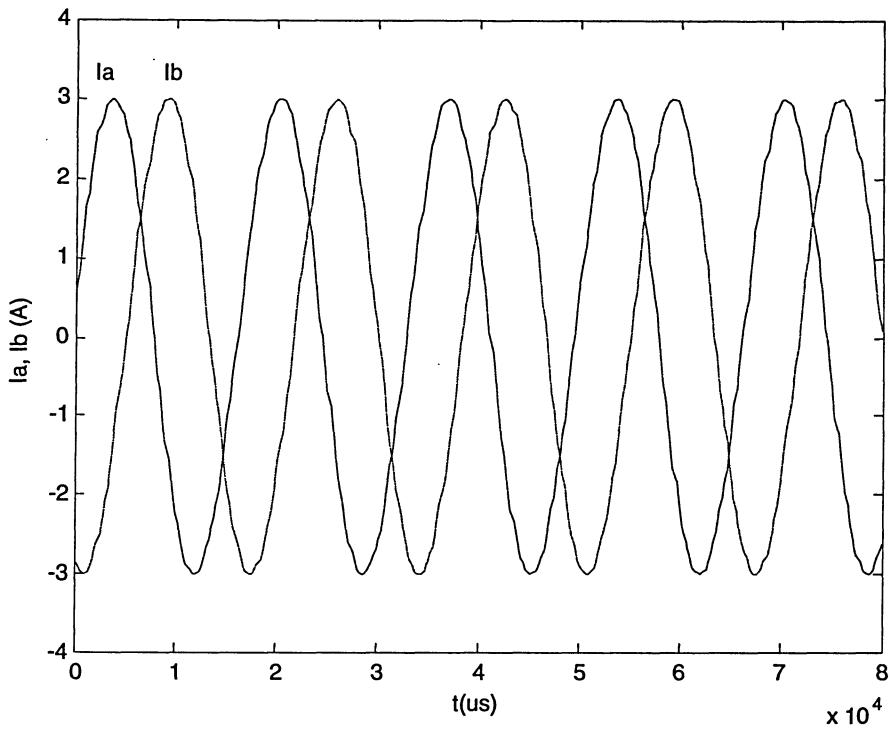


Figure 20: i_a, i_b Currents from ADC

- 2) The digital signals of the two phase currents are transformed into α - β currents (*clark_d*, *clark_q*) using Clarke transformation. Figure 21 shows the α - β currents.

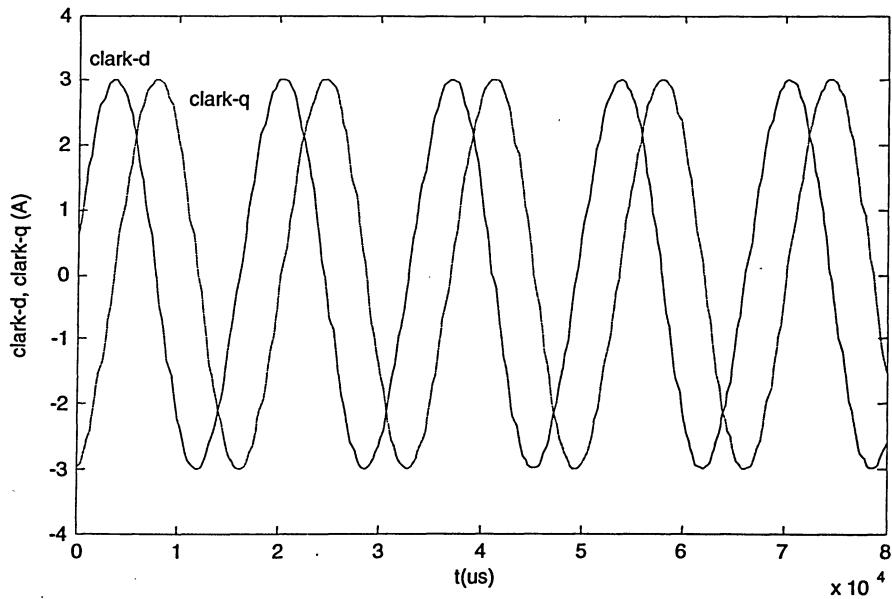


Figure 21: Currents from Clarke Transformation

- 3) Kalman filter module has four inputs (two currents $clark_d$, $clark_q$ and two voltages $Ubeta, Ualfa$) and five estimate outputs (two currents $iSal_est$, $iSbe_est$, two rotor fluxes ψRal_est , ψRbe_est and one speed estimation n_est). Figure 22 and Figure 23 show the estimated outputs from the Kalman filter module.

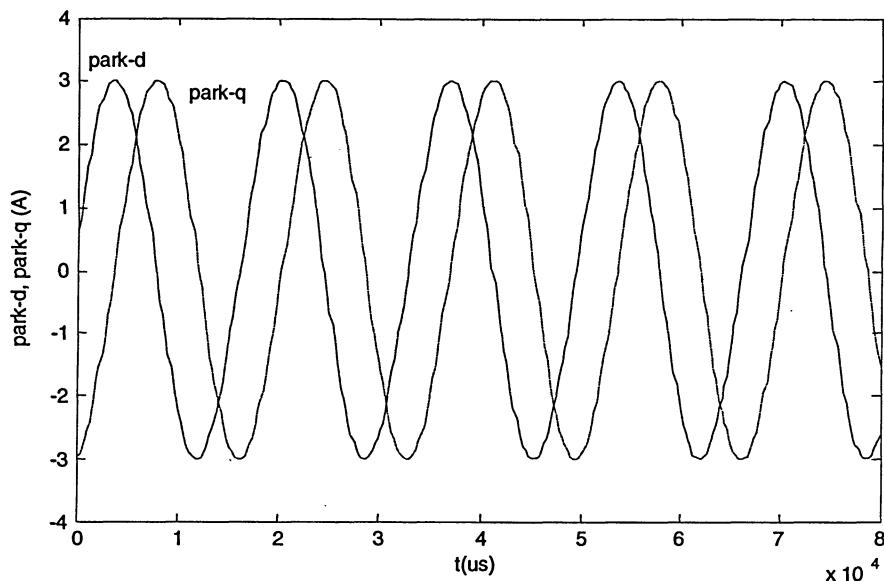


Figure 22: Current Estimated by Kalman Filter

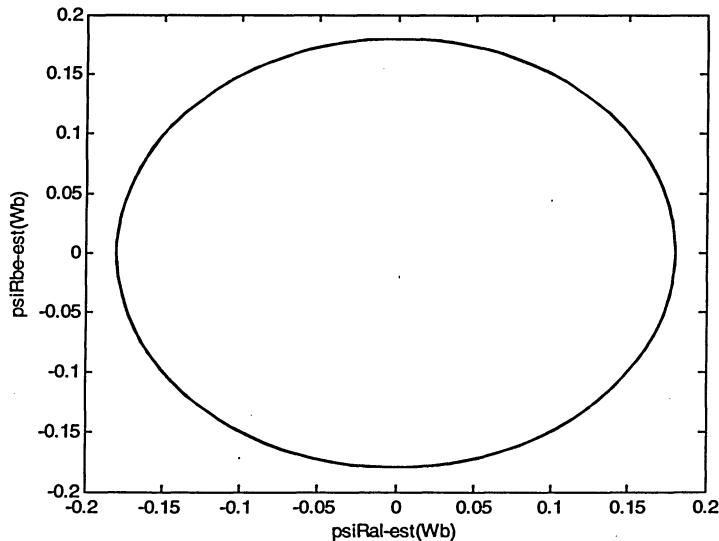


Figure 23: Flux Circle Estimated by Kalman Filter

- 4) $\alpha\beta$ currents ($park_d$, $park_q$) computed by Kalman filter module are transformed into two quadrature currents ($park_D$, $park_Q$) with reference to the rotor flux using extended Park transformation. Figure 24 shows the quadrature currents.

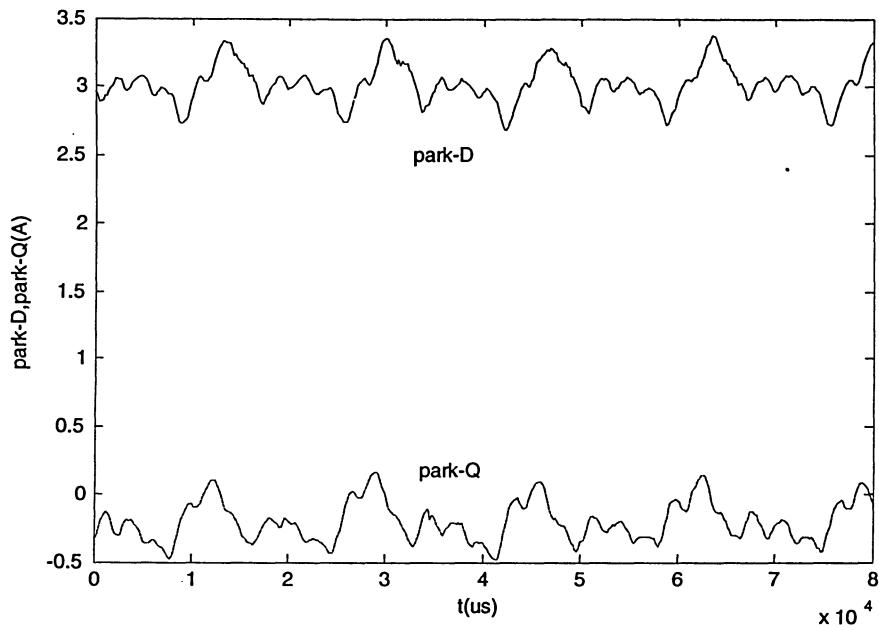


Figure 24: Currents from Park Transformation

- 5) Speed regulator has two inputs. One is reference speed (spd_ref), and the other is speed feedback (spd_fdb) estimated by Kalman filter. The output of the regulator is used as the reference i_q current (iq_ref). Figure 25 shows the speed control.

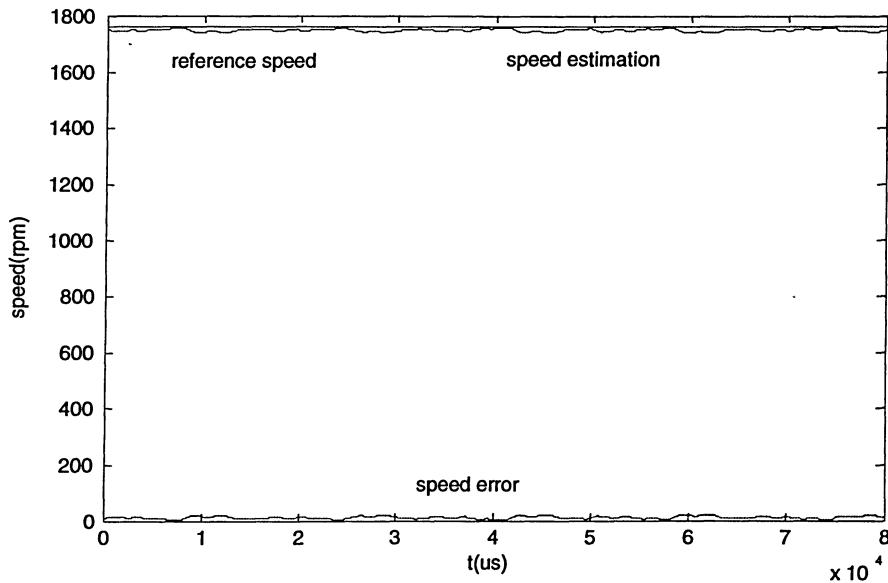


Figure 25: Speed Control

- 6) There are two regulators for i_d and i_q . The i_d regulator has two inputs: one is reference i_d (i_d_ref), which is dependent on the flux requirement; the other is feedback i_d (i_d_fdb), which is obtained from the Park transformation. Similarly, the i_q regulator has two inputs: one is reference i_q (i_q_ref), which is dependent on the speed requirement; the other is feedback i_q (i_q_fdb), which is obtained from the Park transformation. Figure 26 shows the torque control and Figure 27 shows the flux control. Figure 28 shows the outputs from the two regulators.

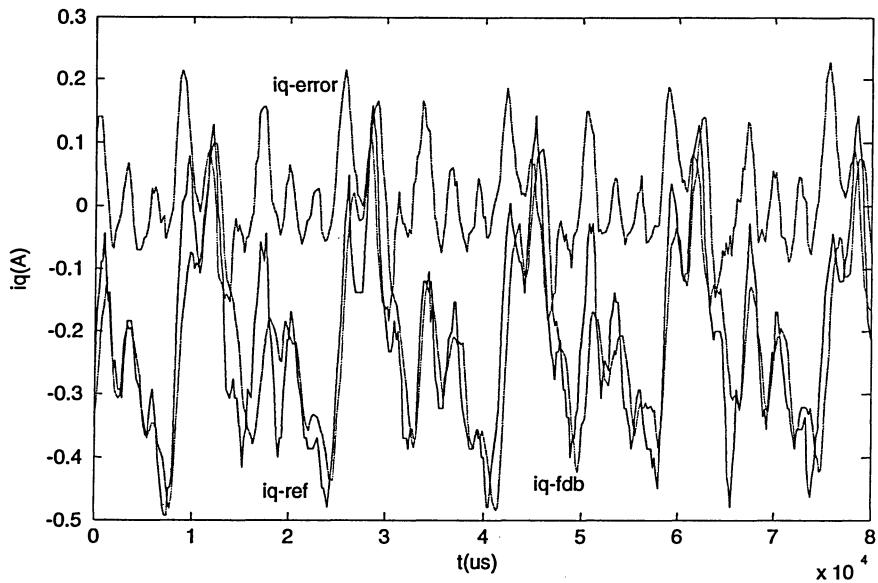


Figure 26: i_q (torque component) Control

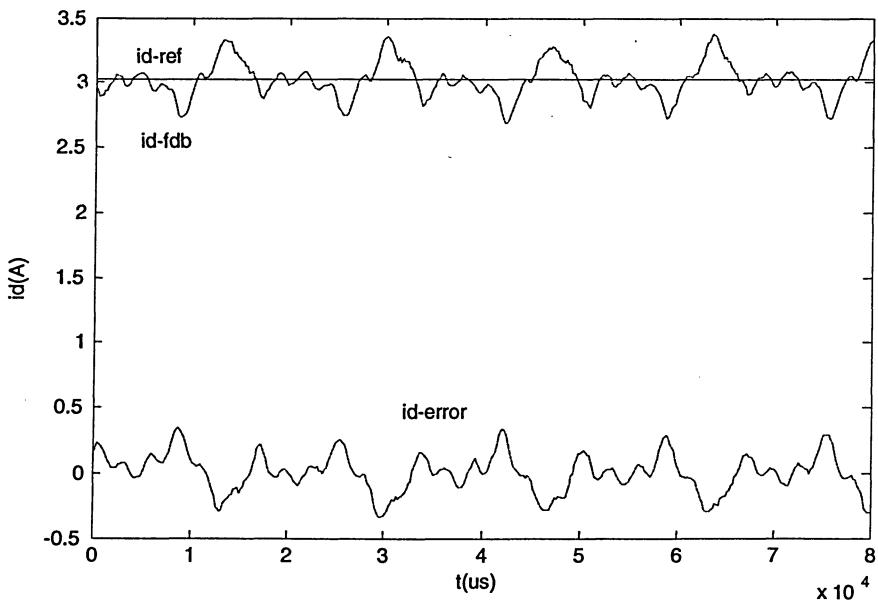


Figure 27: i_d (flux component) Control

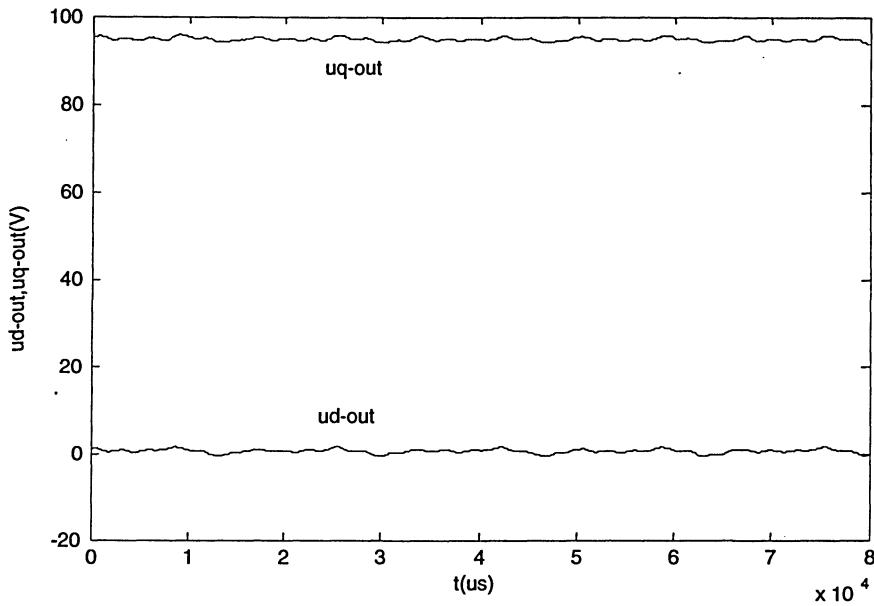


Figure 28: Voltage Outputs from i_d , i_q Regulators

- 7) Inverse Park transformation is used to convert the outputs of the two current regulators (ud_{out} , uq_{out}) into α - β voltages (U_{alpha} , U_{beta}). Figure 29 shows the α - β voltages.

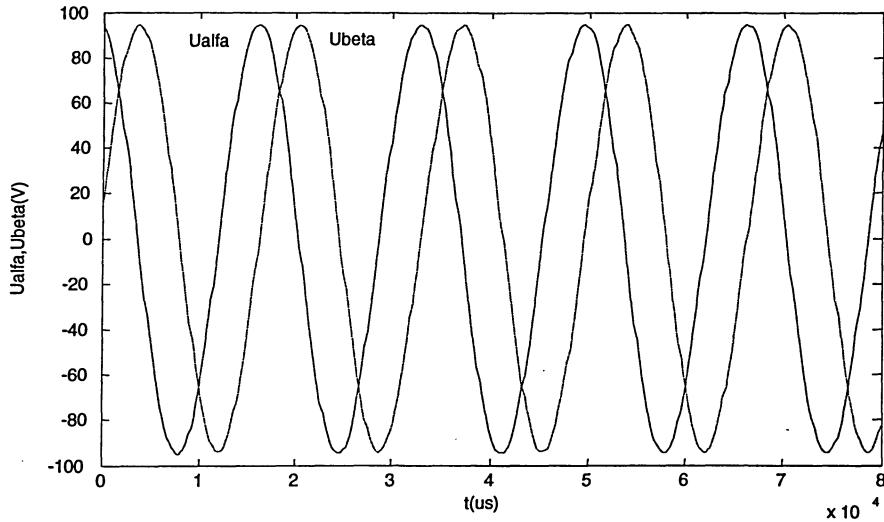


Figure 29: U_{alpha} , U_{beta} from Inverse Park Transformation

- 8) Flux angle estimation ($theta_est$) is used to calculate the sine and cosine values of flux angle, which are crucial to Park and inverse-Park transformations, based on the estimated flux inputs from Kalman filter.
- 9) Given the required α - β voltages (U_{alpha} , U_{beta}), space vector PWM module is used to generate corresponding ON durations: T_a , T_b and T_c in a sample period T . Figure 30

shows the durations.

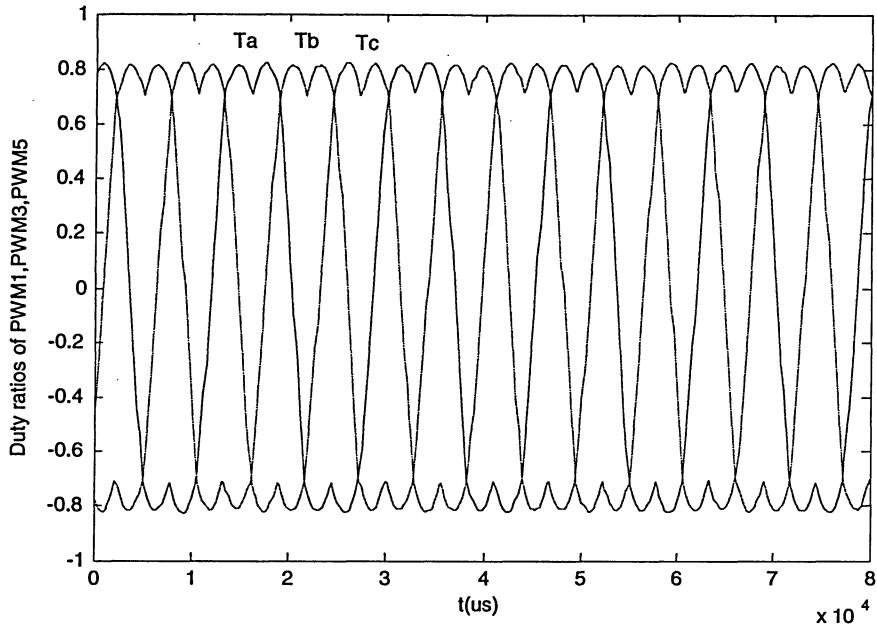


Figure 30: Duty Ratios of PWM1, PWM3 and PWM5 in Carrier Period

- 10) Three full compare units in the DSP are used to produce the PWM1-PWM6 based on the T_a , T_b , T_c and sample period T .
- 11) The PWMs from the DSP are fed to the voltage source inverter (VSI). The outputs of the VSI are three-phase voltages used to control the induction motor. Figure 31 shows the PWM outputs from the IGBT module and Figure 32 shows the line-to-line voltages fed to the induction motor.

From above figures, the following results can be obtained.

- 1) i_a leads i_b 120 degrees.
- 2) After Clark transformation, $clark_d$ leads $clark_q$ by 90 degrees.
- 3) Currents ($park_d$, $park_q$), estimated by Kalman filter, are almost the same as the $clark_d$ and $clark_q$.
- 4) After Park transformation, i_d , i_q currents ($Park_D$, $Park_Q$) are close to dc currents.
- 5) The performances of the speed control, i_d regulation and i_q regulation are very good.
- 6) U_{alpha} leads U_{beta} by 90 degrees.
- 7) Flux is constant in the control process.
- 8) T_a leads T_b 120 degrees, T_b leads T_c 120 degrees.
- 9) Phase voltages are 120 degrees shift from each other.

Tek Run: 5.00kS/s Sample

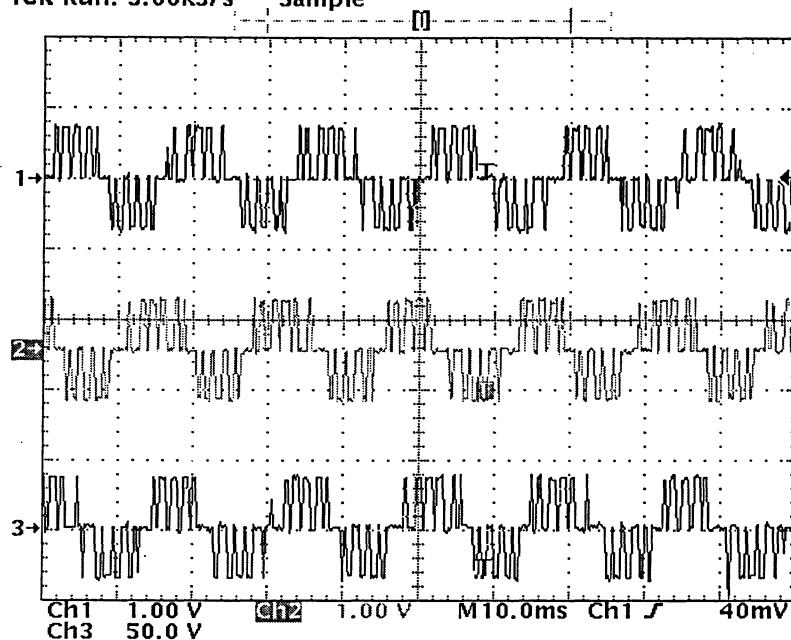


Figure 31: PWM Outputs of IGBT Power Module

Tek Stop: 10.0kS/s 3 Acqs

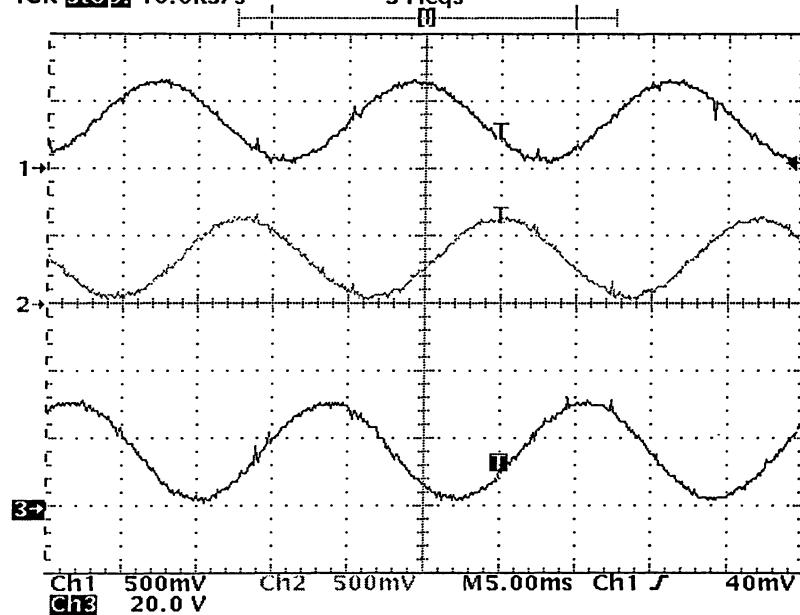
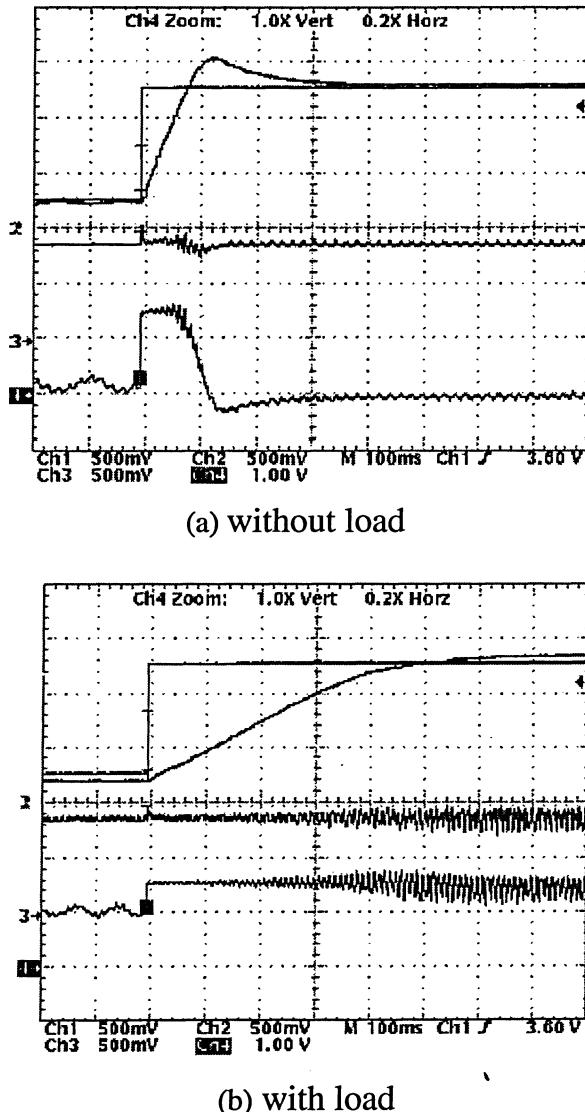


Figure 32: Line to Line Voltages of the Induction Motor

5.2 Dynamic Response

This section demonstrates the dynamic response of the speed sensorless control scheme. Figure 33 shows speed-step response from 500rpm to 1500rpm. The scope Channel #1 is the speed reference, Channel #2 is the measured speed, Channel #3 is the flux component i_d , and Channel #4 is the torque component i_q .



(a) without load

(b) with load

Figure 33: Speed Step Response (from 500rpm to 1500rpm)

The Figure 33a shows the speed control without load. Figure 33b shows the speed control with load (another EPACT motor is used as a load). The response time varies between

500ms and 800ms. Figure 34 shows the stator currents starting from 0 to 1000rpm.

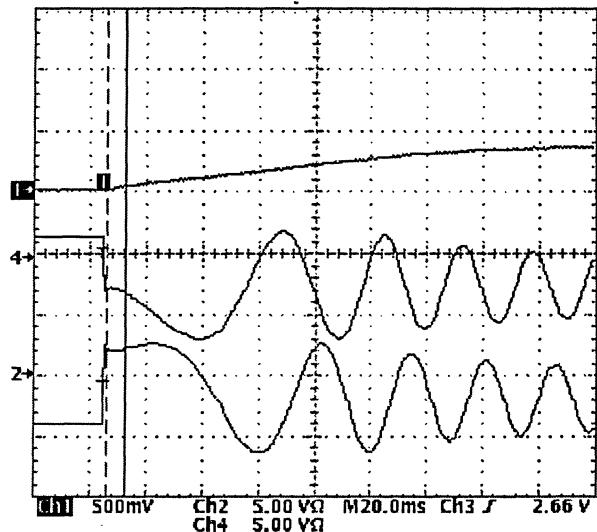


Figure 34: Speed Transient from 0 to 1000rpm

Ch1: n: mechanical speed; Ch2: Ib stator phase current; Ch4: Ia stator phase current

The following scope picture shows a speed reversion test from -1000rpm to 1000rpm with load.

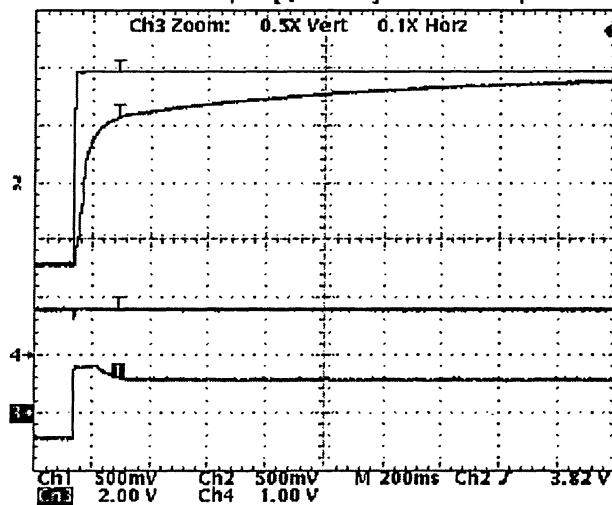


Figure 35: Speed Reversion (from -1000rpm to 1000rpm)

5.3 Speed Control Accuracy

For testing the quality of the speed sensorless control performance, the relative error in speed is defined as follows:

$$e(\%) = \frac{n - n_{ref}}{n_{ref}} 100\% \quad (35)$$

Table 1 shows the relative speed error at different speeds. The measurements run from 500 rpm up to 1800 rpm (the nominal speed of the induction motor used in the test).

TABLE 1
Steady State Performance of Speed Sensorless Control

Reference speed (rpm)	Measured speed (rpm)	Estimated speed (rpm)	Speed control error (100%)
549.3	550.5	550.8	0.22%
824.0	818.9	819.6	-0.62%
1098.6	1095.0	1096.5	-0.33%
1373.3	1376.0	1377.6	0.20%
1648.0	1650.0	1651.5	0.12%
1702.9	1702.0	1702.5	-0.05%
1757.9	1758.0	1759.5	0.005%
1785.3.	1789.0	1790.7	0.21%

Chapter 6

Conclusions

This research paper has presented a novel method for the speed control of induction motors without using a speed sensor. The rotor speed is accurately computed using the Kalman filter software module designed in this research paper. The computation, which has been implemented in the DSP TMS320LF2407, simply uses the two current measurements at the motor terminal. This replaces a speed sensor and eliminates the difficulty of the sensor installation in many applications.

This research paper has presented an advanced field oriented control of induction motors based on a specific d-q coordinate model, with the d-coordinate chosen to be in line with the rotor flux and the q-coordinate chosen to be 90° lagging. The position of the rotor flux is accurately computed using the Kalman filter module. This eliminates the position sensors required to monitor the flux. This research paper has shown that as a result of the specific d-q transformation, the motor torque is proportional to the product of the rotor flux and the q-coordinate stator current. This significantly simplifies the induction motor control, such that the rotor flux is controlled simply by regulating the flux-related d-coordinate stator current and the motor torque is controlled just by regulating the q-coordinate stator current.

This research paper has presented the Kalman filter which is an optimal control observer and its recursive algorithm and formulations which are specifically designed for the induction motor control. The Kalman filter provides the minimum variance state estimation and tolerates system modeling and measurement errors, which are considered as noise processes in the state estimation. The filter processes all available measurements regardless of their precision, and provides a quick and optimal estimate of the variables of interest, as well as achieves a fast convergence.

This research paper has presented the implementation of the field oriented control of induction motors using Kalman filter. The hardware requirements and all software modules are detailed. The experimental verification of the control method designed in this research paper has been provided. Typical measurements are given to demonstrate the efficiency of the novel control designed in this research paper.

Key Contributions of this Research Paper

The following lists the key contributions in this research paper.

1. Full investigation of Kalman filter for the control of induction motors.

This research paper has provided a full investigation of the practical application of Kalman filter for the control of induction motors. There has been very limited information about the use of Kalman filter for induction motor drives, possibly because of the difficulty of understanding the theory of the Kalman filter. This research paper research has carried out a detailed study of the control theory of the Kalman filter and its suitability for the control of induction motors. This research has provided a concrete finding that Kalman filter is well suitable for induction motor control.

2. Detailed formulations of the specific field oriented control with Kalman filter for real-time control of induction motors.

This research paper has developed all formulations required for the specific field oriented control of induction motors using Kalman filter. In particular, a recursive algorithm of the Kalman filter is given in the research paper. The algorithm and its corresponding formulations has provided an accurate computation of the rotor speed, the flux linkage, and the flux angle which are the essential components for the specific field oriented control of induction motors.

3. DSP implementation of the specific field oriented induction motor control.

This research paper has developed the software required for the implementation of the specific field oriented motor control in DSP TMS320LF2407. The software is developed in modules which can be easily modified for different induction motor drive applications.

4. Real-time verification of the specific field oriented control using Kalman field.

This research paper has built a prototype of the induction motor drive to verify the specific field oriented control using Kalman filter. Typical measurements are given to demonstrate the efficiency of the novel control designed in this research paper.

Future Work in Field Oriented Control using Kalman Filter

This research paper has provided a concrete proof that Kalman filter can be used to accurately compute the motor speed and flux which are crucial for the specific field oriented control of induction motors. The efficiency of the novel control designed in this research paper has been demonstrated. Key future researches in the area of the induction motor control are proposed in the following.

1. Tune the Q and R matrices in the Kalman filter to get better performance.

Q and R are the covariance matrices of the state and measurement noises in the Kalman filter formulation. To date, there has been no exceptional good method to determine the matrices of Q and R .

2. Find lower order of the state equation for the Kalman filter computation.

If a lower order state equation, instead of the 5-order equation presented in this research paper, can be found and can represent accurately the rotor speed and flux, the computation can be significantly reduced. The reduction of computation time is very important for the real-time control of induction motors.

3. Compare the motor drive with or without a speed sensor.

Usually the sensorless control has good performance in the normal motor speed. However, the performance may deteriorate in very low motor speed. In fact, low speed sensorless control for induction motors is a hot topic in recent research on sensorless control.

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Appendix A

Summary of Notations

Meaning	Notation
Electrical and Mechanical Torque	T_e, T_L
Flux	Ψ
Flux Angle	θ
Flux Speed	ω_{mR}
Inertia	J
Leakage Factor	$\sigma = 1 - \frac{L_H^2}{L_R L_S}$
Magnetic Pole Number	P
Magnetizing Current	i_{mR}
Phase Currents	i_a, i_b, i_c
Rotor, Stator and Main Inductances	L_R, L_S, L_H
Rotor and Stator Resistances	R_R, R_S
Rotor and Stator Time constants	T_R, T_S
Rotor Angle	ϵ
Rotor Currents Scalar Components	$i_{R\alpha}, i_{R\beta}$
Rotor Speed	ω
Stator and Rotor Currents	i_R, i_S
Stator Currents in Field Coordinates	i_{Sd}, i_{Sq}
Stator Currents Scalar Components	$i_{S\alpha}, i_{S\beta}$
Voltage	u

Table 2: Summary of Notations Used in this Research Paper

Appendix B

Induction Motor Parameters

The induction motor used in this research paper is a single cage, three-phase, 60Hz, Y-connected induction motor. The rated values and the parameters of this motor are as follows:

Rated power	$P=5\text{HP}$
Rated voltage	$V=133\text{V rms}$ (phase)
Rated current	$I=12\text{A rms}$
Rated speed	1800rpm
Pole pairs	2
Slip	0.0278
Stator resistance (R_s)	0.375Ω
Rotor resistance (R_r)	0.405Ω
Magnetizing inductance (L_h)	77mH
Stator leakage inductance (L_{os})	2.63mH
Stator inductance ($L_s=L_{os}+L_h$)	79.63mH
Rotor leakage inductance (L_{or})	2.63mH
Rotor inductance ($L_r=L_{or}+L_h$)	79.63mH
Leakage coefficient ($\sigma=1-L_h/L_r L_s$)	0.065
Rotor inertia	$19.36 \times 10^{-3}\text{kgm}^2$

These values are used in the electromagnetic equation of the induction motor as well as the mechanical equation and the control algorithm.

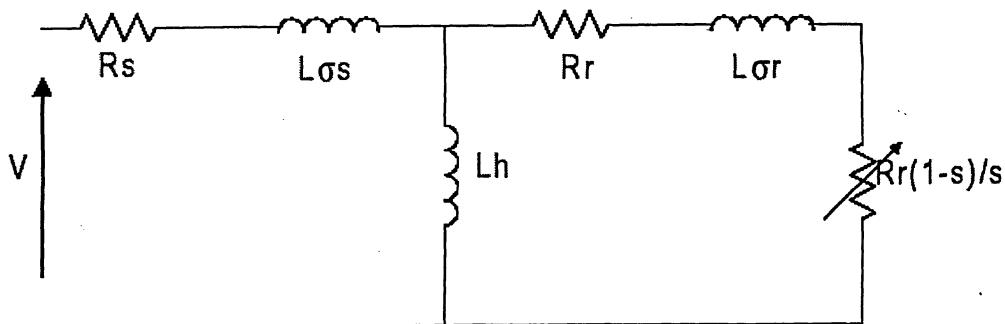


Figure 36: The Model of an Induction Motor

Appendix C

Characteristics of PID Control

The proportional controller (K_p) will have the effect on reducing the rise time a step response and will reduce, but not eliminate, the steady-state error. An integral control (K_i) will have the effect of eliminating the steady-state error, but it may make the transient response worse. A derivative control (K_d) will have the effect of increasing the stability of the system, reducing the overshoot, and improving the transient response. Effects of each of controllers K_p , K_d , and K_i on a closed-loop system are summarized in the table shown below.

CL RESPONSE	RISE TIME	OVERSHOOT	SETTLING TIME	S-S ERROR
K_p	Decrease	Increase	Small Change	Decrease
K_i	Decrease	Increase	Increase	Eliminate
K_d	Small Change	Decrease	Decrease	Small Change

Note that the correlations shown in the table may not be exactly accurate, because K_p , K_i , and K_d are dependent of each other. In fact, changing one of these variables can change the effect of the other two. For this reason, the table should only be used as a reference for determining the values of K_i , K_p and K_d .

Appendix D

Assembly Code for TMS320LF2407

1) Main program- foc2.asm

```
=====
; System Name: FOC
;
; File Name: foc2.asm
;
; Description: 3-phase Field Oriented control with Kalman filter
;
; Originator: Shiping Zhu - Ryerson University
;
; Target dependency: LF2407
; To Select the target device see x24x_app.h file.
;
=====
; Date:
;
;-----3-9-2003-----
;
=====
***** SYSTEM OPTIONS *****
=====
real_time      .set    1      ; 1 for real time mode, otherwise set 0

* Phase commissioning options

phase_commissioning1 .set    0      ; Ramp and sine_wave signal generation
phase_commissioning2 .set    1      ; open_loop start up
phase_commissioning3 .set    0      ; current measurement chain checking
phase_commissioning4 .set    0      ; current regulation implementation
phase_commissioning5 .set    0      ; Kalman filter estimation
phase_commissioning6 .set    0      ; final regulation:closed current and speed loop
                                    ; in FOC control

PWM_PERIOD      .set    200      ; PWM period in uS (5KHz)
T1PER_          .set    PWM_PERIOD*15   ;*1000nS/(2*33nS)
=====
.if (phase_commissioning3)
current_observation .set    1      ; check of Ia_out/Ib_out, clark_d/clark_q
.
.endif
* Internal phase commissioning options
.if (phase_commissioning4)
constant_current     .set    1      ; Theta/Theta_ip switch (0 or rmp_out).
park_sign           .set    0      ; check of park_D/park_Q sign
.
.endif

.if (phase_commissioning5)
theta_est_mod       .set    1      ; 1--rmp_out / 0-- theta_est
.
.endif

;
; External references
;
```

```

.include "x24x_app.h"

.global MON_RT_CNFG

.ref SYS_INIT

.ref RAMP_GEN, RAMP_GEN_INIT ;function call
.ref rmp_gain, rmp_offset, rmp_freq ;Inputs
.ref step_angle_max ;Input
.ref rmp_out ;Outputs

.ref I_PARK, I_PARK_INIT ;function call
.ref ipark_D, ipark_Q, theta_ip ;Inputs
.ref isin_theta,icos_theta ;Inputs
.ref ipark_d, ipark_q ;Outputs

.ref DATA_LOG, DATA_LOG_INIT ;function call
.ref dlog_iptr1, dlog_iptr2 ;Inputs
.ref trig_value ;Inputs

.ref SVGEN_DQ,SVGEN_DQ_INIT ;function call
.ref Ualpha,Ubeta ;Inputs
.ref Ta,Tb,Tc ;Outputs
.ref FC_PWM_DRV,FC_PWM_DRV_INIT ;function calls
.ref Mfunc_c1,Mfunc_c2,Mfunc_c3,Mfunc_p ;Inputs
.ref n_period ;Input

.ref ILEG2DRV, ILEG2DRV_INIT ;function call
.ref Ia_gain,Ib_gain,Ia_offset,Ib_offset ;Inputs
.ref Ia_out, Ib_out ;Outputs

.ref CLARKE, CLARKE_INIT ;function call
.ref clark_a, clark_b ;Inputs
.ref clark_d, clark_q ;Outputs

.ref PARK, PARK_INIT ;function call
.ref park_d, park_q, theta_p ;Inputs
.ref psin_theta,pcos_theta ;Inputs
.ref park_D, park_Q ;Outputs
.ref D_sign, Q_sign

.ref pid_reg_id,pid_reg_id_init ; function call
.ref id_fdb,id_ref,Kp_d,Ki_d,Kc_d ; Inputs
.ref ud_int ; Input
.ref ud_out ; Outputs

.ref pid_reg_iq,pid_reg_iq_init ; function call
.ref iq_fdb,iq_ref,Kp_q,Ki_q,Kc_q ; Inputs
.ref uq_int ; Input
.ref uq_out ; Outputs

.ref EKF,EKF_INIT ; function call
.ref _u_al,_u_be ; Inputs
.ref _i_be,_i_al ; Inputs
.ref iSal_est,iSBe_est,psiRal_est,psiRbe_est,n_est ; Outputs

.ref theta_est,theta_est_init ; function call
.ref psiRal,psiRbe ; Inputs
.ref sinTeta_est,cosTeta_est ; Outputs

.ref pid_reg_spd,pid_reg_spd_init ; function call
.ref spd_fdb,spd_ref ; Inputs
.ref spd_out ; Outputs

```

```

;-----;
; Variable Declarations
;-----;
.def GPRO0          ;General purpose registers.
.bss GPRO0,1        ;General purpose register
.bss    my_iq_ref,1
.bss    my_id_ref,1
.bss    speed_reference,1

```

; V E C T O R T A B L E (including RT monitor traps)

```

.include "c200mnrt.i"    ; Include conditional assembly options.

.sect "vectors"
.def _c_int0
* .def _c_int4        ; int4-EV group C dispatcher/service

RESET      B     _c_int0        ;00
INT1       B     PHANTOM       ;02
INT2       B     T1_PERIOD_ISR ;04
INT3       B     PHANTOM       ;06
INT4       B     PHANTOM       ;08
INT5       B     PHANTOM       ;0A
INT6       B     PHANTOM       ;0C

.include "rtvecs.h"

```

; Note : The above include line must be AFTER the user configurable
; vectors. Do not change the place where this line is included.

; M A I N C O D E - starts here

```

.text
_c_int0:
CALL    SYS_INIT
CALL    FC_PWM_DRV_INIT ; Here is defined the Timer
                          ;frequency (5KHz), it is thus mandatory
                          ;to include this initialisation since the beginning
CALL    DATA_LOG_INIT
.if (phase_commissioning1)
    CALL    RAMP_GEN_INIT
    CALL    I_PARK_INIT

```

```

; DATA_LOG display
    LDP #dlog_iptr1;
    SPLK #ipark_d, dlog_iptr1;
*     SPLK #ipark_q, dlog_iptr2
    SPLK #rmp_out, dlog_iptr2
.endif

```

```

.if (phase_commissioning2)
    CALL    RAMP_GEN_INIT
    CALL    I_PARK_INIT
    CALL    SVGEN_DQ_INIT

```

```

; DATA_LOG display
    LDP #dlog_iptr1;
    SPLK #ipark_d, dlog_iptr1;
*     SPLK #ipark_q, dlog_iptr2

```

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```

*           SPLK #rmp_out, dlog_iptr2
*           SPLK #Ta, dlog_iptr2
.endif

.if (phase_commissioning3)
    CALL    RAMP_GEN_INIT
    CALL    I_PARK_INIT
    CALL    SVGEN_DQ_INIT
    CALL    ILEG2DRV_INIT
    CALL    CLARKE_INIT
    CALL    PARK_INIT

; DATA_LOG display

        LDP #dlog_iptr1;
        SPLK #Ia_out, dlog_iptr1;
*
        SPLK #Ib_out, dlog_iptr2
*
        SPLK #clark_d, dlog_iptr1
*
        SPLK #clark_q, dlog_iptr2
*
        SPLK #park_D, dlog_iptr1
*
        SPLK #park_Q, dlog_iptr2

.endif

.if (phase_commissioning4)
    CALL    RAMP_GEN_INIT
    CALL    I_PARK_INIT
    CALL    SVGEN_DQ_INIT
    CALL    ILEG2DRV_INIT
    CALL    CLARKE_INIT
    CALL    PARK_INIT
*
    CALL    QEP_THETA_DRV_INIT
*
    CALL    SPEED_FRQ_INIT
    CALL    pid_reg_id_init
    CALL    pid_reg_iq_init

; DATA_LOG display

        LDP #dlog_iptr1; this is inserted by Shiping
        SPLK #rmp_out, dlog_iptr1;
        SPLK #Ia_out, dlog_iptr2
.endif

.if (phase_commissioning5)
    CALL    RAMP_GEN_INIT
    CALL    I_PARK_INIT
    CALL    SVGEN_DQ_INIT
    CALL    ILEG2DRV_INIT
    CALL    CLARKE_INIT
    CALL    PARK_INIT
    CALL    EKF_INIT
    CALL    pid_reg_id_init
    CALL    pid_reg_iq_init
    CALL    theta_est_init

; DATA_LOG display
.endif

.if (phase_commissioning6)
    CALL    I_PARK_INIT
    CALL    SVGEN_DQ_INIT
    CALL    ILEG2DRV_INIT
    CALL    CLARKE_INIT

```

```

CALL    PARK_INIT
CALL    EKF_INIT
CALL    pid_reg_id_init
CALL    pid_reg_iq_init
CALL    theta_est_init
CALL    pid_reg_spd_init

; DATA_LOG display
.endif

;---Real Time option-----
.if (real_time)
    CALL    MON_RT_CNFG      ;For Real-Time
.endif
;-----
; Variables initialization
;-----
LDP    #n_period
SPLK   #T1PER_,n_period; initialize the PWM period to 5kHz

LDP    #rmp_freq
SPLK   #64AAh,rmp_freq; 60Hz frequency for RAMPGEN(5kHz)/=25770d

LDP    #my_iq_ref
SPLK   #0000h,my_iq_ref
LDP    #my_id_ref
SPLK   #0000h,my_id_ref
LDP    #speed_reference
SPLK   #0000h,speed_reference

.if (phase_commissioning6)
    POINT_B0
    SPLK   #0500h,my_id_ref
.endif

;-----
; System Interrupt Init.
;-----
;Event Manager
POINT_EV
SPLK   #0000001000000000b,IMRA ;Enable T1 Underflow Int (i.e. Period)
SPLK   #0000000000000000b,IMRC ;
SPLK   #0FFFh,IFRA ; Clear all Group A interrupt flags
SPLK   #0FFFh,IFRB ; Clear all Group B interrupt flags
SPLK   #0FFFh,IFRC ; Clear all Group C interrupt flags

;C2xx Core
POINT_PGO

;---Real Time option -----
.if (real_time)
    SPLK   #000000001000010b,IMR    ;En Int lvl 3,7 (T2 ISR)
    ;5432109876543210
.endif

    .if (real_time != 1)
*     SPLK   #0000000000001010b,IMR    ;En Int lvl 4 (CAP3/QEP ISR)
        ;||||!!!!|||!!!!
        ;5432109876543210
    SPLK   #000000000000000010b,IMR    ;Disable Int lvl 4 (CAP3/QEP ISR)
.endif

```

```

SPLK    #0FFFFh, IFR      ;Clear any pending Ints
EINT                ;Enable global Ints
POINT_B0

;=====

;MAIN:      ;Main system background loop
;=====

M_1    NOP
      NOP
      NOP
      CLRC XF
      B MAIN
;=====

;=====

; Routine Name: T1_PERIOD_ISR          Routine Type: ISR
;
; Description:
;
;
; Originator: Shiping Zhu - Ryerson University
;
; Last Update: 20-Apr 03
;=====

==

T1_PERIOD_ISR:
;Context save regs
      MAR    *,AR1      ;AR1 is stack pointer
      MAR    *+        ;skip one position
      SST #1, **+     ;save ST1
      SST #0, *+      ;save ST0
      SACH   *+        ;save acc high
      SACL   *         ;save acc low

;NOTE: should use "read-modify-write" to clear Int flags & not SPLK!
      POINT_EV
      SPLK    #0FFFFh,IFRA    ; Clear all Group A interrupt flags (T1 ISR)
      SETC    XF
      SETC    SXM       ; set sign extension mode
      CLRC    OVM       ; clear overflow mode
;=====

;Start main section of ISR
;=====

.if (phase_commissioning1)

; Ramp_Generation module
      CALL    RAMP_GEN
; Inverse Park Module
      LDP    #theta_ip
      BLDD   #rmp_out,theta_ip
      CALL    I_PARK
; PWM driver
      CALL    FC_PWM_DRV; called just to set the PWM period to 5kHz

.endif

;if (phase_commissioning2)

```

```

; Ramp generation module
    CALL    RAMP_GEN
; Inverse-Park module
    LDP    #theta_ip
    BLDD   #rmp_out,theta_ip
    CALL   I_PARK
; Space-Vector DQ module
    LDP    #Ualfa
    BLDD   #ipark_d,Ualfa
    BLDD   #ipark_q,Ubeta
    CALL   SVGEN_DQ
; PWM driver
    LDP    #Mfunc_c1
    BLDD   #Ta,Mfunc_c1
    BLDD   #Tb,Mfunc_c2
    BLDD   #Tc,Mfunc_c3
    CALL   FC_PWM_DRV

.endif

;if (phase_commissioning3)

; Current leg measurement, Ileg2drv module
    CALL   ILEG2DRV
; Clarke module
    LDP    #clark_a
    BLDD   #Ia_out,clark_a
    BLDD   #Ib_out,clark_b
    CALL   CLARKE

; PARK module
    LDP    #park_d
    BLDD   #clark_d,park_d
    BLDD   #clark_q,park_q
    BLDD   #rmp_out,theta_p
    CALL   PARK
; Ramp generation module
    CALL   RAMP_GEN
; Inverse-Park module
    LDP    #theta_ip
    BLDD   #rmp_out,theta_ip
    CALL   I_PARK
; Space-Vector DQ module
    LDP    #Ualfa
    BLDD   #ipark_d,Ualfa
    BLDD   #ipark_q,Ubeta
    CALL   SVGEN_DQ
; PWM driver
    LDP    #Mfunc_c1
    BLDD   #Ta,Mfunc_c1
    BLDD   #Tb,Mfunc_c2
    BLDD   #Tc,Mfunc_c3
    CALL   FC_PWM_DRV

.endif

;if (phase_commissioning4)

; Current leg measurement, Ileg2drv module
    CALL   ILEG2DRV
; Clarke module
    LDP    #clark_a
    BLDD   #Ia_out,clark_a

```

```

        BLDD    #Ib_out,clark_b
        CALL    CLARKE
; PARK module
        LDP    #park_d
        BLDD    #clark_d,park_d
        BLDD    #clark_q,park_q
.if constant_current      ; here we apply 0 or rmp_out
        SPLK    #0000h,theta_p;
.else
        BLDD    #rmp_out,theta_p
.endif
        CALL    PARK
; D-axis current regulator
        LDP    #id_ref
        BLDD    #my_id_ref,id_ref ;
        BLDD    #park_D,id_fdb
        CALL    pid_reg_id

; Q-axis current regulator
        LDP    #iq_ref.
.if constant_current      ; here we apply 0 or my_iq_ref (user)
        SPLK    #0000h,iq_ref ; check the internal phase_commissioning option
.else
        BLDD    #my_iq_ref,iq_ref
.endif
        BLDD    #park_Q,iq_fdb
        CALL    pid_reg_iq
; Ramp generation module
        CALL    RAMP_GEN
; Inverse-Park module
        LDP    #ipark_D
        BLDD    #ud_out,ipark_D
        BLDD    #uq_out,ipark_Q      ; here we apply 0 or rmp_out
.if     constant_current ; check the internal phase_commissioning option
        SPLK    #0000h,theta_ip
.else
        BLDD    #rmp_out,theta_ip
.endif
        CALL    I_PARK
; Space-Vector DQ module
        LDP    #Ualfa
        BLDD    #ipark_d,Ualfa
        BLDD    #ipark_q,Ubeta
        CALL    SVGEN_DQ
; PWM driver
        LDP    #Mfunc_c1
        BLDD    #Ta,Mfunc_c1
        BLDD    #Tb,Mfunc_c2
        BLDD    #Tc,Mfunc_c3
        CALL    FC_PWM_DRV

.endif
*****
*.if (phase_commissioning5)

; Current leg measurement, Ileg2drv module
        CALL    ILEG2DRV
; Clarke module
        LDP    #clark_a
        BLDD    #Ia_out,clark_a
        BLDD    #Ib_out,clark_b
        CALL    CLARKE

```

```

; EKF module
    LDP      #_u_al
    BLDD    #ipark_d,_u_al
    BLDD    #ipark_q,_u_be
    BLDD    #clark_d,_i_al
    BLDD    #clark_q,_i_be
    CALL    EKF

; PARK module
    LDP      #park_d
    BLDD    #iSal_est,park_d
    BLDD    #iSBe_est,park_q
    .if theta_est_mod          ; here we connect rmp_out or theta_est_mod
    BLDD    #rmp_out,theta_p   ; check the internal phase_commissioning option
    .else
    BLDD    #sinTeta_est,psin_theta
    BLDD    #cosTeta_est,pcos_theta
    .endif
    CALL    PARK

; theta_est
    LDP      #psiRal
    BLDD    #psiRal_est,psiRal
    BLDD    #psiRbe_est,psiRbe
    CALL    theta_est

; D-axis current regulator
    LDP      #id_ref
    BLDD    #my_id_ref,id_ref ; 1EB8h gives a current of 2.5A peak
    BLDD    #park_D,id_fdb
    CALL    pid_reg_id

; Q-axis current regulator
    LDP      #iq_ref
    BLDD    #my_iq_ref,iq_ref
    BLDD    #park_Q,iq_fdb
    CALL    pid_reg_iq

; Ramp generation module
    CALL    RAMP_GEN

; Inverse-Park module
    LDP      #ipark_D
    BLDD    #ud_out,ipark_D
    BLDD    #uq_out,ipark_Q
    .if theta_est_mod          ; here we connect rmp_out or theta_est_mod
    BLDD    #rmp_out,theta_ip   ; check the internal phase_commissioning option
    .else
    BLDD    #sinTeta_est,isin_theta
    BLDD    #cosTeta_est,icos_theta
    .endif

    CALL    I_PARK

; Space-Vector DQ module
    LDP      #Ualpha
    BLDD    #ipark_d,Ualpha
    BLDD    #ipark_q,Ubeta
    CALL    SVGEN_DQ

; PWM driver
    LDP      #Mfunc_c1
    BLDD    #Ta,Mfunc_c1
    BLDD    #Tb,Mfunc_c2
    BLDD    #Tc,Mfunc_c3
    CALL    FC_PWM_DRV

.endif

```

```

*****  

.if (phase_commissioning6)

; Current leg measurement, Ileg2drv module
    CALL      ILEG2DRV
; Clarke module
    LDP      #clark_a
    BLDD     #fa_out,clark_a
    BLDD     #lb_out,clark_b
    CALL      CLARKE
; SPEED REGULATION
    LDP      #spd_ref
    bldd    #speed_reference,spd_ref
    bldd    #n_est,spd_fdb
    CALL      pid_reg_spd
; EKF module
    LDP      #_u_al
    BLDD     #ipark_d,_u_al
    BLDD     #ipark_q,_u_be
    BLDD     #clark_d,_i_al
    BLDD     #clark_q,_i_be
    CALL      EKF
; PARK module
    LDP      #park_d
    BLDD     #iSal_est,park_d
    BLDD     #iSbe_est,park_q
    BLDD     #sinTeta_est,psin_theta
    BLDD     #cosTeta_est,pcos_theta
    CALL      PARK
; theta_est
    LDP      #psiRal
    BLDD     #psiRal_est,psiRal
    BLDD     #psiRbe_est,psiRbe
    CALL      theta_est
; D-axis current regulator
    LDP      #id_ref
    ;SPLK    #1EB8h,id_ref ; 1EB8h gives a current of 2.5A peak
    BLDD     #my_id_ref,id_ref
    BLDD     #park_D,id_fdb
    CALL      pid_reg_id
; Q-axis current regulator
    LDP      #iq_ref
    BLDD     #spd_out,iq_ref
    BLDD     #park_Q,iq_fdb
    CALL      pid_reg_iq
; Inverse-Park module
    LDP      #ipark_D
    BLDD     #ud_out,ipark_D
    BLDD     #uq_out,ipark_Q
    BLDD     #sinTeta_est,isin_theta
    BLDD     #cosTeta_est,icos_theta
    CALL      I_PARK
; Space-Vector DQ module
    LDP      #Ualpha
    BLDD     #ipark_d,Ualpha
    BLDD     #ipark_q,Ubeta
    CALL      SVGEN_DQ
; PWM driver
    LDP      #Mfunc_c1
    BLDD     #Ta,Mfunc_c1
    BLDD     #Tb,Mfunc_c2

```

```

BLDD  #Tc,Mfunc_c3
CALL  FC_PWM_DRV

.endif
;Allow variable viewing via DAC o/p/s
    CALL  DATA_LOG
*     CALL  DAC_VIEW_DRV

=====
;End main section of ISR
=====
;Context restore regs
END_ISR:
    POINT_PGO

    MAR  *, AR1      ;make stack pointer active
    LACL *-          ;Restore Acc low
    ADDH *-          ;Restore Acc high
    LST #0, *-        ;load ST0
    LST  #1, *-        ;load ST1
    EINT
    RET

```

```

=====
;I S R - PHANTOM
;
;Description: Dummy ISR, used to trap spurious interrupts.
;
;Modifies:
;
;Last Update: 11-03-03
=====
```

PHANTOM B PHANTOM

```

;*****
; File name: iv2drv.asm
;
; Module Name: IV2DRV
;
; Initialization Routine: ILEG2DRV_INIT
;
; Description: Configures and starts ADC for converting two analog
;               inputs with programmable gains and offsets.
;
; I_ch_sel      o----->|-----|
; Ia_gain       o----->|Q13  ILEG2DRV Q15|--->o Ia_out
; Ib_gain       o----->|Q13                      Q15|--->o Ib_out
; Ia_offset     o----->|Q15
; Ib_offset     o----->|Q15
;
; Target:      x2407
;
;=====
; History:
; -----
; 3-11-2003
; -----
; Notes on Configuration
; -----
; 1. Ix_gain has range of -3.999999 --> +3.99999 (i.e. Q13)
; 2. Ix_offset has range -0.999999 --> +0.99999 (i.e. Q15)
; 3. Ix_out has range -0.999999 --> +0.99999 (i.e. Q15)
;   with:
;     1.0 x (VrefHi - VrefLo) = +0.999999 (7FFFh)
;     0.5 x (VrefHi - VrefLo) = 0          (0000/FFFFh)
;     0.0 x (VrefHi - VrefLo) = -0.999999 (8000h)
;
; I_ch_sel HEX values vs Channels selected:
; -----
; | x | x | Ib select | Ia select |
; -----
;
;
; For x2407
;   Ia select: 0,1,2...F --> Ch0,1,2,...15
;   Ib select: 0,1,2...F --> Ch0,1,2,...15
;
; -----
; Reference/Prototypes
; -----
; .ref ILEG2DRV, ILEG2DRV_INIT ;function call
; .ref Ia_gain,Ib_gain,Ia_offset,Ib_offset ;Inputs
; .ref Ia_out, Ib_out ;Outputs
;
; -----
; Global Definitions
; -----
; .def ILEG2DRV, ILEG2DRV_INIT ;function call
; .def Ia_gain,Ib_gain,Ia_offset,Ib_offset ;Inputs
; .def Ia_out, Ib_out ;Outputs
;
;*****
* Define Peripherals
*****
.inclu "x24x_app.h"

```

```

*****
* Variables
*****
I_ch_sel .usect "ileg2drv",1
Ia_gain .usect "ileg2drv",1
Ib_gain .usect "ileg2drv",1
Ia_offset .usect "ileg2drv",1
Ib_offset .usect "ileg2drv",1
Ia_out .usect "ileg2drv",1
Ib_out .usect "ileg2drv",1
I_temp .usect "ileg2drv",1

*****
* Configuration Parameters
*****
; .if x2407 ;'2407 EVM
I_ch_sel_.set 0032h ; Select Ch3(Phase B),2(Phase A)
;.endif

; .if x2407
ACQ_PS_.set 0001b ; Acquisition clk p/s=1/2*(conv p/s) -> Acuisition win=4*clk
CON_PS_.set 0 ; Conversion clk p/s=1/1
CAL_.set 0 ; Calibration register = 0
;.endif

Ia_offset_.set 32 ; Offset introduced by XOR
Ib_offset_.set 32 ;
Ia_gain_.set 1ffffh ; gain=1.0 (Q13)
Ib_gain_.set 1ffffh ; gain=1.0 (Q13)

ILEG2DRV_INIT

    LDP #I_ch_sel ;
    SPLK #I_ch_sel_,I_ch_sel ; Set channel select
    SPLK #Ia_gain_,Ia_gain ; Set gains
    SPLK #Ib_gain_,Ib_gain ;
    SPLK #Ia_offset_,Ia_offset; Set offsets
    SPLK #Ib_offset_,Ib_offset ;

    ldp #GPTCON>>7 ; Set T1UF as ADC trigger
    splk #0000h, GPTCON
; lacc GPTCON
; and #0FE7Fh ;1111,1110,0111,1111
; or #01b<<7 ;0000 0000 1000 0000
; sacl GPTCON

; .if x2407
    LDP #CALIBRATION>>7 ; Configure CALIBRATION
    SPLK #CAL_,CALIBRATION ; Set Calibration register
    SPLK #4000h,ADCL_CNTL1 ; Reset entire Module
    SPLK #0010000101010000b,ADCL_CNTL1 ;Acq = 4 x Clks,Cascaded mode
; continuous run
; SPLK #(03000h+ACQ_PS_<<8+CON_PS_<<7),ADCL_CNTL1 ; Config
ADCL_CNTL1 :0011000100000000
; SPLK #0302h,ADCL_CNTL2 ; Allow EVA to start conversion
; :0000001100000010
    SPLK #1,MAXCONV ; 2 conversions
    bldd #I_ch_sel,CHSELSEQ1 ; Configure channel select
;.endif
    SPLK #0010000000000000b,ADCL_CNTL2 ; Start the conversions
ret

```

ILEG2DRV:

```

*      .if x2407
ldp #ADCL_CNTL2>>7 ; Check SEQ_BSY bit
;Wait
;      bit ADCL_CNTL2,BIT12 ;
;      bcnd Wait,TC      ;

LACC ADC_RESULT0      ; Read 1st converted value
XOR #8000h            ; Convert to Q15
ldp #Ia_out
SACL Ia_out
LT Ia_gain           ; Ia_gain in Q13
MPY Ia_out           ; Q13 x Q15 = Q28
PAC
ADD Ia_offset,13     ; add offset in Q28
*      neg             ; positive => going into motor
SACH Ia_out,3        ; Convert final result to Q15

LDP #ADC_RESULT1>>7 ; Read 2nd converted value
LACC ADC_RESULT1
XOR #8000h            ; Convert to Q15
ldp #Ib_out
SACL Ib_out
LT Ib_gain           ; Ib_gain in Q13
MPY Ib_out           ; Q13 x Q15 = Q28
PAC
ADD Ib_offset,13     ; add offset in Q28
*      neg             ; positive => going into motor
SACH Ib_out,3        ; Convert final result to Q15

;      bldd I_ch_sel,#CHSELSEQ1 ; Reconfigure channel select
*      .endif

RET

```

```

; File Name: park.asm
;
; Module Name: PARK
;
;
; Description: This transformation converts vectors in balanced 2-phase
;               orthogonal stationary system into orthogonal rotating
;               reference frame.
;
;               id = ialfa * cos_teta + ibeta * sin_teta
;               iq = -ialfa *sin_teta + ibeta * cos_teta
;
;               park_d      o----->|----->o park_D
;               park_q      o----->|----->o park_Q
;               theta_p     o----->|----->o park_Q
; or psin_theta |----->|----->o park_Q
; pcos_theta   |----->|----->o park_Q
;
; Note:    0 < theta_p < 7FFFh  (i.e. equivalent to 0 < theta_p < 360 deg )

```

```

;
;
;
; Target dependency:C2xx core only
;
;

=====
; History:
-----
; 3-11-2003
=====

;(To use this Module, copy this section to main system file)
;      .ref PARK, PARK_INIT          ;function call
;      .ref park_d, park_q, theta_p   ;Inputs
;      .ref psin_theta,pcos_theta    ;Inputs
;      .ref park_D, park_Q          ;Outputs
=====

;Module definitions for external reference.
.def PARK, PARK_INIT          ;function call
.def park_d, park_q, theta_p   ;Inputs
.def psin_theta,pcos_theta     ;Inputs
.def park_D, park_Q           ;Outputs
.def D_sign, Q_sign            ;D,Q sign
=====

;Options
-----
High_precision.set 0      ;Set to 1 for High prec / Set to 0 for low prec
theta_est_mod.set 1       ;1--rmp_out / 0-- theta_est
negative_sign.set 0       

=====
*      .ref SINTAB_360
*      .ref theta_est_mod ;1--rmp_out / 0-- theta_est

park_d      .usect "park",1
park_q      .usect "park",1
theta_p      .usect "park",1
park_D      .usect "park",1
park_Q      .usect "park",1
t_ptr       .usect "park",1
ip_val      .usect "park",1
cos_theta   .usect "park",1
sin_theta   .usect "park",1
nxt_entry   .usect "park",1
delta_angle  .usect "park",1
GPR0_park   .usect "park",1
psin_theta  .usect "park",1
pcos_theta  .usect "park",1
D_sign      .usect "park",1
Q_sign      .usect "park",1
=====

;=====
; PARK_INIT:
;=====
        RET
=====

;=====
; PARK:
;=====
*      ldp #theta_est_mod
.if theta_est_mod

```

```

;Calculate Cos(theta_p)
;--- High_precision option -----
.if (High_precision)      ;see park for its definition
;Higher precision using look-up + interpolation method

    ldp #theta_p
    LACC theta_p
    ADD #8192      ;add 90 deg, i.e. COS(A)=SIN(A+90)
    AND #07FFFh ;Force positive wrap-around
    SACL GPR0_park ;here 90 deg = 7FFFh/4=8192d
    LACC GPR0_park,9

    SACH t_ptr      ;Table pointer
    SFR          ;Convert Interpolation value(ip_val) to Q15
    AND #07FFFh ;Force ip_val to a positive number
    SACL ip_val
    LACC #SINTAB_360
    ADD t_ptr
    TBLR cos_theta ;cos_theta = Cos(theta) in Q15
    ADD #1h      ;Inc Table pointer
    TBLR nxt_entry ;Get next entry i.e. (Entry + 1)
    LACC nxt_entry
    SUB cos_theta ;Find Delta of 2 points
    SACL delta_angle
    LT delta_angle
    MPY ip_val      ;ip_val = interpolation value
    PAC
    SACH ip_val,1
    LACC ip_val
    ADD cos_theta
    SACL cos_theta ;cos_theta = Final interpolated value
.endif
;-----

;--- Normal precision option -----
;if (High_precision != 1)
;Normal precision with simple 256 word look-up

    ldp #theta_p
    LACC theta_p
    ADD #8192      ;add 90 deg, i.e. COS(A)=SIN(A+90)
    AND #07FFFh ;Force positive wrap-around
    SACL GPR0_park ;here 90 deg = 7FFFh/4
    LACC GPR0_park,9
    SACH t_ptr
    LACC #SINTAB_360
    ADD t_ptr
    TBLR cos_theta ;cos_theta = Cos(theta_p) in Q15
.endif
;-----


;Calculate Sin(theta_p)
;--- High_precision option -----
.if (High_precision)
;Higher precision using look-up + interpolation method

    LACC theta_p,9
    SACH t_ptr      ;Table pointer
    SFR          ;Convert Interpolation value(ip_val) to Q15
    AND #07FFFh ;Force ip_val to a positive number
    SACL ip_val
    LACC #SINTAB_360
    ADD t_ptr

```

```

TBLR    sin_theta ;sin_theta = Sin(theta) in Q15
ADD     #1h       ;Inc Table pointer
TBLR    nxt_entry ;Get next entry i.e. (Entry + 1)
LACC    nxt_entry
SUB sin_theta ;Find Delta of 2 points
SACL    delta_angle
LT delta_angle
MPY    ip_val      ;ip_val = interpolation value
PAC
SACH    ip_val,1
LACC    ip_val
ADD    sin_theta
SACL    sin_theta ;sin_theta = Final interpolated value
.endif
;-----

;--- Normal precision option -----
;if (High_precision != 1)
;Lower precision simple 256 word look-up
    LACC    theta_p,9
    SACH    t_ptr
    LACC    #SINTAB_360
    ADD    t_ptr
    TBLR    sin_theta ;sin_theta = Sin(theta_p) in Q15
.endif
;-----
.else
    ldp    #theta_p
    splk   #psin_theta, sin_theta
    splk   #pcos_theta, cos_theta
.endif
;Calculate the Park transform
    SPM1    ; SPM set for Q15 multiplication
    ZAC    ; Reset accumulator
    LT park_q    ; TREG = ibeta
    MPY    sin_theta    ; PREG = ibeta * sin_teta
    LTA park_d    ; ACC = ibeta * sin_teta and TREG = ialfa
    MPY    cos_theta    ; PREG = ialfa * cos_teta
    MPYA   sin_theta    ; ACC = ibeta*sin_teta + ialfa*cos_teta and PREG=ialfa*sin_teta
    SACH    park_D    ; id = ialfa * cos_teta + ibeta * sin_teta

    LACC    #0        ; Clear ACC
    LT park_q    ; TREG = ibeta
    MPYS   cos_theta    ; ACC = -ialfa*sin_teta and PREG = ibeta*cos_teta
    APAC    ; ACC = -ialfa *sin_teta + ibeta * cos_teta
    SACH    park_Q    ; iq = -ialfa *sin_teta + ibeta * cos_teta

    SPM0    ; SPM reset
    RET

```

```

=====
; File Name: clarke.asm
;
; Module Name: CLARKE
;
; Initialization Routine: CLARKE_INIT
;
;
; Description: Converts balanced three phase quantities into balanced
; two phase quadrature quantities.
; (a,b,c) -> (d,q) Transformation
; clark_d = clark_a
; clark_q = (2 * clark_b + clark_a) / sqrt(3)
;
;      clark_a    o---->|-----|
;      clark_b    o---->|       CLARKE      |---->o  clark_d
;      clark_c*   o---->|-----|---->o  clark_q
;                         |-----|
;
; *Note: Not needed (for completeness only)
;
;
; Target dependency:C2xx core only
;
;
=====
; History:
; -----
; 3-11-2003
;
;(To use this Module, copy this section to main system file)
;     .ref CLARKE,CLARKE_INIT          ;function call
;     .ref clark_a,clark_b             ;Inputs
;     .ref clark_d,clark_q             ;Outputs
;
;Module definitions for external reference.
;     .def CLARKE,CLARKE_INIT          ;function call
;     .def clark_a,clark_b             ;Inputs
;     .def clark_d,clark_q             ;Outputs
;
;.include "x24x_app.h"
;
; Variables
clark_a     .usect "clarke",1
clark_b     .usect "clarke",1
clark_d     .usect "clarke",1
clark_q     .usect "clarke",1
sqrt3inv   .usect "clarke",1           ; 1/sqrt(3)
clk_temp   .usect "clarke",1
;
=====
CLARKE_INIT:
=====
; sqrt3inv = (1/sqrt(3))=0.577350269
    ldp      #sqrt3inv
    SPLK    #018830,sqrt3inv ; 1/sqrt(3) (Q15)
    RET
;
=====
CLARKE:
=====
    SPM1           ; Set SPM for Q15 math

```

```

SETC    SXM           ; Sign extension mode on

;clark_d = clark_a
    ldp #clark_a
    LACC  clark_a          ; ACC = clark_a
    SACL  clark_d          ; clark_d = clark_a

;clark_q = (2 * clark_b + clark_a) / sqrt(3)
    SFR          ; ACC = clark_a/2
    ADD  clark_b          ; ACC = clark_a/2 + clark_b
    SACL  clk_temp         ; clk_temp = clark_a/2 + clark_b
    LT   clk_temp          ; TREG = clark_a/2 + clark_b
    MPY  sqrt3inv          ; PREG = (clark_a/2 + clark_b)*(1/sqrt(3))
    PAC          ; ACC = (clark_a/2 + clark_b)*(1/sqrt(3))
    SFL          ; ACC = (clark_a + clark_b*2)*(1/sqrt(3))
    SACH  clark_q          ; clark_q = (clark_a + clark_b*2)*(1/sqrt(3))
    SPM0          ; SPM reset
    RET

```

```

;=====
; Filename: I_PARK.asm
; Routine Name: I_PARK
; Routine Type: SR
; Description:
;
; id = ialfa * cos_teta - ibeta * sin_teta
; iq = ialfa *sin_teta + ibeta * cos_teta
;
; ipark_D      o--->|-----|
; ipark_Q      o--->|-----|
; theta_ip     o--->|-----|
; or isin_theta|-----|----->o ipark_d
;               |----->o ipark_q
;               |icos_theta
;
; Note: 0<theta_ip<7FFFh (i.e. equivalent to 0<theta_ip<360 deg )
;
; # Cycles (including call/ret):
;
; Target dependency:C2xx core only
;
; Last Update: 3-11-2003
;=====
;(To use this Module, copy this section to main system file)
;     .ref I_PARK,I_PARK_INIT      ; function call
;     .ref ipark_D,ipark_Q,theta_ip ; Inputs
;     .ref isin_theta,icos_theta   ;Inputs
;     .ref ipark_d,ipark_q        ; Outputs
;=====
;Module definitions for external reference.
.def I_PARK,I_PARK_INIT      ; function call
.def ipark_D,ipark_Q,theta_ip ; Inputs
.def isin_theta,icos_theta    ; inputs
.def ipark_d,ipark_q         ; Outputs
;=====
;Options
;-----
High_precision.set 0 ; Set to 1 for High prec / Set to 0 for low prec
theta_est_mod.set 1 ;1--rmp_out / 0--theta_est
;=====
```

```

.ref SINTAB_360 ; Sine table
*.ref theta_est_mod

ipark_d .usect "I_park",1
ipark_q .usect "I_park",1
theta_ip .usect "I_park",1
ipark_D .usect "I_park",1
ipark_Q .usect "I_park",1
isin_theta .usect "I_park",1
icos_theta .usect "I_park",1

t_ptr .usect "I_park",1
ip_val .usect "I_park",1
cos_theta .usect "I_park",1
sin_theta .usect "I_park",1
nxt_entry .usect "I_park",1
delta_angle .usect "I_park",1
GPRO_ipark .usect "I_park",1
=====
I_PARK_INIT:
=====
ldp #ipark_D
SPLK #3FFFh, ipark_D
SPLK #3FFFh, ipark_Q
SPLK #0000h, theta_ip; this is added by Shiping
RET

=====
I_PARK:
=====
* ldp #theta_est_mod
.if theta_est_mod
;Calculate Cos(theta_p)
;--- High_precision option -----
;if (High_precision)
;Higher precision using look-up + interpolation method
    ldp #theta_ip
    LACC theta_ip
    ADD #8192 ;add 90 deg, i.e. COS(A)=SIN(A+90)
    AND #07FFFh ;Force positive wrap-around
    SACL GPRO_ipark ;here 90 deg = 7FFFh/4=8192d
    LACC GPRO_ipark,9
    SACH t_ptr ;Table pointer
    SFR ;Convert Interpolation value(ip_val) to Q15
    AND #07FFFh ;Force ip_val to a positive number
    SACL ip_val
    LACC #SINTAB_360
    ADD t_ptr
    TBLR cos_theta ;cos_theta = Cos(theta) in Q15
    ADD #1h ;Inc Table pointer
    TBLR nxt_entry ;Get next entry i.e. (Entry + 1)
    LACC nxt_entry
    SUB cos_theta ;Find Delta of 2 points
    SACL delta_angle
    LT delta_angle
    MPY ip_val ;ip_val = interpolation value
    PAC
    SACH ip_val,1
    LACC ip_val
    ADD cos_theta
    SACL cos_theta ;cos_theta = Final interpolated value
.endif

```

```

;-----
;--- Normal precision option -----
.if (High_precision != 1)
;Normal precision with simple 256 word look-up
    ldp #theta_ip
    LACC theta_ip
    ADD #8192      ;add 90 deg, i.e. COS(A)=SIN(A+90)
    AND #07FFFh ;Force positive wrap-around
    SACL GPR0_ipark ;here 90 deg = 7FFFh/4
    LACC GPR0_ipark,9
    SACH t_ptr
    LACC #SINTAB_360
    ADD t_ptr
    TBLR cos_theta ;cos_theta = Cos(theta_p) in Q15
.endif
;-----

;Calculate Sin(theta_p)
;--- High_precision option -----
.if (High_precision)
;Higher precision using look-up + interpolation method
    LACC theta_ip,9
    SACH t_ptr ;Table pointer
    SFR      ;Convert Interpolation value(ip_val) to Q15
    AND #07FFFh ;Force ip_val to a positive number
    SACL ip_val
    LACC #SINTAB_360
    ADD t_ptr
    TBLR sin_theta ;sin_theta = Sin(theta) in Q15
    ADD #1h      ;Inc Table pointer
    TBLR nxt_entry ;Get next entry i.e. (Entry + 1)
    LACC nxt_entry
    SUB sin_theta ;Find Delta of 2 points
    SACL delta_angle
    LT delta_angle
    MPY ip_val   ;ip_val = interpolation value
    PAC
    SACH ip_val,1
    LACC ip_val
    ADD sin_theta
    SACL sin_theta ;sin_theta = Final interpolated value
.endif
;-----

;--- Normal precision option -----
.if (High_precision != 1)
;Lower precision simple 256 word look-up
    LACC theta_ip,9
    SACH t_ptr
    LACC #SINTAB_360
    ADD t_ptr
    TBLR sin_theta ;sin_theta = Sin(theta_p) in Q15
.endif
;-----

.else
    ldp #theta_ip
    splk #isin_theta, sin_theta
    splk #icos_theta, cos_theta
.endif

;Calculate the Inverse Park transform

```

```

SETC    SXM      ; Sign extension mode
SPM1      ; SPM set for Q15 multiplication

;park_q = ipark_Q * cos_theta + ipark_D * sin_theta

LACC #0      ; Clear ACC
LT ipark_D   ; TREG = Udref
MPY sin_theta ; PREG = Udref * sin_theta
LTA ipark_Q   ; ACC = Udref*sin_theta and TREG=Uqref
MPY cos_theta ; PREG = Uqref * cos_teta
MPYA sin_theta ; ACC = Uqref*cos_theta + Udref*sin_theta and
TREG=Uqref*sin_theta
SACH ipark_q  ; Ubeta = Uqref*cos_theta + Udref*sin_theta

;park_d = ipark_D * cos_theta - ipark_Q * sin_theta
LACC #0      ; Clear ACC
LT ipark_D   ; TREG = Udref
MPYS cos_theta ; ACC = -Uqref*sin_theta and PREG = Udref*cos_theta
APAC        ; ACC = -Uqref*sin_theta + Udref*cos_theta
SACH ipark_d  ; Ualfa = -Uqref*sin_theta + Udref*cos_theta

SPM0      ; SPM reset
RET

```

```

; File Name: EKF.asm
;
; Module Name: Kalman filter
;
; Initialization Routine: EKF_INIT
;
;
; Description: Kalman filter for field oriented control
;               of an AC induction machine
;
;
; _u_al      |-----|
; _u_be      ->| KALMAN FILTER | ->iSal_est
; _i_al      ->|                  | ->psiRal_est
; _i_be      ->|                  | ->psiRbe_est
;             |-----| ->n_est
;
;
; Target:    x2407
;


---


; History:

```

```

;-----  

; 3-17-2003  

;-----  

;  

; Reference/Prototype  

;  

;  

;      .ref EKF,EKF_INIT          ; function call  

;      .ref _u_al,_u_be,           ; Inputs  

;      .ref _i_be,_i_al           ; Inputs  

;      .ref iSal_est,iSbe_est,psiRal_est,psiRbe_est,n_est ; Outputs  

*      .include "matcal.inc"  

;      .copy "matcal.inc"  

*      .mlib "mac.lib"           ;EKF macros file  

*      .copy "matGC24.inc"        ;EKF macros file  

*      .copy "maddG.asm"  

*      .copy "madiG.asm"  

*      .copy "mmsclG.asm"  

*      .copy "mmftraG.asm"  

*      .copy "msubG.asm"  

*      .copy "detG.asm"  

*      .copy "mmftraG.asm"  

*      .copy "mdsclG.asm"  

*      .copy "madjG.asm"  

;  

;  

; Global Definitions  

;  

;  

;      .def EKF,EKF_INIT          ; function call  

;      .def _u_al,_u_be,           ; Inputs  

;      .def _i_be,_i_al           ; Inputs  

;      .def iSal_est,iSbe_est,psiRal_est,psiRbe_est,n_est ; Outputs  

;  

;  

; Variable Definitions  

;  

;  

;public variables  

;_u_al      .usect "ekf",1  

;_u_be      .usect "ekf",1  

;_i_be      .usect "ekf",1  

;_i_al      .usect "ekf",1  

;iSal_est   .usect "ekf",1    ;alfa-axis estimated current, x(1)  

;iSbe_est   .usect "ekf",1    ;beta-axis estimated current, x(2)  

;psiRal_est .usect "ekf",1    ;alfa-axis estimated rotor flux, x(3)  

;psiRbe_est .usect "ekf",1    ;beta-axis estimated rotor flux, x(4)  

;n_est      .usect "ekf",1    ;estimated electrical speed, x(5)  

;  

;private variables  

;  

;*psiR_est   .usect "ekf",1    ;rotor flux amplitude  

;*psiRal_est1 .usect "ekf",1    ;1.15 format (alfa-axis estimated rotor flux), x(3)  

;*psiRbe_est1 .usect "ekf",1    ;1.15 format (beta-axis estimated rotor flux), x(4)  

;*psiR_est1   .usect "ekf",1    ;1.15 format rotor flux amplitude  

;*run        .usect "ekf",1    ;initialization flag  

;*est         .usect "ekf",1    ;estimation flag:0h=initialization, 1000h=sensorless  

;  

;  

; Default parameters  

;  

;*****  

* Variables and constants initializations  

*****  


```

.data

*** data page EKF algorithm***

kal_fil ;EKF algorithm data page pointer
u ;Input vector
_u_al .word 0 ;ua
_u_be .word 0 ;ub
y ;Output vector
_i_al .word 0 ;ia
_i_be .word 0 ;ib
diff_f .word 29591, 0, 747, 0, 0 ;LAFERT_TI, with T=300us
.word 0, 29591, 0, 747, 0
.word 696, 0, 32442, 0, 0
.word 0, 696, 0, 32442, 0
.word 0, 0, 0, 0, 32767

_x .word 0, 0, 0, 0, 0 ;state vector x(k,k)

Cx_1 ;Cx_1=[x(1) x(2)]'
_x_1 .word 0, 0, 0, 0, 0 ;Predicted state vector x(k+1,k)

C4 .word 14164 ;[1,4] & [1,5] coeff of diff_f
C9 .word -6177 ;[3,4] & [3,5] coeff of diff_f
C5 .word 15400 ;wbase*T/xsig coeff
C8 .word 6177 ;[4,3] & [4,5] coeff of diff_f
C10 .word -14164 ;[2,3] & [2,5] coeff of diff_f

C .word 32767, 0, 0, 0, 0 ;C matrix
.word 0, 32767, 0, 0, 0

P .word 320, 0, 0, 0, 0 ;Prediction err cov mat P(k+1,k)
.word 0, 320, 0, 0, 0
.word 0, 0, 320, 0, 0
.word 0, 0, 0, 320, 0
.word 0, 0, 0, 0, 320

P_1 .word 0, 0, 0, 0, 0 ;Filter err cov mat P(k+1,k+1)
.word 0, 0, 0, 0, 0

Q .word 1000, 1000, 300, 300, 500 ;state noise cov matrix

R .word 20000, 20000 ;Measure Noise Cov Matrix

RSLT .space 25*16 ;Result mat, not bigger than 5*5

_K .word 0, 0

Pole_pairs_number .set 2

; Initialization

.text

EKF_INIT

```
ldp      #n_est
splk #0000h,iSal_est
splk #0000h,iSbe_est
splk  #0000h,n_est
splk  #0000h,psiRal_est
splk  #0000h,psiRbe_est
ret
```

EKF

```
*****
*** EXTENDED KALMAN FILTER
*** estimated variables (iSal_est,iSbe_est) ***
***          (psiRal_est,psiRbe_est) ***
***          (n_est) ***
*****
```

;diff_f matrix update
;diff_f=
;[1-T/Ts2,0,(xH*T)/(xsig*xR*TR),((xH*wBase*T)/(xsig*xR))*x(5),((xH*wBase*T)/(xsig*xR))*x(4);
;0,1-T/Ts2,-((xH*wBase*T)/(xsig*xR))*x(5),(xH*T)/(xsig*xR*TR),-((xH*wBase*T)/(xsig*xR))*x(3);
;(xH*T)/TR, 0, 1-T/TR,-wBase*T*x(5),-wBase*T*x(4);
; 0, (xH*T)/TR, wBase*T*x(5),1-T/TR, wBase*T*x(3);
; 0, 0, 0, 1];
ldp #kal_fil
lar AR2,#_x+4;load in AR4 the address of _x+4=x(5)
lar AR3,#diff_f+3 ;load in AR3 the address of A(k)[1,4]
lar AR6,#C4 ;load in AR6 the address of C4
mar *,AR2 ;ARP=2
lt *-,AR6 ;Treg=x(5), AR2->x(4), ARP=6
mpy *+,AR3 ;Preg=C4*x(5), AR6->C9, ARP=3
pac ;Acc=Preg
sach * ,1 ;A(k)[1,4]=C4*x(5) in Q15 format
neg ;Acc=-Preg
adrk 4 ;add 4 to the address loaded in AR3 <-> AR3->A(k)[2,3]
sach * ,1,AR6 ;A(k)[2,3]=-C4*x(5) in Q15 format, ARP=6 (N.B. AR6->C9)
mpy * ,AR3 ;Preg=C9*x(5)=-C8*x(5), ARP=3
pac ;Acc=Preg
adrk 6 ;add 6 to the address loaded in AR3 <-> AR3->A(k)[3,4]
sach * ,1 ;A(k)[3,4]=C9*x(5)=-C8*x(5) in Q15 format
neg ;Acc=-Preg
adrk 4 ;add 4 to the address loaded in AR3 <-> AR3->A(k)[4,3]
sach * ,1,AR2 ;A(k)[4,3]=C8*x(5) in Q15 format, ARP=2
lt *-,AR6 ;Treg=x(4), AR2->x(3), ARP=6
mpy *-,AR3 ;Preg=C9*x(4)=-C8*x(4), AR6->C4, ARP=3
pac ;Acc=Preg
sbrk 3 ;sub 3 to the address loaded in AR3 <-> AR3->A(k)[3,5]
sach * ,1,AR6 ;A(k)[3,5]=-C8*x(4) in Q15 format, ARP=6
mpy * ,AR3 ;Preg=x(4)*C4, ARP=3
pac ;Acc=Preg
sbrk 10 ;sub 10 to the address loaded in AR3 <-> AR3->A(k)[1,5]
sach * ,1,AR2 ;A(k)[1,5]=C4*x(4) in Q15 format, ARP=2
lt * ;Treg=x(3)
lar AR6,#C10 ;Load in AR6 the address of C10
mar *,AR6 ;ARP=6
mpy *-,AR3 ;Preg=x(3)*C10=-C4*x(3), AR6->C8, ARP=3
pac ;Acc=Preg
adrk 5 ;add 5 to the address loaded in AR3 <-> AR3->A(k)[2,5]
sach * ,1,AR6 ;A(k)[2,5]=C10*x(3)=-C4*x(3) in Q15 format, ARP=6

```

    mpy      *,AR3          ;Preg=x(3)*C8, ARP=3
    pac      ;Acc=Preg
    adrk    10              ;add 10 to the address loaded in AR3 <-> AR3->A(k)[4,5]
    sach    *,1              ; A(k)[4,5]=C8*x(3) in Q15 format.

;diff_f matrix is now updated

;x_1= state vector prediction = x(k/k-1)
;
;x_1=[diff_f(1,1)*x(1)+diff_f(1,3)*x(3)+diff_f(1,4)*x(4);
;      diff_f(2,2)*x(2)+diff_f(2,3)*x(3)+diff_f(2,4)*x(4);
;      diff_f(3,1)*x(1)+diff_f(3,3)*x(3)+diff_f(3,4)*x(4);
;      diff_f(4,2)*x(2)+diff_f(4,3)*x(3)+diff_f(4,4)*x(4);
;      diff_f(5,5)*x(5)...;
;      +[(wBase*T)/xsig]*u(1);((wBase*T)/xsig)*u(2); 0; 0; 0];

    spm      1              ;set default left shift on Preg for Q15 calculations
    setc    ovm
    lar     AR4,#_x_1        ;load in AR4 the address of x_1 (=x(k/k-1))
    lar     AR2,#_x          ;load in AR2 the address of x (=x(k-1/k-1))
    lar     AR3,#diff_f      ;load in AR3 the address of diff_f
    lar     AR6,#C5          ;load in AR6 the address of C5
    mar     *,AR2            ;ARP=2
    lt      *+               ;Treg=x(1), AR2->x(2)
    mar     *+,AR3            ;AR2->x(3), ARP=3
    mpy     *+               ;Preg=x(1)*A(k)[1,1], AR3-> A(k)[1,2]
    mar     *+,AR2            ;AR3-> A(k)[1,3], ARP=2
    ltp     *+,AR3            ;Acc=Preg, Treg=x(3), AR2->x(4), ARP=3
    mpy     *+,AR2            ;Preg=x(3)*A(k)[1,3], AR3-> A(k)[1,4], ARP=2
    lta     *+,AR3            ;Acc=Acc+Preg, Treg=x(4), AR2->x(5), ARP=3
    mpy     *+,AR2            ;Preg=x(4)* A(k)[1,4], AR3-> A(k)[1,5], ARP=2
    lar     AR2,#u            ;load in AR2 the address of u(1)
    lta     *,AR6             ;Acc=Acc+Preg, Treg=u(1), ARP=6
    mpy     *,AR4             ;Preg=C5*u(1), ARP=4
    apac   ;Acc=Acc+Preg
    sach   *+,AR2            ;store in x_1(1), AR4->x_1(2), ARP=2

    lar     AR2,#_x+1         ;load in AR2 the address of x(2)
    lar     AR3,#diff_f+6      ;load in AR3 the address of A(k)[2,2]
    lt      *+,AR3            ;Treg=x(2), AR2->x(3), ARP=3
    mpy     *+,AR2            ;Preg=x(2)*A(k)[2,2], AR3->A(k)[2,3], ARP=2
    ltp     *+,AR3            ;Acc=Preg, Treg=x(3), AR2->x(4), ARP=3
    mpy     *+,AR2            ;Preg=x(3)*A(k)[2,3], AR3->A(k)[2,4], ARP=2
    lta     *+,AR3            ;Acc=Acc+Preg, Treg=x(4), AR2->x(5), ARP=3
    mpy     *+,AR2            ;Preg=x(4)*A(k)[2,4], AR3->A(k)[2,5], ARP=2
    lar     AR2,#u+1          ;load in AR2 the address of u(2)
    lta     *,AR6             ;Acc=Acc+Preg, Treg=u(2), ARP=6
    mpy     *,AR4             ;Preg=C5*u(2), ARP=4
    apac   ;Acc=Acc+Preg
    sach   *+,AR2            ;store in x_1(2), AR4->x_1(3), ARP=2

    lar     AR2,#_x          ;load in AR2 the address of x(1)
    lar     AR3,#diff_f+10     ;load in AR3 the address of A(k)[3,1]
    mar     *,AR2            ;ARP=2
    lt      *+               ;Treg=x(1), AR2->x(2), ARP=3
    mar     *+,AR3            ;AR2->x(3), ARP=3
    mpy     *+               ;Preg=x(1)*A(k)[3,1], AR3-> A(k)[3,2]
    mar     *+,AR2            ;AR3->A(k)[3,3], ARP=2
    ltp     *+,AR3            ;Acc=Preg, Treg=x(3), AR2->x(4), ARP=3
    mpy     *+,AR2            ;Preg=x(3)*A(k)[3,3], AR3->A(k)[3,4], ARP=2
    lta     *+,AR3            ;Acc=Acc+Preg, Treg=x(4), AR2->x(5), ARP=3
    mpy     *+,AR4            ;Preg=x(4)*A(k)[3,4], AR3->A(k)[3,5], ARP=4
    apac   ;Acc=Acc+Preg

```

```

sach *+,AR2 ;store in x_1(3), AR4->x_1(4), ARP=2

lar AR2,#_x+1 ;load in AR2 the address of x(2)
lar AR3,#diff_f+16 ;load in AR3 the address of A(k)[4,2]
lt *+,AR3 ;Treg=x(2), AR2->x(3), ARP=3
mpy *+,AR2 ;Preg=x(2)*A(k)[4,2], AR3->A(k)[4,3], ARP=2
ltp *+,AR3 ;Acc=Preg, Treg=x(3), AR2->x(4), ARP=3
mpy *+,AR2 ;Preg=x(3)*A(k)[4,3], AR3->A(k)[4,4], ARP=2
lta *+,AR3 ;Acc=Acc+Preg, Treg=x(4), AR2->x(5), ARP=3
mpy *+,AR4 ;Preg=x(4)*A(k)[4,4], AR3->A(k)[4,5], ARP=4
apac ;Acc=Acc+Preg
sach *+,AR2 ;store in x_1(4), AR4->x_1(5), ARP=2

lar AR2,#_x+4 ;load in AR2 the address of x(5)
lar AR3,#diff_f+24 ;load in AR3 the address of A(k)[5,5]
lt *+,AR3 ;Treg=x(5), ARP=3
mpy *+,AR4 ;Preg=x(5)*A(k)[5,5]
pac ;Acc=Preg
sach *+,AR2 ;store in A(k)[5,5]
spm 0
clrc ovm

;P_1= prediction error covariance matrix = P(k/k-1)
;P = filter error covariance matrix = P(k-1/k-1)
;P_1=diff_f*P*diff_f +Q
    mmtfraG P, diff_f, RSLT, 5,5,5 ;RSLT=P*diff_f
    mmftraG diff_f, RSLT, P_1, 5,5,5 ;P_1=diff_f*P*diff_f
    madiG P_1,Q,5 ;P_1= diff_f*P*diff_f+Q

;Kalman gain matrix calculation
;K= P_1 * C' * inv(C*P_1*C' +R);
    mmtfraG P_1, C, RSLT, 5,5,2 ;RSLT=P_1*C'
    mmftraG C, RSLT, _K, 2,5,2 ;_K is a temp matrix, _K=C*P_1*C'
    madiG _K, R, 2 ;_K=_K+R
    madjG _K, P ;P is a temp matrix, P=adj(_K)
    mmftraG RSLT, P, _K, 5, 2, 2 ;_K=RSLT*P=P_1*C'*adj(C*P_1*C'+R)
    detG P, RSLT ;RSLT=det(P)
    mdscIG _K, RSLT, _K, 5, 2, RSLT+1 ;_K=1/det(P)* P_1*C'*adj(C*P_1*C'+R)

;state vector estimation
;x_1= state vector prediction = x(k/k-1)
;x = state vector estimation
;x = x_1 + K*(y-C*x_1)
    msubG y, Cx_1, P, 2,1 ;P is a temp matrix, P= y-C*x_1
    mmftraG _K, P, RSLT, 5,2,1 ;RSLT=_K*P=_K*(y-C*x_1)
    maddG _x_1, RSLT, _x, 5,1 ;_x=x_1 + K*(y-C*x_1)

;Filter error covariance matrix
;P=P_1-K*C*P_1;
    mmftraG _K, C, RSLT, 5, 2, 5 ;RSLT=_K*C
    mmftraG RSLT, P_1, P, 5, 5, 5 ;P=_K*C*P_1
    msubG P_1,P,P,5,5 ;P=P_1-P

    ldp #kal_fil
    lacc _x ;notice that _x (estimated state) is in 1.15 format
    ldp #iSal_est
*
    sfr
*
    sfr
    sac1 iSal_est,1 ;iSalfa estimated*2

    ldp #kal_fil
    lacc _x+1

```

```

    ldp    #iSbe_est
*
*   sfr
*   sfr
sacl  iSbe_est,1           ;iBeta estimated*2

    ldp    #kal_fil
lacc  _x+2      ;_x+2 is the rotor flux alpha comp address
    ldp    #psiRal_est
sacl  psiRal_est      ;f 1.15, used for the 1.15 division
*
*   sfr
*   sfr
*   sfr
*   sacl  psiRal_est      ;psiRalpha estimated, 4.12 format

    ldp    #kal_fil
lacc  _x+3      ;_x+3 is the rotor flux beta comp address
    ldp    #psiRbe_est
sacl  psiRbe_est      ;psiRbeta estimated, 4.12 format

    ldp    #kal_fil
lacc  _x+4      ;_x+4 is the rotor speed variable address
    ldp    #n_est
*
*   sfr
*   sfr
    sacl  n_est,1           ;n_est estimated*2
    ret
*** END Extended Kalman Filter ****

```

```

=====
; Filename: pid.asm
;
; Module names: pid_reg_id, pid_reg_iq
;
; Initialization routines: pid_reg_id_init, pid_reg_iq_init
;
;
; Description: PI current regulator with integral correction
;               for d and q axes
;
;
; i_fdb    o---->|-----|
; i_ref    o---->| pid_reg     |---->o u_out
; u_int    o---->|-----|
; Kp       o---->|-----|
; Ki       o---->|-----|
; Kc       o---->|-----|
;
; Target dependency: 'c2xx core only
=====
; History:
=====
; 3-11-2003
=====
```

```

*****
*D-Axis PI Current Regulator
*****



;-----;
; Reference/Prototype
;-----;

; .ref pid_reg_id,pid_reg_id_init ; function call
; .ref id_fdb,id_ref,Kp_d,Ki_d,Kc_d; Inputs
; .ref ud_int ; Input
; .ref ud_out ; Outputs

;-----;
; Global Definitions
;-----;

.def pid_reg_id,pid_reg_id_init ; function call
.def id_fdb,id_ref,Kp_d,Ki_d,Kc_d; Inputs
.def ud_int ; Input
.def ud_out ; Outputs

;-----;
; Variable Definitions
;-----;

id_fdb .usect "pid",1 ; current feedback
id_ref .usect "pid",1 ; current reference
ud_out .usect "pid",1 ; control voltage output

ud_int .usect "pid",1 ; error integral
uintlo_d .usect "pid",1

Kp_d .usect "pid",1 ; proportional gain
Ki_d .usect "pid",1 ; integral gain
Kc_d .usect "pid",1 ; integral correction gain

id_error .usect "pid",1 ; current error
uprsat_d .usect "pid",1 ; control voltage prio saturation
saterr_d .usect "pid",1 ; saturation error
tmp_d .usect "pid",1 ; temp scrach

;-----;
; Default parameters
; Parameter spreadsheet: pid.xls
;-----;

Kp_d_.set 783; 388 ; Q11, proportional gain 0.189d
Ki_d_.set 5133; 2542; 1271 ; Q25, integral gain 0.37878*0.0002d
Kc_d_.set 32767 ; Q14, saturation correction gain 2d

Umax_d_.set 07000h ; maximum U(0.875PU)
Umin_d_.set 08FFFh ; minimum U(-0.875PU)

;-----;
; Initialization
;-----;

pid_reg_id_init
    ldp #Kp_d ;
    SPLK #Kp_d_,Kp_d ;
    SPLK #Ki_d_,Ki_d ;
    SPLK #Kc_d_,Kc_d ;
    SPLK #0,ud_int ; zero integral term
    SPLK #0,uintlo_d
RET

;-----;
; Routine

```

```

;-----
pid_reg_id
  setc SXM          ; Allow sign extension
  setc OVM          ; Set overflow protection mode

  ldp #id_ref       ;
  LACC id_ref,16    ; Use ACCH for OV protection
  SUB id_fdb,16     ;
  SACH id_error     ; Q15 id_ref - id_fdb

  lacl uintlo_d      ;
  add ud_int,16      ; 32-bit Q30
  spm 2              ; product l/s 4 for accumulation
  LT id_error        ;
  mpy Kp_d           ; Q15*Q11 -> 32-bit Q26
  pac                ;
  SACH uprsat_d      ; 32-bit Q30 uint + id_error*Kp_d
                      ; save as Q14 uprsat_d
  sacl tmp_d          ;
  adds tmp_d          ;
  add uprsat_d,16     ; Q30 -> Q31 with OV protection
  sach tmp_d          ; save to tmp_d as Q15

  lacc tmp_d          ;
  sub #Umin_d_        ;
  bcond U_gmind,GEQ   ; Continue if tmp_d>=U_min
  lacc #Umin_d_        ; otherwise, saturate
  B Nextd

U_gmind
  lacc tmp_d          ;
  sub #Umax_d_        ;
  BCND U_lmaxd,LEQ    ; Continue if tmp_d<=U_max
  lacc #Umax_d_        ; otherwise, saturate
  b Nextd

U_lmaxd
  lacc tmp_d          ;
  Nextd
  sacl ud_out         ;

Int_termrd
  lacc ud_out,15      ; Use ACCH for OV protection
  SUB uprsat_d,16     ;
  sach saterr_d        ; save as Q14 saterr_d = ud_out-uprsat_d

  lt id_error          ;
  mpy Ki_d             ; Q15*Q25 -> Q40
  pac                  ; Q40 -> Q44
  sach tmp_d           ;
  lacc tmp_d             ; Q44 -> Q28 (r/s 16 bits)

  LT saterr_d          ;
  MPYKc_d               ; Q14*Q14 -> Q28 saterr_d * Kc_d
  APAC                 ; Q28 Ki_d*id_error + Kc_d*saterr_d

  norm    *              ;
  norm    *              ; Q28 -> Q30 (with OV protection)

  ADDS  uintlo_d         ;
  ADD   ud_int,16        ; uint + saterr_d*Kc_d + id_error*Ki_d
  SACH  ud_int           ;
  SACL  uintlo_d          ; save as 32-bit Q30

```

RET

***END D-Axis PI Current Regulator

```
*****
* Q-Axis PI Current Regulator
*****  
;  
; Reference/Prototype  
;  
; .ref pid_reg_iq,pid_reg_iq_init ; function call  
; .ref iq_fdb,iq_ref,Kp_q,Ki_q,Kc_q; Inputs  
; .ref uq_int ; Input  
; .ref uq_out ; Outputs  
  
;  
; Global Definitions  
;  
.def pid_reg_iq,pid_reg_iq_init ; function call  
.def iq_fdb,iq_ref,Kp_q,Ki_q,Kc_q; Inputs  
.def uq_int ; Input  
.def uq_out ; Outputs  
  
;  
; Variable Definitions  
;  
iq_fdb .usect "pid",1 ; current feedback  
iq_ref .usect "pid",1 ; current reference  
uq_out .usect "pid",1 ; control voltage output  
  
uq_int .usect "pid",1 ; error integral  
uintlo_q .usect "pid",1  
  
Kp_q .usect "pid",1 ; proportional gain  
Ki_q .usect "pid",1 ; integral gain  
Kc_q .usect "pid",1 ; integral correction gain  
  
iq_error .usect "pid",1 ; current error  
uprsat_q .usect "pid",1 ; control voltage prio saturation  
saterr_q .usect "pid",1 ; saturation error  
tmp_q .usect "pid",1 ; temp scrach  
  
;  
; Default parameters  
; Parameter spreadsheet: pid.xls  
;  
Kp_q_.set 1566; 776 ; Q11, proportional gain 0.3789d  
Ki_q_.set 7700; 3814 ; 1907 ; Q25, integral gain 0.56833*0.0002d  
Kc_q_.set 24576 ; Q14, saturation correction gain 1.5d  
  
Umax_q_.set 07000h ; maximum U  
Umin_q_.set 08FFFh ; minimum U  
  
;  
; Initialization  
;  
pid_reg_iq_init  
ldp #Kp_q_ ;  
SPLK #Kp_q_,Kp_q_ ;  
SPLK #Ki_q_,Ki_q_ ;  
SPLK #Kc_q_,Kc_q_ ;  
SPLK #0,uq_int ; zero integral term  
SPLK #0,uintlo_q
```

```

RET

;-----;
; Routine
;-----;

pid_reg_iq
    setc SXM          ; Allow sign extension
    setc OVM          ; Set overflow protection mode

    ldp #iq_ref       ;
    LACC iq_ref,16    ; Use ACCH for OV protection
    SUB iq_fdb,16     ;
    SACH iq_error     ; Q15 iq_ref - iq_fdb

    lacl uintlo_q      ;
    add uq_int,16      ; 32-bit Q30
    spm 2              ; product l/s 4 before accumulation
    LT iq_error        ;
    mpy Kp_q           ; Q15*Q11 -> 32-bit Q26
    apac               ; 32-bit Q30 uint + iq_error*Kp_q
    SACH uprsat_q      ; save as Q14 uprsat_q
    sacl tmp_q          ;
    adds tmp_q          ;
    add uprsat_q,16    ; Q30 -> Q31 with OV protection
    sach tmp_q          ; save to tmp_q as Q15

    lacc tmp_q          ;
    sub #Umin_q_        ;
    bcnd U_gminq,GEQ   ; Continue if tmp_q>=U_min
    lacc #Umin_q_        ; otherwise, saturate
    B Nextq

U_gminq
    lacc tmp_q          ;
    sub #Umax_q_        ;
    BCND U_lmaxq,LEQ   ; Continue if tmp_q<=U_max
    lacc #Umax_q_        ; otherwise, saturate
    b Nextq

U_lmaxq
    lacc tmp_q          ;
Nextq
    sacl uq_out         ;

Int_termq
    lacc uq_out,15      ; Use ACCH for OV protection
    SUB uprsat_q,16     ;
    sach saterr_q        ; save as Q14 saterr_q = uq_out-uprsat_q

    lt iq_error          ;
    mpy Ki_q             ; Q15*Q26 -> Q40
    pac                  ; Q40 -> Q44
    sacl tmp_q            ;
    lacc tmp_q            ; Q44 -> Q28 (r/s 16 bits)

    LT saterr_q          ;
    MPYKc_q              ; Q14*Q14 -> Q28 saterr_q * Kc_q
    APAC                 ; Q28 Ki_q*iq_error + Kc_q*saterr_q

    norm    *              ;
    norm    *              ; Q28 -> Q30 (with OV protection)

    ADDS  uintlo_q         ;
    ADD    uq_int,16        ; uint + saterr_q*Kc_q + iq_error*Ki_q

```

```
SACH uq_int  
SACL uintlo_q ; save as 32-bit Q30
```

```
RET
```

```
***END Q-Axis PI Current Regulator
```

```
=====
; Filename: pid_spd.asm
=====
; History:
;
; 3-11-2003
=====
*****  
* Speed PI Regulator  
*****  
;  
; .ref pid_reg_spd,pid_reg_spd_init ; function call  
; .ref spd_fdb,spd_ref ; Inputs  
; .ref spd_out ; Outputs  
;  
; Global Definitions  
;  
; .def pid_reg_spd,pid_reg_spd_init ; function call  
; .def spd_fdb,spd_ref ; Inputs  
; .def spd_out ; Outputs  
;  
; Variable Definitions  
;  
  
spd_ref .usect "pid_spd",1  
spd_fdb .usect "pid_spd",1  
spd_out .usect "pid_spd",1  
  
;other variables :  
* PI regulators variable  
upi .usect "pid_spd",1 ;PI regulators (current and speed) ;output  
elpi .usect "pid_spd",1 ;PI regulators (current and speed) ;limitation error  
Kcorn .usect "pid_spd",1  
Ki .usect "pid_spd",1  
Kcor.usect "pid_spd",1  
Kpin.usect "pid_spd",1  
Kin .usect "pid_spd",1  
Kpi .usect "pid_spd",1  
epin .usect "pid_spd",1 ;speed error (used in speed) ;regulator  
xin .usect "pid_spd",1 ;speed regulator integral ;component  
eqiq .usect "pid_spd",1 ;q-axis current regulator error  
epid .usect "pid_spd",1 ;d-axis current regulator error  
xiq .usect "pid_spd",1 ;q-axis current regulator integral ;component  
xid .usect "pid_spd",1 ;d-axis current regulator integral ;component  
  
*** vSqref and VdSr limitations  
Vmin .set 0ec00h ;4.12 format=-1.25 pu
```

```

Vmax .set 1400h ;4.12 format=1.25 pu

*** iSqref limitations
Isqrefmin .set -1310 ;4.12 format=-0.8 pu, I_nom=10A
Isqrefmax .set 1310;4.12 format=0.8 pu, I_nom=10A
vSqref .usect "pid_spd",1
iSqref .usect "pid_spd",1
iSd .usect "pid_spd",1
iSq .usect "pid_spd",1
n .usect "pid_spd",1
n_ref .usect "pid_spd",1
vSdref .usect "pid_spd",1
iSdref .usect "pid_spd",1

```

```

pid_reg_spd_init
zac
ldp #spd_ref
sacl xin
sacl upi
sacl elpi
sacl spd_out
sacl upi
sacl elpi
sacl epin
sacl epiq
sacl epid
sacl xiq
sacl xid
sacl vSqref
sacl iSqref
sacl iSd
sacl iSq
sacl n
sacl n_ref
sacl vSdref
sacl iSdref

```

```

*** PI speed regulators parameters
splk #35h,Kin ; 0.012939 Q12?
splk #482bh,Kpin; 4.5105
splk #0bh,Kcorn ; 0.0026855
ret

```

```

pid_reg_spd
:Interface avec les nouvelles variables
ldp #spd_fdb
lacc spd_fdb ;Q15, 6000rpm as pu
sfr
ldp #n
sacl n ;Q12, 1500rpm as pu

ldp #spd_ref ;Q15 ref with 1pu =1500rpm
lacc spd_ref
sfr
sacl n_ref ;Q12 with 1500rpm as pu
*****
* Speed regulator with integral component correction
*****
ldp #n_ref
lacc n_ref
sub n
sacl epin ;epin=n_ref-n, 4.12 format

```

```

lacc xin,12
lt      epin
mpy      Kpin
apac
sach upi,4;upi=xin+epin*Kpin, 4.12 format
           ;here we start to saturate
bit      upi,0
bcnd upimagzeros,NTC  ;If value >0 we branch
lacc #Isqrefmin ;negative saturation
sub      upi
bcnd neg_sat,GT ;if upi<ISqrefmin then branch to
                 ;saturate
lacc upi ;value of upi is valid
b      limiters
neg_sat
lacc #Isqrefmin ;set acc to -ve saturated value
b      limiters

upimagzeros ;Value is positive
lacc #Isqrefmax ;positive saturation
sub      upi
bcnd pos_sat,LT ;if upi>ISqrefmax then branch to
                 ;saturate
lacc upi ;value of upi valid
b      limiters
pos_sat
lacc #Isqrefmax ;set acc to +ve saturated value

limiters
sacl iSqref ;Store the acc as reference value
;Interface avec la nouvelle variable de sortie
setc OVM
sfl
sfl
sfl
ldp      #spd_out
sacl spd_out
sub      #7ffffh
clrc OVM
ldp      #iSqref
lacc iSqref
;
sub      upi
sacl elpi ;elpi=iSqref-upi, 4.12 format
lt      elpi ;if there is no saturation elpi=0
mpy Kcorn
pac
lt      epin
mpy Kin
apac
add xin,12
sach xin,4;xin=xin+epin*Kin+elpi*Kcorn, 4.12 ;format
*****
* END Speed regulator with integral component correction
*****
ret

```

; Filename: pwm_drv.asm
; Module Name: FC_PWM_DRV
;

```

; Initialization Routine: FC_PWM_DRV_INIT
;
; Description: This module uses the duty ratio information and calculates
; the compare values for generating PWM outputs. The compare
; values are used in the full compare unit in 24x/24xx event
; manager(EV). This also allows PWM period modulation.
;
;           |-----|
; Mfunc_c1  o---->| FC_PWM_DRV |---->o CMPR1 (EV register)
; Mfunc_c2  o---->|                 |---->o CMPR2 (EV register)
; Mfunc_c3  o---->|                 |---->o CMPR3 (EV register)
; Mfunc_po--->|                 |---->o T1PER (EV register)
; n_period   o---->|_____|

;
; Target:      x2407 Event Manager Timer1 & F Comparisons
; Other:       Dependent on PWM period selection
;
;=====
; History:
; -----
; 3-11-2003
;=====

;-----
; Reference/Prototype
;-----
; .ref FC_PWM_DRV,FC_PWM_DRV_INIT      ;function calls
; .ref Mfunc_c1,Mfunc_c2,Mfunc_c3,Mfunc_p ;Inputs
; .ref n_period                      ;Input

;-----
; Define Related Peripherals
;-----
;.include "x24x_app.h"

;-----
; Default PWM Period
;-----
*PWM_PERIOD    .set 50      ; PWM period in uS (20KHz) ,different from foc1.asm?
PWM_PERIOD     .set 200     ; PWM period in uS (5Khz)
;-----
; Global Definitions
;-----
; .def FC_PWM_DRV,FC_PWM_DRV_INIT      ;function calls
; .def Mfunc_c1,Mfunc_c2,Mfunc_c3,Mfunc_p ;Inputs
; .def n_period                      ;Input

;-----
; Variables
;-----
Mfunc_c1.usect "pwm_drv",1 ; Phase 1 mod function Q15
Mfunc_c2.usect "pwm_drv",1 ; Phase 2 mod function Q15
Mfunc_c3.usect "pwm_drv",1 ; Phase 3 mod function Q15
Mfunc_p     .usect "pwm_drv",1 ; Period mod function Q15
n_period    .usect "pwm_drv",1 ; Nominal period/compare value
m_period    .usect "pwm_drv",1 ; Modulated period

;-----
; Configuration parameters
;-----
;if x2407
T1PER_ .set PWM_PERIOD*15 ; *1000nS/(2*33nS)

```

```

T1CON_.set 1000100001000000b ; Symmetric PWM
DBTCON_.set 09E8h ; D/B = 1.18uS @ 33nS clk
ACTR_.set 011001100110b ; 1/3/5 Active Hi, 2/4/6 Active Lo
COMCON_.set 1000001000000000b ; Compare Cntl
.endif
;-----
; Initialization
;-----
FC_PWM_DRV_INIT
    LDP #T1PER>>7
    SPLK #T1PER_,T1PER
    SPLK #T1CON_,T1CON
    SPLK #DBTCON_,DBTCON
    SPLK #ACTR_,ACTR
    SPLK #COMCON_,COMCON
.if x2407
    ldp #OCRA>>7 ; Configure 6-pwm pins
    LACC OCRA
    OR #000011111000000b
    SACL OCRA
.endif
    ldp #n_period
    SPLK #T1PER_,n_period
    SPLK #7FFFh,Mfunc_p
    RET

;-----
; Driver Routine
;-----
FC_PWM_DRV:
    ldp #Mfunc_p; modulate period
    LT Mfunc_p
    MPY n_period ; Mfunc_p*n_period/2
    PAC ;
    add n_period,15 ; offset by n_period/2
    SACH m_period ; save for later reference
    ldp #T1PER>>7 ;
    sach T1PER ; save

    ldp #Mfunc_c1 ; Modulate channel one
    LT Mfunc_c1
    MPY m_period ; Mfunc_c1 x m_period/2
    PAC ;
    add m_period,15 ; offset by m_period/2
    ldp #CMPR1>>7
    SACH CMPR1 ; save

    ldp #Mfunc_c2 ; Modulate channel two
    LT Mfunc_c2
    MPY m_period ; Mfunc_c2 x m_period/2
    PAC ;
    add m_period,15 ; offset by m_period/2
    ldp #CMPR2>>7
    SACH CMPR2 ; save

    ldp #Mfunc_c3 ; modulate channel three
    LT Mfunc_c3
    MPY m_period ; Mfunc_c3 x m_period/2
    PAC ;
    add m_period,15 ; offset by m_period/2
    ldp #CMPR3>>7
    SACH CMPR3 ; save
    RET

```

```

;=====
; File Name: rampgen.asm
;
; Module Name: RAMP_GEN
;
; Initialization Routine: RAMP_GEN_INIT
;
;
; Description: This module generates ramp output of adjustable gain,
; frequency and dc offset.
;          +-----+
;          | rmp_gain   o-->|-----+-----+
;          | rmp_offset o-->| RAMP_GEN    |---->o rmp_out
;          | rmp_freq   o-->|-----+-----+
;          |
;          +-----+
;
; Target dependency: c2xx core only
;=====
; History:
; -----
; 3-11-2003
;=====
;(To use this Module, copy this section to main system file)
; .ref RAMP_GEN, RAMP_GEN_INIT           ;function call
; .ref rmp_gain, rmp_offset, rmp_freq     ;Inputs
; .ref step_angle_max                     ;Input
; .ref rmp_out                           ;Outputs
;=====
; .def RAMP_GEN, RAMP_GEN_INIT           ;function call
; .def rmp_gain, rmp_offset, rmp_freq     ;Inputs
; .def step_angle_max                     ;Input
; .def rmp_out                           ;Output
;=====

STEP_ANGLE_RG_MAX .set 1000;Corresponds to 305.2Hz for fs=20kHz
; or 152.6Hz for fs=10kHz, or 76.3Hz for fs=5KHz
;See related doc for details

alpha_rg .usect "rampgen",1
step_angle_rg .usect "rampgen",1
step_angle_max .usect "rampgen",1
rmp_gain .usect "rampgen",1
rmp_offset .usect "rampgen",1
rmp_freq .usect "rampgen",1
rmp_out .usect "rampgen",1
rmp_out_abs .usect "rampgen",1

```

```

RAMP_GEN_INIT:
    LDP #alpha_rg
    SPLK #0, alpha_rg
    SPLK #STEP_ANGLE_RG_MAX, step_angle_max

    SPLK #3FFFh, rmp_gain
    SPLK #3FFFh, rmp_offset
    SPLK #3FFFh, rmp_freq
    RET

```

```

RAMP_GEN:
    SPM 0
    LDP #rmp_freq
    LT rmp_freq      ;Normalized frequency rmp_freq

```

```

;is in Q15
MPY    step_angle_max      ;Q15 x Q0
PAC    ;Q0 x Q15 = Q15 (32bit)
SACH   step_angle_rg,1     ;Q0

LACC   alpha_rg            ;Q0
ADD    step_angle_rg       ;Q0+Q0
SACL   alpha_rg            ;Q0

;scale the output with gain(user specified)
LT     alpha_rg            ;Q0
MPY   rmp_gain             ;Q0 x Q15
PAC   ;P = rmp_gain * alpha_rg
SACH  rmp_out_abs,1        ;Q0
LACC  rmp_out_abs          ;Q0
SACL  rmp_out              ;Q15**
**  

;In the last two instructions the variables rmp_out_abs and rmp_out contain  

;the same value which is the result of the preceding multiply operation.  

;Although they have the same value, by representing rmp_out with a  

;different Q format(Q15) than rmp_out_abs(Q0), we have essentially performed  

;an implicit normalization/division operation. The normalized ramp output,  

;rmp_out(in Q15), and the absolute ramp output, rmp_out_abs (in Q0), are  

;related by,  

;rmp_out = rmp_out_abs/7FFFh.  

;The output of this module(rmp_out) is normalized (expressed in Q15) since  

;in many other s/w modules, where this is used as input, require the input  

;be provided in Q15 format.

;add offset value
LACC  rmp_out              ;Q15
ADD   rmp_offset            ;Q15+Q15
SACL  rmp_out              ;Q15
RET

```

```

; File: SINTB360.asm
; Name: SINTAB_360
; Type: Table
; Description: This is a program space lookup table for
; Sin/Cos functions.
;
;
; Target: C2xx core
;
; Last Update: 03-11-2003
=====
;(To use this Module, copy this section to the calling file)
;.ref SINTAB_360
=====
;Module definitions for external reference.
.def SINTAB_360
=====
;
;
; Sine look-up table
; No. Entries: 256
; Angle Range: 360 deg
; Number format: Q15 with range -1 < N < +1
=====
;SINVAL ; Index Angle Sin(Angle)
SINTAB_360 .word 0 ; 0 0.0000
    .word 804 ; 1 0.0245
    .word 1608 ; 2 0.0491
    .word 2410 ; 3 0.0736
    .word 3212 ; 4 0.0980
    .word 4011 ; 5 0.1224
    .word 4808 ; 6 0.1467
    .word 5602 ; 7 0.1710
    .word 6393 ; 8 0.1951
    .word 7179 ; 9 0.2191
    .word 7962 ; 10 0.2430
    .word 8739 ; 11 0.2667
    .word 9512 ; 12 0.2903
    .word 10278 ; 13 0.3137
    .word 11039 ; 14 0.3369
    .word 11793 ; 15 0.3599
    .word 12539 ; 16 0.3827
    .word 13279 ; 17 0.4052
    .word 14010 ; 18 0.4276
    .word 14732 ; 19 0.4496
    .word 15446 ; 20 0.4714
    .word 16151 ; 21 0.4929
    .word 16846 ; 22 0.5141
    .word 17530 ; 23 0.5350
    .word 18204 ; 24 0.5556
    .word 18868 ; 25 0.5758
    .word 19519 ; 26 0.5957
    .word 20159 ; 27 0.6152
    .word 20787 ; 28 0.6344
    .word 21403 ; 29 0.6532
    .word 22005 ; 30 0.6716
    .word 22594 ; 31 0.6895
    .word 23170 ; 32 0.7071
    .word 23731 ; 33 0.7242
    .word 24279 ; 34 0.7410
    .word 24811 ; 35 0.7572
    .word 25329 ; 36 0.7730
    .word 25832 ; 37 0.7883

```

.word	26319	;	38	53.44	0.8032
.word	26790	;	39	54.84	0.8176
.word	27245	;	40	56.25	0.8315
.word	27683	;	41	57.66	0.8449
.word	28105	;	42	59.06	0.8577
.word	28510	;	43	60.47	0.8701
.word	28898	;	44	61.88	0.8819
.word	29268	;	45	63.28	0.8932
.word	29621	;	46	64.69	0.9040
.word	29956	;	47	66.09	0.9142
.word	30273	;	48	67.50	0.9239
.word	30571	;	49	68.91	0.9330
.word	30852	;	50	70.31	0.9415
.word	31113	;	51	71.72	0.9495
.word	31356	;	52	73.13	0.9569
.word	31580	;	53	74.53	0.9638
.word	31785	;	54	75.94	0.9700
.word	31971	;	55	77.34	0.9757
.word	32137	;	56	78.75	0.9808
.word	32285	;	57	80.16	0.9853
.word	32412	;	58	81.56	0.9892
.word	32521	;	59	82.97	0.9925
.word	32609	;	60	84.38	0.9952
.word	32678	;	61	85.78	0.9973
.word	32728	;	62	87.19	0.9988
.word	32757	;	63	88.59	0.9997
.word	32767	;	64	90.00	1.0000
.word	32757	;	65	91.41	0.9997
.word	32728	;	66	92.81	0.9988
.word	32678	;	67	94.22	0.9973
.word	32609	;	68	95.63	0.9952
.word	32521	;	69	97.03	0.9925
.word	32412	;	70	98.44	0.9892
.word	32285	;	71	99.84	0.9853
.word	32137	;	72	101.25	0.9808
.word	31971	;	73	102.66	0.9757
.word	31785	;	74	104.06	0.9700
.word	31580	;	75	105.47	0.9638
.word	31356	;	76	106.88	0.9569
.word	31113	;	77	108.28	0.9495
.word	30852	;	78	109.69	0.9415
.word	30571	;	79	111.09	0.9330
.word	30273	;	80	112.50	0.9239
.word	29956	;	81	113.91	0.9142
.word	29621	;	82	115.31	0.9040
.word	29268	;	83	116.72	0.8932
.word	28898	;	84	118.13	0.8819
.word	28510	;	85	119.53	0.8701
.word	28105	;	86	120.94	0.8577
.word	27683	;	87	122.34	0.8449
.word	27245	;	88	123.75	0.8315
.word	26790	;	89	125.16	0.8176
.word	26319	;	90	126.56	0.8032
.word	25832	;	91	127.97	0.7883
.word	25329	;	92	129.38	0.7730
.word	24811	;	93	130.78	0.7572
.word	24279	;	94	132.19	0.7410
.word	23731	;	95	133.59	0.7242
.word	23170	;	96	135.00	0.7071
.word	22594	;	97	136.41	0.6895
.word	22005	;	98	137.81	0.6716
.word	21403	;	99	139.22	0.6532
.word	20787	;	100	140.63	0.6344

.word	20159	;	101	142.03	0.6152
.word	19519	;	102	143.44	0.5957
.word	18868	;	103	144.84	0.5758
.word	18204	;	104	146.25	0.5556
.word	17530	;	105	147.66	0.5350
.word	16846	;	106	149.06	0.5141
.word	16151	;	107	150.47	0.4929
.word	15446	;	108	151.88	0.4714
.word	14732	;	109	153.28	0.4496
.word	14010	;	110	154.69	0.4276
.word	13279	;	111	156.09	0.4052
.word	12539	;	112	157.50	0.3827
.word	11793	;	113	158.91	0.3599
.word	11039	;	114	160.31	0.3369
.word	10278	;	115	161.72	0.3137
.word	9512	;	116	163.13	0.2903
.word	8739	;	117	164.53	0.2667
.word	7962	;	118	165.94	0.2430
.word	7179	;	119	167.34	0.2191
.word	6393	;	120	168.75	0.1951
.word	5602	;	121	170.16	0.1710
.word	4808	;	122	171.56	0.1467
.word	4011	;	123	172.97	0.1224
.word	3212	;	124	174.38	0.0980
.word	2410	;	125	175.78	0.0736
.word	1608	;	126	177.19	0.0491
.word	804	;	127	178.59	0.0245
.word	0	;	128	180.00	0.0000
.word	64731	;	129	181.41	-0.0245
.word	63927	;	130	182.81	-0.0491
.word	63125	;	131	184.22	-0.0736
.word	62323	;	132	185.63	-0.0980
.word	61524	;	133	187.03	-0.1224
.word	60727	;	134	188.44	-0.1467
.word	59933	;	135	189.84	-0.1710
.word	59142	;	136	191.25	-0.1951
.word	58356	;	137	192.66	-0.2191
.word	57573	;	138	194.06	-0.2430
.word	56796	;	139	195.47	-0.2667
.word	56023	;	140	196.88	-0.2903
.word	55257	;	141	198.28	-0.3137
.word	54496	;	142	199.69	-0.3369
.word	53742	;	143	201.09	-0.3599
.word	52996	;	144	202.50	-0.3827
.word	52256	;	145	203.91	-0.4052
.word	51525	;	146	205.31	-0.4276
.word	50803	;	147	206.72	-0.4496
.word	50089	;	148	208.13	-0.4714
.word	49384	;	149	209.53	-0.4929
.word	48689	;	150	210.94	-0.5141
.word	48005	;	151	212.34	-0.5350
.word	47331	;	152	213.75	-0.5556
.word	46667	;	153	215.16	-0.5758
.word	46016	;	154	216.56	-0.5957
.word	45376	;	155	217.97	-0.6152
.word	44748	;	156	219.38	-0.6344
.word	44132	;	157	220.78	-0.6532
.word	43530	;	158	222.19	-0.6716
.word	42941	;	159	223.59	-0.6895
.word	42365	;	160	225.00	-0.7071
.word	41804	;	161	226.41	-0.7242
.word	41256	;	162	227.81	-0.7410
.word	40724	;	163	229.22	-0.7572

.word	40206	;	164	230.63	-0.7730
.word	39703	;	165	232.03	-0.7883
.word	39216	;	166	233.44	-0.8032
.word	38745	;	167	234.84	-0.8176
.word	38290	;	168	236.25	-0.8315
.word	37852	;	169	237.66	-0.8449
.word	37430	;	170	239.06	-0.8577
.word	37025	;	171	240.47	-0.8701
.word	36637	;	172	241.88	-0.8819
.word	36267	;	173	243.28	-0.8932
.word	35914	;	174	244.69	-0.9040
.word	35579	;	175	246.09	-0.9142
.word	35262	;	176	247.50	-0.9239
.word	34964	;	177	248.91	-0.9330
.word	34683	;	178	250.31	-0.9415
.word	34422	;	179	251.72	-0.9495
.word	34179	;	180	253.13	-0.9569
.word	33955	;	181	254.53	-0.9638
.word	33750	;	182	255.94	-0.9700
.word	33564	;	183	257.34	-0.9757
.word	33398	;	184	258.75	-0.9808
.word	33250	;	185	260.16	-0.9853
.word	33123	;	186	261.56	-0.9892
.word	33014	;	187	262.97	-0.9925
.word	32926	;	188	264.38	-0.9952
.word	32857	;	189	265.78	-0.9973
.word	32807	;	190	267.19	-0.9988
.word	32778	;	191	268.59	-0.9997
.word	32768	;	192	270.00	-1.0000
.word	32778	;	193	271.41	-0.9997
.word	32807	;	194	272.81	-0.9988
.word	32857	;	195	274.22	-0.9973
.word	32926	;	196	275.63	-0.9952
.word	33014	;	197	277.03	-0.9925
.word	33123	;	198	278.44	-0.9892
.word	33250	;	199	279.84	-0.9853
.word	33398	;	200	281.25	-0.9808
.word	33564	;	201	282.66	-0.9757
.word	33750	;	202	284.06	-0.9700
.word	33955	;	203	285.47	-0.9638
.word	34179	;	204	286.88	-0.9569
.word	34422	;	205	288.28	-0.9495
.word	34683	;	206	289.69	-0.9415
.word	34964	;	207	291.09	-0.9330
.word	35262	;	208	292.50	-0.9239
.word	35579	;	209	293.91	-0.9142
.word	35914	;	210	295.31	-0.9040
.word	36267	;	211	296.72	-0.8932
.word	36637	;	212	298.13	-0.8819
.word	37025	;	213	299.53	-0.8701
.word	37430	;	214	300.94	-0.8577
.word	37852	;	215	302.34	-0.8449
.word	38290	;	216	303.75	-0.8315
.word	38745	;	217	305.16	-0.8176
.word	39216	;	218	306.56	-0.8032
.word	39703	;	219	307.97	-0.7883
.word	40206	;	220	309.38	-0.7730
.word	40724	;	221	310.78	-0.7572
.word	41256	;	222	312.19	-0.7410
.word	41804	;	223	313.59	-0.7242
.word	42365	;	224	315.00	-0.7071
.word	42941	;	225	316.41	-0.6895
.word	43530	;	226	317.81	-0.6716

.word	44132	;	227	319.22	-0.6532
.word	44748	;	228	320.63	-0.6344
.word	45376	;	229	322.03	-0.6152
.word	46016	;	230	323.44	-0.5957
.word	46667	;	231	324.84	-0.5758
.word	47331	;	232	326.25	-0.5556
.word	48005	;	233	327.66	-0.5350
.word	48689	;	234	329.06	-0.5141
.word	49384	;	235	330.47	-0.4929
.word	50089	;	236	331.88	-0.4714
.word	50803	;	237	333.28	-0.4496
.word	51525	;	238	334.69	-0.4276
.word	52256	;	239	336.09	-0.4052
.word	52996	;	240	337.50	-0.3827
.word	53742	;	241	338.91	-0.3599
.word	54496	;	242	340.31	-0.3369
.word	55257	;	243	341.72	-0.3137
.word	56023	;	244	343.13	-0.2903
.word	56796	;	245	344.53	-0.2667
.word	57573	;	246	345.94	-0.2430
.word	58356	;	247	347.34	-0.2191
.word	59142	;	248	348.75	-0.1951
.word	59933	;	249	350.16	-0.1710
.word	60727	;	250	351.56	-0.1467
.word	61524	;	251	352.97	-0.1224
.word	62323	;	252	354.38	-0.0980
.word	63125	;	253	355.78	-0.0736
.word	63927	;	254	357.19	-0.0491
.word	64731	;	255	358.59	-0.0245
.word	65535	;	256	360.00	0.0000

; Filename: svgen_dq.asm
;
; Module Name: SVGEN_DQ
;
; Initialization Routine: SVGEN_DQ_INIT
;
;
; Description: This module calculates the appropriate duty ratios needed
; to generate a given stator reference voltage using space
; vector PWM technique. The stator reference voltage is
; described by it's (a,b) components, Ualpha and Ubeta.
;
; Ualpha o--->|-----|----->o Ta
; ; Ubeta o--->| SVGEN_DQ |----->o Tb
; ; ;----->o Tc
;
;=====

; History:

```

;-----
; 3-11-2003
;=====

;-----  

; Reference/Prototype  

;-----  

;     .ref SVGEN_DQ,SVGEN_DQ_INIT      ;function call  

;     .ref Ualpha,Ubeta                ;Inputs  

;     .ref Ta,Tb,Tc                   ;Outputs  

;  

;-----  

; Select Processor and Define Related Peripherals  

;-----  

;.include "x24x_app.h"  

;  

;-----  

; Global Definitions  

;-----  

     .def SVGEN_DQ,SVGEN_DQ_INIT      ;function call  

     .def Ualpha,Ubeta                ;Inputs  

     .def Ta,Tb,Tc                   ;Outputs  

;  

out_of_phase_          .set 0  

;  

; Variables  

;  

Ualpha      .usect "svgen_dq",1  

Ubeta       .usect "svgen_dq",1  

Va          .usect "svgen_dq",1  

Vb          .usect "svgen_dq",1  

Vc          .usect "svgen_dq",1  

Ta          .usect "svgen_dq",1  

Tb          .usect "svgen_dq",1  

Tc          .usect "svgen_dq",1  

sector      .usect "svgen_dq",1      ;SVPWM sector  

t1          .usect "svgen_dq",1      ;SVPWM T1  

t2          .usect "svgen_dq",1      ;SVPWM T2  

half_sqrt3 .usect "svgen_dq",1      ;SQRT(3) * 0.5  

;  

;Alias Variable declaration (to conserve .bss locations)  

X           .set Va  

Y           .set Vb  

Z           .set Vc  

SR_ADDR    .set sector  

;  

;=====  

SVGEN_DQ_INIT:  

=====  

    ldp #half_sqrt3  

    SPLK #28378,half_sqrt3 ; Set constant sqrt(3)*0.5 in Q15 format  

    RET  

;  

=====  

SVGEN_DQ:  

=====  

    ;INV_CLARKE:  

;-----  

    SPM1      ; SPM set for Q15 multiplication  

    SETC     SXM      ; Sign extension mode on  

;  

;Va = Ubeta

```

```

ldp #Ubeta
LACC Ubeta ; ACC = Ubeta
SACL Va ; Va = Ubeta

;Vb = (-Ubeta + sqrt(3) * Ualpha) / 2
LT Ualpha ; TREG = Ualpha
MPY half_sqrt3 ; PREG = Ualpha * half_sqrt3
PAC ; ACC high = Ualpha * half_sqrt3
SUB Ubeta,15 ; ACC high = Ualpha * half_sqrt3 + Ubeta/2
SACH Vb ; Vb = Ualpha * half_sqrt3 + Ubeta/2

;Vc = (-Ubeta - sqrt(3) * Ualpha) / 2
PAC ; ACC high = Ualpha * half_sqrt3
NEG ; ACC high = - Ualpha * half_sqrt3
SUB Ubeta,15 ; ACC high = - Ualpha * half_sqrt3 - Ubeta/2
SACH Vc ; Vc = - Ualpha * half_sqrt3 - Ubeta/2

;-----
; 60 degrees sector determination
; sector = r1 + 2*r2 + 4*r3
; r1=1 if Va>0
; r2=1 if Vb>0
; r3=1 if Vc>0
;-----
SPLK #0,sector
LACC Va
BCND vref1_neg,LEQ ; If Va<0 do not set bit 1 of sector
LACC sector ;
OR #1 ;
SACL sector ;

vref1_neg
LACC Vb
BCND vref2_neg,LEQ ; If Vb<0 do not set bit 2 of sector
LACC sector ;
OR #2 ;
SACL sector ;

vref2_neg
LACC Vc
BCND vref3_neg,LEQ ; If Vc<0 do not set bit 3 of sector
LACC sector ;
OR #4 ;
SACL sector ;

vref3_neg
;-----
;X,Y,Z calculation:
;-----
XYZ_CALC:
;X = Ubeta
LACC Ubeta
SACL X

;Y = (0.5 * Ubeta) + (sqrt(3) * 0.5 * Ualpha)
LT Ualpha ; TREG = Ualpha
MPY half_sqrt3 ; PREG = Ualpha * half_sqrt3
PAC ; ACC high = Ualpha * half_sqrt3
ADD Ubeta,15 ; ACC high = Ualpha * half_sqrt3 + Ubeta/2
SACH Y ; Y = Ualpha * half_sqrt3 + Ubeta/2

;Z = (0.5 * Ubeta) - (sqrt(3) * 0.5 * Ualpha)
PAC ; ACC high = Ualpha * half_sqrt3
NEG ; ACC high = - Ualpha * half_sqrt3
ADD Ubeta,15 ; ACC high = - Ualpha * half_sqrt3 + Ubeta/2

```

```
SACH Z ; Z = - Ualpha * half_sqrt3 + Ubeta/2
```

```
;-----  
;Sector calculations ("case statement")  
;-----
```

```
LACC #SECTOR_TBL  
ADD sector  
TBLR SR_ADDR  
LACC SR_ADDR  
BACC
```

SECTOR_SR1:

```
;-----  
;sector 1: t1=Z and t2=Y, (abc --> Tb, Ta, Tc)
```

```
lacc Z  
sacl t1  
lacc Y  
sacl t2  
  
lacc #7FFFh ;Load 1 (Q15)  
sub t1  
sub t2 ;taon=(1-t1-t2)/2  
sfr  
sacl Tb  
add t1 ;tbon=taon+t1  
sacl Ta  
add t2 ;tcon=tbon+t2  
sacl Tc  
B SV_END
```

SECTOR_SR2:

```
;-----  
;sector 2: t1=Y and t2=-X, (abc --> Ta, Tc, Tb)
```

```
lacc Y  
sacl t1  
lacc X  
neg  
sacl t2  
  
lacc #7FFFh ;Load 1 (Q15)  
sub t1  
sub t2 ;taon=(1-t1-t2)/2  
sfr ;  
sacl Ta  
add t1 ;tbon=taon+t1  
sacl Tc  
add t2 ;tcon=tbon+t2  
sacl Tb  
B SV_END
```

SECTOR_SR3:

```
;-----  
;sector 3: t1=-Z and t2=X, (abc --> Ta, Tb, Tc)
```

```
lacc Z  
neg  
sacl t1  
lacc X  
sacl t2  
  
lacc #7FFFh ;Load 1 (Q15)  
sub t1  
sub t2 ;taon=(1-t1-t2)/2  
sfr ;
```

```

sacl  Ta
add   t1           ;tbon=taon+t1
sacl  Tb
add   t2           ;tcon=tbon+t2
sacl  Tc
B    SV_END

```

SECTOR_SR4:

```

;-----
;sector 4: t1=-X and t2=Z, (abc --> Tc, Tb, Ta)
lacc X
neg
sacl t1
lacc Z
sacl t2

lacc #7FFFh      ;Load 1 (Q15)
sub  t1
sub  t2           ;taon=(1-t1-t2)/2
sfr
;
sacl Tc
add  t1           ;tbon=taon+t1
sacl Tb
add  t2           ;tcon=tbon+t2
sacl Ta
B    SV_END

```

SECTOR_SR5:

```

;-----
;sector 5: t1=X and t2=-Y, (abc --> Tb, Tc, Ta)
lacc X
sacl t1
lacc Y
neg
sacl t2

lacc #7FFFh      ;Load 1 (Q15)
sub  t1
sub  t2           ;taon=(1-t1-t2)/2
sfr
;
sacl Tb
add  t1           ;tbon=taon+t1
sacl Tc
add  t2           ;tcon=tbon+t2
sacl Ta
B    SV_END

```

SECTOR_SR6:

```

;-----
;sector 6: t1=-Y and t2=-Z, (abc --> Tb, Tc, Ta)
lacc Y
neg
sacl t1
lacc Z
neg
sacl t2

lacc #7FFFh      ;Load 1 (Q15)
sub  t1
sub  t2           ;taon=(1-t1-t2)/2
sfr
;
sacl Tc
add  t1           ;tbon=taon+t1

```

```
sacl Ta
add t2 ;tcon=tbon+t2
sacl Tb
```

SV_END:

```
;Multiply Ta by 2 & offset by 1/2
LACC Ta
SUB #3FFFh
SACL Ta,1 ;mpy by 2
```

```
;Multiply Tb by 2 & offset by 1/2
LACC Tb
SUB #3FFFh
SACL Tb,1 ;mpy by 2
```

```
;Multiply Tc by 2 & offset by 1/2
LACC Tc
SUB #3FFFh
SACL Tc,1 ;mpy by 2
```

```
.if (out_of_phase_)
    LACC Ta
    NEG
    SACL Ta
    LACC Tb
    NEG
    SACL Tb
    LACC Tc
    NEG
    SACL Tc
.endif
```

```
DUMMY SPM0 ; SPM reset
RET
```

```
-----
;SVPWM Sector routine jump table - used with BACC inst.
-----
```

SECTOR_TBL:

SR00	.word	DUMMY
SR0	.word	SECTOR_SR1
SR1	.word	SECTOR_SR2
SR2	.word	SECTOR_SR3
SR3	.word	SECTOR_SR4
SR4	.word	SECTOR_SR5
SR5	.word	SECTOR_SR6

```

=====
; Module Name: S Y S _ I N I T
;
; File Name: Sys_init.asm
;
; Description: Initializes F24x/xx devices
;
;
; AR1 is used as stack pointer
;
; Last Update: 3-11-2003
=====
.include x24x_app.h
.def SYS_INIT
.ref GPRO

stack_size.set 20h
stack_start .usect "stack",stack_size

SYS_INIT:

;---target dependency-----
.if (x2407)
    POINT_PGO
    SETC INTM      ;Disable interrupts
    SPLK #0h, IMR   ;Mask all Ints
    SPLK #0FFh, IFR ;Clear all Int Flags

;Init PDP interrupt flag after reset
    LDP #PIRQR0>>7
    LACC PIRQR0      ; Clear pending PDP flag
    AND #0FFEh
    SACL PIRQR0
    LACC PIRQR2      ; Clear pending PDP flag
    AND #0FFEh
    SACL PIRQR2
    POINT_EV
    LACC EVAIFRA    ; Clear PDPINTA flag
    OR #0001h
    SACL EVAIFRA
    LDP #EVBIFRA>>7
    LACC EVBIFRA     ; Clear PDPINTB flag
    OR #0001h
    SACL EVBIFRA

    POINT_PGO
    CLRC SXM        ;Clear Sign Extension Mode
    CLRC OVM        ;Reset Overflow Mode
    CLRC CNF        ;Config Block B0 to Data mem.
    SPM0
    LAR AR1, #stack_start ;Init s/w stack pointer
    MAR *, AR1

    POINT_B0
    SPLK #00C0h, GPRO ;Set 3 wait states for I/O space
    OUTGPRO, WSGR

    POINT_PF1

    .if (x4_PLL)
        SPLK #0085h, SCSR1 ; x4 PLL, ADC en, EV1 en, clr Ill Addr flg
    .endif

```

```

;if (x2_PLL)
SPLK    #0285h, SCSR1      ; x2 PLL, ADC en, EV1 en, clr lll Addr flg
.endif

;Comment out if WD is to be active
    SPLK    #006Fh, WD_CNTL      ;Disable WD if VCCP=5V
    KICK_DOG
    RET
.endif
-----

```

```

; File Name: theta_est.asm
;
; Module Name: theta_estimation_model
;
; Initialization Routine: theta_est_init
;
;
; Description: Current model for field oriented control
;               of an AC induction machine
;
;           |-----|
;           psiRal ->| theta_est      --->sinTeta_est
;           psiRbe ->|           |--->cosTeta_est
;                   | model       |
;                   |-----|
;
;
; Target:      x2407
;


---


; History:
; 3-18-2003
;
; Reference/Prototype
;
;
; .ref theta_est,theta_est_init      ; function call
; .ref psiRal,psiRbe                ; Inputs
; .ref sinTeta_est,cosTeta_est      ; Outputs ;
;
;
; Global Definitions
;
;
; .def theta_est,theta_est_init      ; function call
; .def psiRal,psiRbe                ; Inputs
; .def sinTeta_est,cosTeta_est      ; Outputs ;
;
;
; .ref     sqrt_tab   ; square root table

```

```

; Variable Definitions
;-----
;public variables
psiRal    .usect "theta_es",1
psiRbe    .usect "theta_es",1
sinTeta_est.usect "theta_es",1
cosTeta_est.usect "theta_es",1

;private variables
tmp        .usect "theta_es",1
tmp1       .usect "theta_es",1
Index      .usect "theta_es",1
psiR_est   .usect "theta_es",1
psiR_est1  .usect "theta_es",1
psiRal_est1.usect "theta_es",1
psiRbe_est1.usect "theta_es",1
;-----
; Default parameters
;-----
Ksqrt      .set 2751
Pole_pairs_number .set 2

;-----
; Initialization
;-----
theta_est_init

CURRENT_MODEL_INIT

ldp      #psiRal
splk #0000h,sinTeta_est
splk #7FFFh,cosTeta_est
ret

*****
* Rotor flux amplitude calculation
* psiR_est
*****
theta_est
ldp      #psiRal
bldd    #psiRal,psiRal_est1
bldd    #psiRbe,psiRbe_est1
lacc    psiRal_est1
sfr
sfr          ;change to 4.12 format
sfr
sacl    psiRal
lacc    psiRbe_est1
sfr
sfr
sfr
sacl    psiRbe
mar     *,AR5      ;ARP->AR5
spm     2          ;automatic <<2 for 4.12 multiplications
mpy     #0          ;Preg is cleared to zero
zac     ;Acc is cleared to zero
squa   psiRal ;Preg=(psiRal_est)2
pac     ;Acc=(psiRal_est)2 in 4.12 format (spm=2)

```

```

sach tmp ;tmp=(psiRal_est)2
squa psiRbe ;Preg=(psiRbe_est)2
pac ;Acc=(psiRbe_est)2 in 4.12 format (spm=2)
sach tmp1 ;tmp1=(psiRbe_est)2
lacc tmp1
add tmp
sacl tmp ;tmp=(psiRal_est)2 + (psiRbe_est)2 still in 4.12f
spm 0 ;no automatic shift anymore
lt tmp ;Treg=tmp
mpy #Ksqrt ;Preg=tmp*Ksqrt
pac ;Acc=Preg, the two index digits are located in the high Acc
sach Index ;store the two interesting digits into Index (>8.8f)
lacc Index ;Acc=Index
add #sqrt_tab ;Acc=Index+sqrt table address
sacl tmp ;tmp= Index+sqrt table address
lar AR5,tmp ;load in AR5 the content of tmp
lacc * ;Acc= sqrt(psiRal_est2+psiRbe_est2) in 8.8 format
sacl psiR_est,4 ;psiR_est=sqrt(psiRal_est2+psiRbe_est2) 4 left shift -> 4.12f
sacl psiR_est1,7 ;psiR_est1=sqrt(psiRal_est2+psiRbe_est2) 7 left shift -> 1.15f

*****
* divisions psiRal_est1/psiR_est1
* psiRbe_est1/psiR_est1
* input in f 1.15
* output (cosTeta_est, sinTeta_est) in f 4.12
*****



lacc psiR_est ;Acc=psiR_est
bcnd modnotzero,NEQ
lacc #0
sacl tmp
b modzero
modnotzero lacc psiRal_est1 ;If rotor flux module <> 0
abs ;Acc=psiRal_est1 a comp of the rotor flux in 1.15 format
sacl tmp ;Acc=abs(psiRal_est1), unsigned numbers division
lacc tmp,15 ;tmp=abs(psiRal_est1)
rpt #15 ;store abs(psiRal_est1) in high side of Acc
subc psiR_est1 ;AccL=psiRal_est1/psiR_est1, res in 1.15 format
* sfr
* sfr
* sfr ;three right shifts -> division result in 4.12 format
sacl cosTeta_est ;store 1.15 res (=psiRal_est1/psiR_est1) in cosTeta_est
lacc psiRal_est1
bcnd cospos,GT
lacc cosTeta_est ;If psiRal_est1<0 then cosTeta_est<0
neg
modzero sacl cosTeta_est
cospos lacc psiR_est ;cosTeta_est=psiRal_est1/psiR_est1, 4.12 format
bcnd modnotzero1,NEQ
lacc #0
sacl tmp
b modzero1
modnotzero1 lacc psiRbe_est1 ;If rotor flux module <> 0
abs ;Acc=psiRbe_est1 b comp of the rotor flux in 1.15 format
sacl tmp ;Acc=abs(psiRbe_est1), unsigned numbers division
lacc tmp,15 ;tmp=abs(psiRbe_est1)
rpt #15 ;store abs(psiRbe_est1) in high side of Acc
subc psiR_est1 ;AccL=psiRbe_est1/psiR_est1, res in 1.15 format
* sfr
* sfr

```

```
*    sfr          ;three right shifts -> division result in 4.12 format
    sacl         ;store 1.15 res (=psiRbe_est1/psiR_est1) in sinTeta_est
    lacc         psiRbe_est1
    bcnd         sinpos,GT
    lacc         sinTeta_est   ;If psiRbe_est1<0 then sinTeta_est<0
    neg
modzero1
    sacl         sinTeta_est   ;sinTeta_est=psiRbe_est1/psiR_est1, 4.12 format
    sinpos

*****
* END divisions      *
*****
```

ret

③ B-133-S2